2024-2025

Mathematics Course Guides

Middle School Mathematics High School Mathematics Special Education Mathematics GT Math Education Overview

The Secondary Math Course Guides provide the standards aligned to topics and resources available in the currently adopted text. It is the teacher's professional responsibility to ensure that their students are prepared for the next course in the Pathway. This can only be accomplished when all grade level/course standards are taught with student engagement and an expectation of rigor in mathematics.

Excellence in Education, Every Student, Every Day, to Graduation



WCSD Recommended Pathways to Advanced Mathematics



- * High School credit is not awarded for high school level courses taken prior to 9th grade.
- Middle School students must earn a qualifying grade in Algebra 1 to progress on to the next course in sequence.
- ** Students choose from two class options to fulfill this requirement Geometry or Formal Geometry (H) and Algebra 2 or Honors Algebra 2 (H)
- ***Students can concurrently enroll in Formal Geometry and Honors Algebra 2 for Acceleration. All students must earn credits in Algebra 1, Geometry and Algebra 2 before enrolling in any of the senior level courses. Some senior level courses have other pre-requisites (see the Course Descriptions).

2024-2025: Recommendations for 6-12 Grading in Mathematics

Grading recommendations were established to provide a starting point for teachers who need more specific direction. *The importance of the recommendations is that consistency is established at a school site or between a feeder middle school and the high school.* The PLC group should decide on more specific grading policies for their school but should be in line with the recommendations here.

- 1. Grading at any level should be **consistent** within the building for like grades levels and courses.
- 2. **Assignments** are assigned and are completed by the students on their own time or in class with assistance. Individual performance on projects may be included in this category.
- 3. Quizzes/In Class Checks are evaluations of what the students know but could be used to inform instruction or offer additional assistance to a student. Students may have multiple attempts to get these points but each attempt needs to be completed by the individual without assistance.
- 4. Assessments are to determine what the students have learned and are summative in nature. These are individual performance measures and should be monitored assessments. Students may have the opportunity to take a retake. Grades recorded in assessment should reflect what the students know. Caution should be given to practices that would inflate test grades.

6-12 Math Courses Grading Recommendations Math 6,

Math 7, Math 8, Math 7-8

Grading Recommendations:

- Math 6 Final 5% Math 7, Math 7/8 & Math 8 Final 10%
- Be sure to have plenty of data in each of the following categories!
- Assignments (independent work, projects, group work) 0%-15%
- Quizzes (monitored in class checks, individual performance) 20%-30%
- Assessments/Exams (individual performance) 40%-55%

Algebra 1, Geometry, Algebra 2, Prob/Stat/DM, and Advanced Algebra 3

Grading Recommendations:

• Final 10% – 15%

Be sure to have plenty of data in each of the following categories!

- Assignments (independent work, projects, group work) 0%-15%
- Quizzes (monitored in class checks, individual performance) 10%-20%
- Assessments/Exams (individual performance) 45%-60%

Honors Mathematics Courses: Formal Geometry, Algebra 2 Honors, and PreCalculus w/Trigonometry Grading Recommendations:

• Final 15% - 20%

Be sure to have plenty of data in each of the following categories!

- Assignments (independent work, projects, group work) 0%-10%
- Quizzes (monitored in class checks, monitored individual performance) 10%-20%
- Assessments/Exams (monitored individual performance) 60%-70%

Middle School Mathematics Resources

Math 6

Go Math Middle School Grade 6

Copyright 2014 by Houghton Mifflin Harcourt TE-ISBN 978-0-544-06571-0;

Copyright 2016 by Houghton Mifflin Harcourt SE-ISBN 978-0-544-70751-1

Math 7

Go Math Middle School Grade 7

Copyright 2014 by Houghton Mifflin Harcourt TE-ISBN 978-0-544-06631-1;

Copyright 2016 by Houghton Mifflin Harcourt SE-ISBN 978-0-544-70752-8

Math 7/8

Go Math Middle School Accelerated Grade 7 Copyright 2014 by Houghton Mifflin Harcourt TE-ISBN 978-0-544-14740-9; SE-ISBN

Copyright 2016 by Houghton Mifflin Harcourt SE-ISBN 978-0-544-64156-3

Math 8

Go Math Middle School Grade 8 Copyright 2014 by Houghton Mifflin Harcourt TE-ISBN 978-0-544-06551-2;

Copyright 2016 by Houghton Mifflin Harcourt SE-ISBN 978-0-544-70753-5

High School Mathematics Resources

Bridge to Algebra

McGraw Hill

copyright 2014 by The McGraw Hill Companies TE-ISBN Vol 1:978-0-07-664447-6, Vol 2:978-0-07-664461-2; SE-ISBN 978-0-07-663798-0

Algebra 1/Foundations in Algebra 1/Two-Year Algebra 1

Pearson-Envision Algebra 2 copyright 2018 by Pearson Education, Inc. TE-ISBN Vol 1:978-0-328-93178-1, Vol 2:978-0-328-93179-8; SE-ISBN 978-0-328-93154-5

Geometry/Foundations in Geometry & Formal Geometry

McGraw-Glencoe Geometry copyright 2018 by McGraw-Hill Education TE-ISBN Vol 1:978-0-07-898490-7, Vol 2:978-0-07-898493-8; SE-ISBN 978-0-07-903994-1

Algebra 2 & Algebra 2 Honors

Pearson-Envision Algebra 2 copyright 2018 by Pearson Education, Inc. TE-ISBN Vol 1:978-0-328-93182-8; Vol 2:978-0-32-93183-5; SE-ISBN 978-0-328-93156-9

Pre-Calculus with Trigonometry and Introductory Pre-Calculus

Pearson Blitzer Pre-Calculus, copyright 2010 by Pearson Education, Inc. TE-ISBN 978-0-13-447007-8; SE-ISBN 978-0-13-461576-9

Probability/Statistics/Discrete

Pearson Elementary Statistics and Thinking Mathematically Student Book – Custom Edition

Advanced Algebra 3

Pearson Custom Publishing Advanced Algebra Applications, copyright 2009 by Pearson Custom Publishing TE-ISBN 978-0-133-65992-4; SE-ISBN 978-0-558-20908-7

Mathematical Practices

The Standards for Mathematical Practice describe varieties of expertise that mathematics educators at all levels should seek to develop in their students. These practices rest on important "processes and proficiencies" with longstanding importance in mathematics education. The first of these are the NCTM process standards of problem solving, reasoning and proof, communication, representation, and connections. The second are the strands of mathematical proficiency specified in the National Research Council's report *Adding It Up*: adaptive reasoning, strategic competence, conceptual understanding (comprehension of mathematical concepts, operations and relations), procedural fluency (skill in carrying out procedures flexibly, accurately, efficiently and appropriately), and productive disposition (habitual inclination to see mathematics as sensible, useful, and worthwhile, coupled with a belief in diligence and one's own efficacy).

1. Make sense of problems and persevere in solving them.

Mathematically proficient students start by explaining to themselves the meaning of a problem and looking for entry points to its solution. They analyze givens, constraints, relationships, and goals. They make conjectures about the form and meaning of the solution and plan a solution pathway rather than simply jumping into a solution attempt. They consider analogous problems, and try special cases and simpler forms of the original problem in order to gain insight into its solution. They monitor and evaluate their progress and change course if necessary. Older students might, depending on the context of the problem, transform algebraic expressions or change the viewing window on their graphing calculator to get the information they need. Mathematically proficient students can explain correspondences between equations, verbal descriptions, tables, and graphs or draw diagrams of important features and relationships, graph data, and search for regularity or trends. Younger students might rely on using concrete objects or pictures to help conceptualize and solve a problem. Mathematically proficient students check their answers to problems using a different method, and they continually ask themselves, "Does this make sense?" They can understand the approaches of others to solving complex problems and identify correspondences between different approaches.

2. Reason abstractly and quantitatively.

Mathematically proficient students make sense of quantities and their relationships in problem situations. They bring two complementary abilities to bear on problems involving quantitative relationships: the ability to *decontextualize*—to abstract a given situation and represent it symbolically and manipulate the representing symbols as if they have a life of their own, without necessarily attending to their referents—and the ability to *contextualize*, to pause as needed during the manipulation process in order to probe into the referents for the symbols involved. Quantitative reasoning entails habits of creating a coherent representation of the problem at hand; considering the units involved; attending to the meaning of quantities, not just how to compute them; and knowing and flexibly using different properties of operations and objects.

3. Construct viable arguments and critique the reasoning of others.

Mathematically proficient students understand and use stated assumptions, definitions, and previously established results in constructing arguments. They make conjectures and build a logical progression of statements to explore the truth of their conjectures. They are able to analyze situations by breaking them into cases, and can recognize and use counterexamples. They justify their conclusions, communicate them to others, and respond to the arguments of others. They reason inductively about data, making plausible arguments that take into account the context from which the

Mathematical Practices

data arose. Mathematically proficient students are also able to compare the effectiveness of two plausible arguments, distinguish correct logic or reasoning from that which is flawed, and—if there is a flaw in an argument—explain what it is. Elementary students can construct arguments using concrete referents such as objects, drawings, diagrams, and actions. Such arguments can make sense and be correct, even though they are not generalized or made formal until later grades. Later, students learn to determine domains to which an argument applies. Students at all grades can listen or read the arguments of others, decide whether they make sense, and ask useful questions to clarify or improve the arguments.

4. Model with mathematics.

Mathematically proficient students can apply the mathematics they know to solve problems arising in everyday life, society, and the workplace. In early grades, this might be as simple as writing an addition equation to describe a situation. In middle grades, a student might apply proportional reasoning to plan a school event or analyze a problem in the community. By high school, a student might use geometry to solve a design problem or use a function to describe how one quantity of interest depends on another. Mathematically proficient students who can apply what they know are comfortable making assumptions and approximations to simplify a complicated situation, realizing that these may need revision later. They are able to identify important quantities in a practical situation and map their relationships using such tools as diagrams, two-way tables, graphs, flowcharts and formulas. They can analyze those relationships mathematically to draw conclusions. They routinely interpret their mathematical results in the context of the situation and reflect on whether the results make sense, possibly improving the model if it has not served its purpose.

5. Use appropriate tools strategically.

Mathematically proficient students consider the available tools when solving a mathematical problem. These tools might include pencil and paper, concrete models, a ruler, a protractor, a calculator, a spreadsheet, a computer algebra system, a statistical package, or dynamic geometry software. Proficient students are sufficiently familiar with tools appropriate for their grade or course to make sound decisions about when each of these tools might be helpful, recognizing both the insight to be gained and their limitations. For example, mathematically proficient high school students analyze graphs of functions and solutions generated using a graphing calculator. They detect possible errors by strategically using estimation and other mathematical knowledge. When making mathematical models, they know that technology can enable them to visualize the results of varying assumptions, explore consequences, and compare predictions with data. Mathematically proficient students at various grade levels are able to identify relevant external mathematical resources, such as digital content located on a website, and use them to pose or solve problems. They are able to use technological tools to explore and deepen their understanding of concepts.

6. Attend to precision.

Mathematically proficient students try to communicate precisely to others. They try to use clear definitions in discussion with others and in their own reasoning. They state the meaning of the symbols they choose, including using the equal sign consistently and appropriately. They are careful about specifying units of measure, and labeling axes to clarify the correspondence with quantities in a problem. They calculate accurately and efficiently, express numerical answers with a degree of precision appropriate for the problem context. In the elementary grades, students give carefully

Mathematical Practices

formulated explanations to each other. By the time they reach high school they have learned to examine claims and make explicit use of definitions.

7. Look for and make use of structure.

Mathematically proficient students look closely to discern a pattern or structure. Young students, for example, might notice that three and seven more is the same amount as seven and three more, or they may sort a collection of shapes according to how many sides the shapes have. Later, students will see 7×8 equals $7\times5+7\times3$, in preparation for learning about the distributive property. In the expression $x^2+9x+14$, older students can see the 14 as 2×7 and the 9 as 2+7. They recognize the significance of an existing line in a geometric figure and can use the strategy of drawing an auxiliary line for solving problems. They also can step back for an overview and shift perspective. They can see complicated things, such as some algebraic expressions, as single objects or as being composed of several objects. For example, they can see $5 - 3(x - y)^2$ as 5 minus a positive number times a square and use that to realize that its value cannot be more than 5 for any real numbers *x* and *y*.

8. Look for and express regularity in repeated reasoning.

Mathematically proficient students notice if calculations are repeated, and look both for general methods and for shortcuts. Upper elementary students might notice when dividing 25 by 11 that they are repeating the same calculations over and over again, and conclude they have a repeating decimal. By paying attention to the calculation of slope as they repeatedly check whether points are on the line through (1, 2) with slope 3, middle school students might abstract the equation (y-2)/(x-1)=3. Noticing the regularity in the way terms cancel when expanding $(x-1)(x+1)(x-1)(x^2 x+1)$, and $(x-1)(x^3+x^2+x+1)$ might lead them to the general formula for the sum of a geometric series. As they work to solve a problem, mathematically proficient students maintain oversight of the process, while attending to the details. They continually evaluate the reasonableness of their intermediate results.

Connecting the Standards for Mathematical Practice to the Standards for Mathematical Content

The Standards for Mathematical Practice describe ways in which developing student practitioners of the discipline of mathematics increasingly ought to engage with the subject matter as they grow in mathematical maturity and expertise throughout the elementary, middle and high school years. Designers of curricula, assessments, and professional development should all attend to the need to connect the mathematical practices to mathematical content in mathematics instruction. The Standards for Mathematical Content are a balanced combination of procedure and understanding. Expectations that begin with the word "understand" are often especially good opportunities to connect the practices to the content. Students who lack understanding of a topic may rely on procedures too heavily. Without a flexible base from which to work, they may be less likely to consider analogous problems, represent problems coherently, justify conclusions, apply the mathematics to practical situations, use technology mindfully to work with the mathematics, explain the mathematics accurately to other students, step back for an overview, or deviate from a known procedure to find a shortcut. In short, a lack of understanding effectively prevents a student from engaging in the mathematical practices. In this respect, those content standards which set an expectation of understanding are potential "points of intersection" between the Standards for Mathematical Content and the Standards for Mathematical Practice. These points of intersection are intended to be weighted toward central and generative concepts in the school mathematics curriculum that most merit the time, resources, innovative energies, and focus necessary to qualitatively improve the curriculum, instruction, assessment, professional development, and student achievement in mathematics.

			F	all 2024			
					1	2	3
	4	5	6 Teacher PD Day	7 Teacher PD Day	8 Teacher PD Day	9 Teacher Work Day	10
vugust	11	12	13	14	15	16	17
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	25	26	27	28	29	30	31
	1	2 Labor Day	3	4	5	6	7
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Septe	15	16	17	18	19	20	21
	22	23	24	25	26	27	28
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	6	7 Fall Break	8 Fall Break	9 Fall Break	10 Fall Break	11 Fall Break	12
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	3	4	5 Teacher PD Day	6	7	8	9
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	24	25	26	27 Thanksgiving Break	28 Thanksgiving Break	29 Thanksgiving Break	30
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cembe	15	16 HS Finals	17 HS Finals	18 HS Finals	19 HS Finals	20 Teacher Work Day	21
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			Sp	ring 2025	5		
				1	2	3	4
	5	6 Teacher PD Day	7	8	9	10	11
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Ja	19	20 MLK Day	21	22	23	24	25
	26	27	28	29	30	31	1
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uary	9	10	11	12	13	14	15
Febr	16	17 President's Day	18	19	20	21	22
	23	24	25	26	27	28	1
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rch	9	10	11	12	13	14	15
Ba	16	17 Series Break	18 Series Break	19 Garing Break	20 Social December 20	21 Service December 2	22
	23	Spring Break	Spring Break	Spring Break	Spring Break	Spring Break	29
	23	Spring Break	Spring Break	Spring Break	Spring Break	Spring Break	25
	30	31	1	2	3	4	5
ril	6	7	8	9	10	11	12
Ap	13	14	15	16	17	18	19
	20	21	22	23	24	25	26
	27	28	29	30	1	2	3
	4	5	6	7	8	9	10
May	11	12	13	14	15	16	17
	18	19	20	21	22	23	24
	25	26 Memorial Day	27	28	29	30	31
	1	2	3	4	5	6	7
ne			HS Finals	HS Finals	HS Finals	HS Finals	
Ju	8	9 Contingency Day	10 Contingency Day	11 Contingency Day	12	13	14

Middle School Mathematics Course Guides

The Secondary Math Course Guides provide the standards aligned to topics and resources available in the currently adopted text. It is the teacher's professional responsibility to ensure that their students are prepared for the next course in the Pathway. This can only be accomplished when all grade level/course standards are taught with student engagement and an expectation of rigor in mathematics.

Excellence in Education, Every Student, Every Day, to Graduation

COURSE DESCRIPTIONS FOR MIDDLE SCHOOL MATHEMATICS

Math 6

Course #204, 204A/204B, 721, 258

This is a one year course for students in the 6th grade to focus on active engagement with numbers by focusing on conceptual understanding, computational and procedural skills, and problem solving. The 6th grade standards require students to study the following areas: operations with positive rational numbers, understanding of signed numbers on the number line, expressions and equations, proportional reasoning, data analysis in statistics, and plane and solid shapes. Students will increase their understanding of the course material by participating in homework, class work, quizzes, tests, group and individual tasks, and independent problem solving.

Math 7

Course #214, 215A/215B, 212

This is a one year course for students in 7th grade to focus on real-world scenarios and mathematical problems involving numerical and algebraic expressions and equations. Students begin to apply their understanding of rational numbers with increased complexity to add, subtract, multiply and divide. Students develop and apply understandings of proportional relationships. Students explore concepts of angle measure, area, surface area and volume. Data analysis with multiple sets of data are examined in statistics and students investigate the chance process with probability models. Students will increase their understanding of the course material by participating in homework, class work, quizzes, tests, group and individual tasks, and independent problem solving.

Math 7/8

This is a one year course for students in 7th grade to focus on real-world scenarios and mathematical problems involving numerical and algebraic expressions and equations. Students begin to apply their understanding of rational numbers with increased complexity to add, subtract, multiply and divide. Students develop and apply understandings of proportional relationships and become comfortable using a linear equation to describe the relationship between two values in the (x,y) plane. Students will learn to assess two- and three-dimensional shapes using distance, angle, and similarity using ideas about distance and angles and how they behave. The students will understand the Pythagorean Theorem and be able to explain why it is true. The students will complete their study of volume by learning to solve for the area, surface area, and volume of cones, cylinders, and spheres. Data analysis with multiple sets of data are examined in statistics and students investigate chance process with probability models. Students will increase their understanding of the course material by participating in homework, class work, quizzes, tests, group and individual tasks, and independent problem solving.

Math 8

Course #224, 225A/225B, 222

This is a one year course for students in 8th grade to focus on how to formulate expressions and equations, show the association of data with a linear equation, and to solve linear equations. The students become comfortable using a linear equation to describe the relationship between two values in the (x,y) plane. They will also be able to solve problems with one linear equation and systems with two linear equations. Students will learn to understand functions and to use a function to describe quantitative relationships. Students learn to assess two-and three-dimensional shapes using distance, angle, and similarity using ideas about distance and angles. The students will understand the Pythagorean Theorem and be able to explain why it is true. The students will complete their study of volume by learning to solve for the volume of cones, cylinders, and spheres. Students will increase their understanding of the course material by participating in homework, class work, quizzes, tests, group and individual tasks, and independent problem solving.

Successful completion of Math 6, Math 7 and Math 8 OR Math 6 and Math 7/8 prepares a student for Algebra 1.

Course #220, 227A/227B, 755

Essential Standards

Washoe County School District is committed to the vision that all students will meet or exceed academic expectations as defined in the Nevada Academic Content Standards (NVACS) and as detailed in WCSD course guide. To achieve this vision, teachers are expected to teach all standards aligned to a course/grade level. To ensure the highest level of learning for all students, teachers engage in the work of continuous improvement through the Professional Learning Community (PLC) process. To support the work of collaborative teams within the PLC process, educators from across the district identified essential standards, defined as:

"... a carefully selected subset of the total list of the grade-specific and coursespecific standards within each content area that students must know and be able to do by the end of each school year in order to be prepared for the standards at the next grade level or course" (Ainsworth, 2015 p. 55).

In WCSD, PLC teams guarantee success for all students by focusing their collaborative time, common assessments, and team-provided interventions on identified essential standards first (Adapted from Taking Action, 2018, p.86). The WCSD focus on essential standards does not relieve a teacher of the responsibility for teaching and assessing all standards identified by the NVACS for each grade/course.

Essential standards in the course guide are bolded and highlighted. Note: if a standard is essential in one Module it is labeled essential throughout all Modules of the guide.

Essential Standards Reteaching and Intervention

An additional day is included in the guide to provide time for reteaching and intervention as needed for the essential standards items.

Assessment Resources

A digital version of Middle School Course guides will be provided and available in the MathResources folder. The digital course guides will be organized by module and contain direct links to Smarter Balanced resources and sample items. These resources can aid in lesson planning and PLC conversations. Sample items included in these resources are public and can be integrated into classroom assessments and activities.

Middle School Course Minutes

The course guide assumes that math students are taught for an average of 50 minutes a day or an average of 250 minutes a week.

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Math 6 Course Guide

#204 Math 6 #204A/204B MYP Math 6 #771 Accel Math 6 #258 Basic Math 6

Math 6 Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days include needed throughout the topic.	ed in the	e schedule for review, reteaching, extension, or assessme	ent as						
Module	Days	Module	Days						
1 – Integers	4	8 – Percent	8						
3 – Rational Numbers	8	9 – Generating Equivalent Numerical Expressions	9						
2 – Factors & Multiples	4	10 – Generating Equivalent Algebraic Expressions	11						
4 – Operations with Fractions	20	11 – Equations & Relationships	12						
5 – Operations with Decimals	9	12 – Relationships in Two Variables	7						
6 – Representing Ratios & Rates	13	12 – Relationships in Two Variables	3-opt						
7 – Applying Ratios & Rates	12	14 – Distance & Area in Coordinate Plane	8						
Semester Flex/Review Days	10	13 – Area & Polygons	11						
		15 – Surface Area & Volume of Solids	11						
		16 - Displaying, Analyzing and Summarizing Data	10						
		Semester Flex/Review Days	6						
Be here by 12/19, the end of Q2 Be here by 6/6, the end of Q4									

											_	_		
	Module 1: Integers													
	Suggested Primary Secondary				Currented Medule Desire									
	Golviath Lesson and Topic	Pacing	Standard(s)	Standard(s)	Sug	ges	lea	IVIC	aul	e Pa	CINE	5		
				6.NS.C.6			Au	gust	2024					
1.1	identifying integers and Their Opposites	1	6.NS.C.5	6.NS.C.6a 6.NS.C.6c	S	М	Т	W	TH	F	S			
1 2	Comparing and Ordering Integers	1	6 NS C 7h	6.NS.C.7					1	2	3			
1.2	Companing and Ordering integers		0.113.0.70	6.NS.C.7a	4	5	6	7	8	9	10	l		
1.3	Absolute Value	1	6.NS.C.7c	6.NS.C.7	11	12	13	14	15	16	17			
				0.115.0.70	18	19	20	21	22	23	24	l		
Mod	ule 1 Quiz (Test Mod 1 & 3 at end of Mod 3)	1			25	26	27	28	29	30	31			

	Module	3: Ratio	nal Numbe	ers							
GoMath Lesson and Topic Suggested Primary Seconda GoMath Lesson and Topic Pacing Standard(s) Standard					Sug	gest	ted	Mo	dule	Pad	ing
3.1	Classifying Rational Numbers	2	6.NS.C.6				Αι	ugust	2024		
				6.NS.C.6	S	М	т	w	TH	F	S
3.2	Rational Numbers	1	6.NS.C.6c	6.NS.C.6a					1	2	3
				6.NS.C.7	4	5	6	7	8	9	10
2.2	Comparing and Ordering Patienal Numbers	2		6.NS.C.7	11	. 12	13	14	15	16	17
5.5	Comparing and Ordering Rational Numbers	2	0.NS.C.7a	6.NS.C.7b	18	19	20	21	22	23	24
Review and Assess (Module 1 & 3)		2			25	26	27	28	29	30	31
Esse	ntial Standards Reteach and Intervention	1									

	Number Sense Standards for Modules 1 & 3
Apply and	extend previous understandings of numbers to the system of rational numbers. (major cluster)
<mark>6.NS.C.5</mark>	Understand that positive and negative numbers are used together to describe quantities having opposite directions or values (e.g., temperature above/below zero, elevation above/below sea level, credits/debits, positive/negative electric charge); use positive and negative numbers to represent quantities in real-world contexts, explaining the meaning of 0 in each situation.
Apply and	extend previous understandings of numbers to the system of rational numbers. (major cluster)
6.NS.C.6	Understand a rational number as a point on the number line. Extend number line diagrams and coordinate axes familiar from previous grades to represent points on the line and in the plane with negative number coordinates.
	 Recognize opposite signs of numbers as indicating locations on opposite sides of 0 on the number line; recognize that the opposite of the opposite of a number is the number itself, e.g., -(-3) = 3, and that 0 is its own opposite.
	c. Find and position integers and other rational numbers on a horizontal or vertical number line diagram; find and position pairs of integers & other rational numbers on a coordinate plane.
6.NS.C.7	Understand ordering and absolute value of rational numbers.
	a. Interpret statements of inequality as statements about the relative position of two numbers on a number line diagram. For example, interpret –3 > –7 as a statement that –3 is located to the right of –7 on a number line oriented from left to right.
	b. Write, interpret, and explain statements of order for rational numbers in real-world contexts. For example, write -3°C>-7°C to express that -3°C is warmer than -7°C.
	c. Understand the absolute value of a rational number as its distance from 0 on the number line; interpret absolute value as magnitude for a positive or negative quantity in a real-world situation. For example, for an account balance of -30 dollars, write -30 = 30 to describe the size of the debt.
	 Distinguish comparisons of absolute value from statements about order. For ex, recognize that an account balance less than –30 dollars represents a debt greater than 30 dollars.
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Module 2: Factors and Multiples													
GoMath Lesson and Topic Suggested Primary Secondary Suggested Module Pacing Standard(s) Standard(s) Pacing								•					
2.1 Greatest Common Factor 1 6.NS.B.4						Sept	embe	r 2024	ţ				
2.2 Least Common Multiple	1	6.NS.B.4		S	M	T	W	TH	F	S			
Module 2 Quiz (Test Mod 2 & 4 at end of Mod 4)	1			1	26	3	4	29 5	30 6	31 7			
				8	9	10	11	12	13	14			
Essential Standards Reteach and Intervention	1			15	16	17	18	19	20	21			
				22	23	24	25	26	27	28			

	Module 4: Operations with Fractions												
GoMath Lesson and TopicSuggestedPrimarySecondarySuggested ModulePacingStandard(s)Standard(s)Pacing								9					
4.1	Applying GCF & LCM to Fraction Operations	6				Sep	temb	er/Oc	tober	2024			
	-add, subtract, and multiply fractions	0	0.113.0.4		S	м	Т	w	TH	F	S		
4.2	Dividing Fractions	4	6.NS.A.1		1	2	3	4	5	6	7		
4.3	Dividing Mixed Numbers	4	6.NS.A.1		8	9	10	11	12	13	14		
4.4	Solving Multistep Problems with Fractions				15	16	1/	18	19 26	20	21		
	and Mixed Numbers	3	6.NS.A.1		29	30	1	23	3	4	5		
Module 2 Quiz (Test Mod 2 & 4 at end of Mod 4)		2			6	7	8	9	10	11	12		
Esse	ntial Standards Reteach and Intervention	1											

Number Sense Standards for Modules 2 & 4

Apply and extend previous understandings of multiplication and division to divide fractions by fractions. (major cluster)

(
6.NS.A.1	Interpret and compute quotients of fractions, and solve word problems involving division of fractions by
	fractions, e.g., by using visual fraction models and equations to represent the problem. For example,
	create a story context for (2/3) \div (3/4) and use a visual fraction model to show the quotient; use the
	relationship between multiplication and division to explain that $(2/3) \div (3/4) = 8/9$ because 3/4 of 8/9 is
	2/3. (In general, (a/b) ÷ (c/d) = ad/bc.). How much chocolate will each person get if 3 people share 1/2 lb
	of chocolate equally? How many 3/4 cup servings are in 2/3 of a cup of yogurt? How wide is a rectangular
	strip of land with length 3/4 mile and area 1/2 square mile?
Compute	e fluently with multi-digit numbers and find common factors and multiples. (additional cluster)
6.NS.B.4	Find the greatest common factor of two whole numbers less than or equal to 100 and the least common
	multiple of two whole numbers less than or equal to 12. Use the distributive property to express a sum of two
	whole numbers 1–100 with a common factor as a multiple of a sum of two

whole numbers with no common factor. For example, express 36 + 8 as 4(9+2).

	Module 5: Operations with Decimals											
	GoMath Lesson and TopicSuggestedPrimarySecondaryPacingStandard(s)Standard(s)					Suggested Module Pacing						
5.1	Dividing Whole Numbers	1	6.NS.B.2		October 2024							
5.2	Adding and Subtracting Decimals	1	6.NS.B.3		S	М	T 1	W 2	TH 2	F	S	
5.3	Multiplying Decimals	1	6.NS.B.3		6	7	8	9	10	11	12	
5.4	Dividing Decimals	2	6.NS.B.3		13	14	15	16	17	18	19	
5.5	Applying Operations with Rational Numbers	2	6.NS.B.3		20	21	22 29	23 30	24 31	25	26	
Revi	ew and Assess	2			21	20	23	50	51			

Compute fluently with multi-digit numbers and find common factors and multiples. (additional cluster)								
6.NS.B.2	Fluently divide multi-digit numbers using the standard algorithm.							
6.NS.B.3	Fluently add, subtract, multiply, and divide multi-digit decimals using the standard algorithm for each							

	Module 6: Representing Ratios and Rates												
GoMath Lesson and TopicSuggestedPrimarySecondaryPacingStandard(s)Standard(s)					Suggested Module Pacing								
6.1 Rat	tios	3	6.RP. A.1	6.RP.A.3		Oct	ober/	Nove	mber	2024			
				6.RP.A.3	S	Μ	Т	W	TH	F	S		
6.2 Rat	tes	2	6.RP. A.2	6.RP.A.3b	27	28	29	30	31	1	2		
6.3 Usi	ing Ratios & Rates to Solve Problems	5	6.RP.A.3	6.RP.A.3a	3	4	5	6	7	8	9		
0.0 00		5			10	11	12	13	14	15	16		
Review and Assess		2			17	18	19	20	21	22	23		
Essential Standards Reteach and Intervention		1			24	25	26	27	28	29	30		

Understa	and ratio concepts and use ratio reasoning to solve problems. (major cluster)
6.RP.A.1	Understand the concept of a ratio and use ratio language to describe a ratio relationship between
	two quantities. For example, "The ratio of wings to beaks in the bird house at the zoo was 2:1, because for
	every 2 wings there was 1 beak."
6.RP.A.2	Understand the concept of a unit rate a/b associated with a ratio a:b with $b \neq 0$, and use rate language
	in the context of a ratio relationship. For example, "This recipe has a ratio of 3 cups of flour to 4 cups of
	sugar, so there is 3/4 cup of flour for each cup of sugar."
6.RP.A.3	Use ratio and rate reasoning to solve real-world and mathematical problems, e.g., by reasoning about
	tables of equivalent ratios, tape diagrams, double number line diagrams, or equations.
	a. Make tables of equivalent ratios relating quantities with whole number measurements, find missing
	values in the tables, and plot the pairs of values on the coordinate plane. Use tables to compare ratios.
	b. Solve unit rate problems including those involving unit pricing and constant speed. For example, if
	it took 7 hours to mow 4 lawns, then at that rate, how many lawns could be mowed in 35 hours?
	At what rate were lawns being mowed?

	Module 7: Representing Ratios and Rates											
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing							
7.1	Ratios, Rates, Tables and Graphs	3	<mark>6.RP. A.3a</mark>	<mark>6.RP.A.3</mark> 6.RP.A.3b		Nove	embe	r/Dec	embe	r 2024	1	
7.2	Solving Problems with Proportions	3	6.RP. A.3	6.RP.A.3b	17	18	19	20	21	F 22	23	
7.3	Converting within Measurement Systems	2	6.RP.A.3d	6.RP.A.3	24	25	26	27	28	29	30	
7.4	Converting between Measurement Systems	1	6.RP.A.3d	<mark>6.RP.A.3</mark> 6.RP.A.3b	1 8	2 9	3 10	4	5 12	6 13	7 14	
Review and Assess		2			15	16	17	18	19	20	21	
Essential Standards Reteach and Intervention 1					22	23	24	25	26	27	28	

Understand ratio concepts and use ratio reasoning to solve problems. (major cluster)

6.RP.A.3 Use ratio and rate reasoning to solve real-world and mathematical problems, e.g., by reasoning about tables of equivalent ratios, tape diagrams, double number line diagrams, or equations.

a. Make tables of equivalent ratios relating quantities with whole number measurements, find missing values in the tables, and plot the pairs of values on the coordinate plane. Use tables to compare ratios.

b. Solve unit rate problems including those involving unit pricing and constant speed. For example, if it took 7 hours to mow 4 lawns, then at that rate, how many lawns could be mowed in 35 hours? At what rate were lawns being mowed?

d. Use ratio reasoning to convert measurement units; manipulate and transform units appropriately when multiplying or dividing quantities.

End Of Quarter Two

	Module 8: Percent											
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					2		
8.1	Understanding Percent	2	6.RP. A.3c		January 2025							
8.2	Percent, Fractions and Decimals	2	6.RP. A.3	6.NS.B.3	S 5	M	T 7	W 8	TH	F	S 11	
8.3	Solving Percent Problems	2	6.RP.A.3c	6.RP.A.3	12	13	14	15	16	17	18	
Review and Assess		2			19	20	21	22	23	24	25	
		2			26	27	28	29	30	31		

Understa	nd ratio concepts and use ratio reasoning to solve problems. (major cluster)
6.RP.A.3	Use ratio and rate reasoning to solve real-world and mathematical problems, e.g, by reasoning about
	tables of equivalent ratios, tape diagrams, double number line diagrams, or equations.
	c. Find a percent of a quantity as a rate per 100 (e.g., 30% of a quantity means 30/100 times the quantity);
	solve problems involving finding the whole, given a part and the percent.
Compute	fluently with multi-digit numbers and find common factors and multiples. (additional cluster)
6.NS.B.3	Fluently add, subtract, multiply, and divide multi-digit decimals using the standard algorithm for each
	operation.

	Module 9: Generating Equivalent Numerical Expressions													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ary Suggested Module d(s) Pacing					9				
9.1	Exponents	2	6.EE.A.1		January 2025									
9.2	Prime Factorization	1	6.EE.A.1		S	M	Т	W	TH	F	S			
9.3	Order of Operations	3	6.EE.A.1		5	6 13	7 14	8 15	9 16	10	11			
Review and Assess		2			19	20	21	22	23	24	25			
Esse	Essential Standards Reteach and Intervention 1					27	28	29	30	31				

Apply and extend previous understandings of arithmetic to algebraic expressions. (major cluster)6.EE.A.1Write and evaluate numerical expressions involving whole-number exponents.

	Module 10: Generating Equivalent Algebraic Expressions												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ry Suggested Module I(s) Pacing								
				6.EE.A.2b	February 2025								
10.1	Modeling and Writing Expressions	3	6.EE.A.2a	6.EE.A.4	S	м	Т	w	TH	F	S		
				0.22.0.0	26	27	28	29	30	31	1		
10.2	Evaluating Expressions	2	6.EE.A.2c		2	3	4	5	6	7	8		
10.3	Generating Equivalent Expressions	3	6.EE.A.3	6.EE.A.2b	9	10	11	12	13	14	15		
				6.EE.A.4	16	17	18	19	20	21	22		
Review and Assess		2			23	24	25	26	27	28			
Essen	tial Standards Reteach and Intervention	1											

Apply and	extend previous understandings of arithmetic to algebraic expressions. (major cluster)
6.EE.A.2	Write, read, and evaluate expressions in which letters stand for numbers.
	a. Write expressions that record operations with numbers and with letters standing for numbers. For
	example, express the calculation "Subtract y from 5" as $5 - y$.
	b. Identify parts of an expression using mathematical terms (sum, term, product, factor, quotient,
	coefficient); view one or more parts of an expression as a single entity. For example, describe the
	expression 2(8+7) as a product of two factors; view (8+7) as both a single entity and a sum of two terms.
	c. Evaluate expressions at specific values of their variables. Include expressions that arise from formulas
	used in real-world problems. Perform arithmetic operations, including those involving whole number
	exponents, in the conventional order when there are no parentheses to specify a particular order (Order
	of Operations). For example, use the formulas V = s ³ and A = 6s ² to find the volume and surface area of a
	cube with sides of length s=1/2.
6.EE.A.3	Apply the properties of operations to generate equivalent expressions. For example, apply the distributive
	property to the expression 3 (2 + x) to produce the equivalent expression 6 + 3x; apply the distributive
	property to the expression 24x + 18y to produce the equivalent expression 6(4x + 3y); apply properties of
	operations to y + y + y to produce the equivalent expression 3y.
6.EE.A.4	Identify when two expressions are equivalent (i.e., when the two expressions name the same number
	regardless of which value is substituted into them). For example, the expressions y + y + y and 3y are
	equivalent because they name the same number regardless of the number y.
Reason al	pout and solve one-variable equations and inequalities. (major cluster)
6.EE.B.6	Use variables to represent numbers and write expressions when solving a real-world or mathematical
	problem; understand that a variable can represent an unknown number, or, depending on the purpose at
	hand, any number in a specified set.

Module 11: Equa	Module 11: Equations and Relationships										
GoMath Lesson and Topic	Suggested	Primary	Secondary		Sug	gest	ed:	Moc	lule		
	Pacing	Standard(s)	Standard(s)								
^{11.1} Writing Equations to Represent Situations	3	6.EE.B.7	6.EE.B.5 6.EE.B.6	February /March 2025							
11.2 Addition Equations (Only teach: $x + p = q$)				S	М	Т	W	TH	F	S	
 Complete Explore Activity p. 303 				9	10	11	12	13	14	15	
 Addition Equations- p. 304 Ex. 1 & p. 307 Ex. 4 	2	6.EE.B.7	6.EE.B.5	16	1/	18	19	20	21	1	
(optional Ex. 2 and Ex. 3)			01221010	23	24	25	20	27	28	•	
 Assign-Guided Practice #1-6, 10, 12, 13, 14, 17-21 				2	3 10	4	2 12	12	14	15	
11.3 Multiplication Equations (Only teach: $px = q$)				9	10	11	12	20	21	22	
 Complete Explore Activity p. 311 Addition Equations- p. 312 Ex. 1 & p. 315 Ex. 4 (optional Ex. 2 and Ex. 3) Assign-Guided Practice #1, 3-5, 9-12, 14, 17-19 	2	6.EE.B.5	6.EE.B.6 6.EE.B.7	10		10	15	20	21	22	
11.4 Writing Inequalities	2	6.EE.B.8	6.EE.B.5 <mark>6.EE.B.6</mark>								
Review and Assess	2										
Essential Standards Reteach and Intervention	1										

Reason a	bout and solve one-variable equations and inequalities. (major cluster)
6.EE.B.5	Understand solving an equation or inequality as a process of answering a question: which values from a
	specified set, if any, make the equation or inequality true? Use substitution to determine whether a given
	number in a specified set makes an equation or inequality true.
6.EE.B.6	Use variables to represent numbers and write expressions when solving a real-world or mathematical
	problem; understand that a variable can represent an unknown number, or, depending on the purpose at
	hand, any number in a specified set.
6.EE.B.7	Solve real-world and mathematical problems by writing and solving equations of the form x+p=q and px=q
	for cases in which <i>p</i> , <i>q</i> and <i>x</i> are all nonnegative rational numbers.
6.EE.B.8	Write an inequality of the form x > c or x < c to represent a constraint or condition in a real-world or
	mathematical problem. Recognize that inequalities of the form <i>x</i> > <i>c</i> or <i>x</i> < <i>c</i> have infinitely many solutions;
	represent solutions of such inequalities on number line diagrams.

	Module 12: Relationships in Two Variables												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ary Suggested Module d(s) Pacing								
12.1	Graphing in the Coordinate Plane	1	<mark>6.NS.C.6c</mark>	<mark>6.NS.C.6</mark> 6.NS.C.6b 6.NS.C.8	S	М	Marc T	h/Ap W	ril 202 TH	5 F	S		
12.2	Independent and Dependent Variables in Tables and Graphs	2	6.EE.C.9		9	3 10	4	12	6 13	7	8		
12.3	Wring Equations from Tables -simple equations $d = 56t$, $y = 2x$, $m = 3 + d$	2	6.EE.C.9		23	24	18 25	19 26	20	21	22		
Revie	w and Assess	2			30 6	31	1	2	3 10	4	5		
12.4	Representing Algebraic Relationships in Tables and Graphs	2- optional	6.EE.C.9				5	-					
Essen	tial Standards Reteach and Intervention	1											

Apply and	extend previous understandings of numbers to the system of rational numbers. (major cluster)
6.NS.C.6	 Understand a rational number as a point on the number line. Extend number line diagrams and coordinate axes familiar from previous grades to represent points on the line and in the plane with negative number coordinates. b. Understand signs of numbers in ordered pairs as indicating locations in quadrants of the coordinate plane; recognize that when two ordered pairs differ only by signs, the locations of the points are related by reflections across one or both axes. c. Find and position integers and other rational numbers on a horizontal or vertical number line diagram;
	find and position pairs of integers and other rational numbers on a coordinate plane.
6.NS.C.8	Solve real-world and mathematical problems by graphing points in all four quadrants of the coordinate plane. Include use of coordinates and absolute value to find distances between points with the same first coordinate or the same second coordinate.
Represent cluster)	and analyze quantitative relationships between dependent and independent variables. (major
6.EE.C.9	Use variables to represent two quantities in a real-world problem that change in relationship to one another; write an equation to express one quantity, thought of as the dependent variable, in terms of the other quantity, thought of as the independent variable. Analyze the relationship between the dependent and independent variables using graphs and tables and relate these to the equation. For example, in a problem involving motion at constant speed, list and graph ordered pairs of distances and times, and write the equation d = 65t to represent the relationship between distance and time.

Module 14: Distance and Area in the Coordinate Plane													
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				:					
Supplement: Review Integer-Module 1	1			April 2025									
14.1 Distance in the Coordinate Plane	2	6.NS.C.8	6.NS.C.6b	S	м	Т 1	W 2	TH 3	F 4	S 5			
14.2 Polygons in the Coordinate Plane	2	6.G.A.3		6	7	8	9	10	11	12			
Review and Assess	2			13	14	15	16	17	18	19			
Essential Standards Reteach and Intervention	1			20 27	21 28	22 29	23 30	24	25	26			

Apply and	extend previous understandings of numbers to the system of rational numbers. (major cluster)
6.NS.C.6	Understand a rational number as a point on the number line. Extend number line diagrams and coordinate
	axes familiar from previous grades to represent points on the line and in the plane with negative number
	coordinates.
	b. Understand signs of numbers in ordered pairs as indicating locations in quadrants of the coordinate
	plane; recognize that when two ordered pairs differ only by signs, the locations of the points are
	related by reflections across one or both axes.
6.NS.C.8	Solve real-world and mathematical problems by graphing points in all four quadrants of the coordinate
	plane. Include use of coordinates and absolute value to find distances between points with the same first
	coordinate or the same second coordinate.
Solve rea	-world and mathematical problems involving area, surface area, and volume. (supporting cluster)
6.G.A.3	Draw polygons in the coordinate plane given coordinates for the vertices; use coordinates to find the length
	of a side joining points with the same first coordinate or the same second coordinate. Apply these
	techniques in the context of solving real-world and mathematical problems.

	Module 13: Areas and Polygons														
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					Suggested Module Pacing					
13.1	Area of Quadrilaterals	1	6.G.A.1		April 2025										
13.2	Area of Triangles	2	<mark>6.G.A.1</mark>		S	М	Т	W	TH	F	S				
13.3	Solving Area Equations	2	<mark>6.G.A.1</mark>	6.EE.B.7	6	7	1 8	2 9	3 10	4	5 12				
13.4	Area of Polygons	3	6.G.A.1		13	14	15	16	17	18	19				
Review and Assess		2			20	21	22	23	24	25	26				
Essential Standards Reteach and Intervention					27	28	29	30							

Solve real	world and mathematical problems involving area, surface area, and volume. (supporting cluster)
6.G.A.1	Find the area of right triangles, other triangles, special quadrilaterals, and polygons by composing into
	rectangles or decomposing into triangles and other shapes; apply these techniques in the context of solving
	real-world and mathematical problems.
Reason ab	out and solve one-variable equations and inequalities. (major cluster)
6.EE.B.7	Solve real-world and mathematical problems by writing and solving equations of the form $x + p = q$ and $px = q$
	for cases in which <i>p</i> , <i>q</i> and <i>x</i> are all nonnegative rational numbers.

Module 15: Surface Area and Volume of Solids													
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Sug	Suggested Module Pacing								
15.1 Nets and Surface Area	3	6.G.A.4	6.EE.A.2c	May 2025									
15.2 Volume of Rectangular Prisms	2	<mark>6.G.A.2</mark>		S	M	T	W	TH	F	S			
15.3 Solving Volume Equations	3	<mark>6.G.A.2</mark>	6.EE.B.7	4	28 5	29 6	30	8	2	3 10			
Review and Assess	2			11	12	13	14	15	16	17			
Essential Standards Reteach and Intervention	1			18 25	19 26	20 27	21 28	22 29	23 30	24 31			

Solve rea	l-world and mathematical problems involving area, surface area, and volume. (supporting cluster)
6.G.A.2	Find the volume of a right rectangular prism with fractional edge lengths by packing it with unit cubes of
	the appropriate unit fraction edge lengths, and show that the volume is the same as would be found by
	multiplying the edge lengths of the prism. Apply the formulas V = I w h and V = b h to find volumes of
	right rectangular prisms with fractional edge lengths in the context of solving real-world and mathematical
	problems.
6.G.A.4	Represent three-dimensional figures using nets made up of rectangles and triangles, and use the nets to
	find the surface area of these figures. Apply these techniques in the context of solving real-world and
	mathematical problems
Apply and	d extend previous understandings of arithmetic to algebraic expressions. (major cluster)
6.EE.A.2	Write, read, and evaluate expressions in which letters stand for numbers.
	c. Evaluate expressions at specific values of their variables. Include expressions that arise from formulas
	used in real-world problems. Perform arithmetic operations, including those involving whole number
	exponents, in the conventional order when there are no parentheses to specify a particular order
	(Order of Operations). For example, use the formulas V = s ³ and A = 6s ² to find the volume and surface
	area of a cube with sides of length s=1/2.
Reason al	bout and solve one-variable equations and inequalities. (major cluster)
6.EE.B.7	Solve real-world and mathematical problems by writing and solving equations of the form $x + p = q$ and
	<i>px</i> = <i>q</i> for cases in which <i>p</i> , <i>q</i> and <i>x</i> are all nonnegative rational numbers.

	Module 16: Displaying, Analyzing and Summarizing Data													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Sug	Suggested Module Pac					cing			
16.1	Measures of Center	2	6.SP.B.5	6.SP.A.3	May 2025									
16.2	Mean Absolute Deviation	1	6.SP.B.5c	0.3P.D.3d-u	S	M	T 20	W	TH 1	F 2	S -			
16.3	Box Plots	1	6.SP.B.4	6.SP.B.5c	4	5	6	7	8	9	10			
				6.SP.A.1	11	12	13	14	15	16	17			
16.4	Dot Plots and Data Distribution	2	2 6.SP.B.4	6.SP.A.2 6.SP.B.5c, d	18	19	20	21	22	23	24			
16.5	Histograms	2	6.SP.B.4	6.SP.B.5	25	20	21	20	29	30	51			
Review and Assess														

Develop u	nderstanding of statistical variability. (additional cluster)
6.SP.A.1	Recognize a statistical question as one that anticipates variability in the data related to the question and accounts for it in the answers. For example, "How old am I?" is not a statistical question, but "How old are the students in my school?" is a statistical question because one anticipates variability in students' ages.
6.SP.A.2	Understand that a set of data collected to answer a statistical question has a distribution which can be described by its center, spread, and overall shape.
6.SP.A.3	Recognize that a measure of center for a numerical data set summarizes all its values with a single number, while a measure of variation describes how its values vary with a single number.
Summarize	e and describe distributions. (additional cluster)
6.SP.B.4	Display numerical data in plots on a number line, including dot plots, histograms, and box plots.
6.SP.B.5	 Summarize numerical data sets in relation to their context, such as by: a. Reporting the number of observations. b. Describing the nature of the attribute under investigation, including how it was measured and its units of measurement.
	 c. Giving quantitative measures of center (median and/or mean) and variability (interquartile range and/or mean absolute deviation), as well as describing any overall pattern and any striking deviations from the overall pattern with reference to the context in which the data were gathered. d. Relating the choice of measures of center and variability to the shape of the data distribution and the context in which the data were gathered.

End Of Quarter Four

2024-2025

Math 7 Course Guide

#214 Math 7 #215A/215B MYP Math 7 #212 Basic Math 7

Math 7 Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included	in the sch	*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as											
needed throughout the topic.													
Module	Days	Module	Days										
1 – Adding & Subtracting Integers	12	6 – Review Expressions & Equations	7										
2 – Multiplying & Dividing Integers	8	7 – Inequalities	9										
3 – Rational Numbers	14	8 – Modeling Geometric Figures	14										
4 – Rates & Proportionally	14	9 – Circumference, Area & Volume	17										
5 – Proportion & Percent	10	4 – Review Rates & Proportionally	7										
6 – Expressions & Equations	17	10 – Random Samples & Populations	10										
Semester Flex/Review Days	6	11 – Analyzing & Comparing Data	8										
		12 – Experimental Probability	4										
		13 – Theoretical Probability & Simulations	6										
		Semester Flex/Review Days	10										
Be here by 12/19 er	nd of Q2	Be here by 6/6 end	d of Q4										

Math 7 – Go Math Resources and Standards												
Module 1: Adding and Subtracting Integers												
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								

2

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7.NS.A.1

7.NS.A.1

7.NS.A.1b

7.NS.A.1d

7.NS.A.1b

August 2024

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1.3 Subtracting Integers	3	7.NS.A.1c	7.NS.A.1	4	5	6	7	8	9	10			
1.4 Applying Addition and Subtraction of Integers	2	7.NS.A.3	7.NS.A.1 7.NS.A.1d 7.EE.B.3	11 18 25	12 19 26	13 20 27	14 21 28	15 22 29	16 23 30	17 24 31			
Review and Assess	2												
Essential Standards Reteach and Intervention	1												
Module 2: Multiplying and Dividing Integers													
	Suggested	Drimary	Secondary		Sug	rapet	hod	Mo	dul	9			

	Module 2: Multiplying and Dividing Integers													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
2.1	Multiplying Integers	1	7.NS.A.2	7.NS.A.2a	September 2024									
~ ~	Dividing Integers	2		7.NS.A.2b	S	М	Т	W	TH	F	S			
2.2		2	7.NS.A.2	7.NS.A.3	25	26	27	28	29	30	31			
				7.NS.A.2a	1	2	3	4	5	6	7			
2.3	Applying Integer Operations	2	7.NS.A.3	7.NS.A.2c	8	9	10	11	12	13	14			
					7.EE.B.3	15	16	17	18	19	20	21		
Review and Assess		2			22	23	24	25	26	27	28			
Esse	ntial Standards Reteach and Intervention	1												

	Module 3: Rational Numbers													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
3.1	Rational Numbers	2	7.NS.A.2d	7.NS.A.2b			Sept	embe	er 2024	1				
3.2	Adding Rational Numbers	2	7.NS.A.1d	7.NS.A.1a 7.NS.A.1b 7.NS.A.3	5 1 8	M 2 9	T 3 10	W 4 11	TH 5 12	F 6 13	S 7 14			
3.3	Subtracting Rational Numbers	2	7.NS.A.1c	7.NS.A.1	15	16	17	18	19	20	21			
3.4	Multiplying Rational Numbers	1	7.NS.A.2	7.NS.A.2a 7.NS.A.2c 7.NS.A.3	22 29	23 30	24 1	25 2	26 3	27 4	28 5			
3.5	Dividing Rational Numbers	2	7.NS.A.2	7.NS.A.2b 7.NS.A.2c 7.NS.A.3										
3.6	Applying Rational Number Operations	2	7.EE.B.3	7.NS.A.3										
Rev	ew and Assess	2												
Esse	ntial Standards Reteach and Intervention	1												

1.1 Adding Integers with the Same Sign

1.2 Adding Integers with Different Signs

	Number Sense Standards for Modules 1, 2 & 3
Apply and	extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational
numbers.	major cluster)
7.NS.A.1	 Apply and extend previous understandings of addition and subtraction to add and subtract rational numbers; represent addition and subtraction on a horizontal or vertical number line diagram. a. Describe situations in which opposite quantities combine to make 0. For example, a hydrogen atom has 0 charge because its two constituents are oppositely charged. b. Understand p + q as the number located a distance q from p, in the positive or negative direction depending on whether q is positive or negative. Show that a number and its opposite have a sum of 0 (are additive inverses). Interpret sums of rational numbers by describing real-world contexts. c. Understand subtraction of rational numbers as adding the additive inverse, p – q = p + (-q). Show that
	difference and apply this in real-world contexts. d. Apply properties of operations as strategies to add and subtract rational numbers.
7.NS.A.2	 Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide rational numbers. a. Understand that multiplication is extended from fractions to rational numbers by requiring that operations continue to satisfy the properties of operations, particularly the distributive property, leading to products such as (-1)(-1) = 1 and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world contexts. b. Understand that integers can be divided, provided that the divisor is not zero, and every quotient of
	integers (with non-zero divisor) is a rational number. If p and q are integers, then $-\left(\frac{p}{q}\right) = \frac{-p}{q} = \frac{p}{-q}$. Interpret quotients of rational numbers by describing real world contexts. c. Apply properties of operations as strategies to multiply and divide rational numbers. d. Convert a rational number to a decimal using long division; know that the decimal form of a rational number terminates in 0s or eventually repeats.
7.NS.A.3	Solve real-world and mathematical problems involving the four operations with rational numbers.

	Module 4: Rates and Proportionality												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	/ Suggested Module s) Pacing								
4.1	Unit Rates	3	7.RP.A.1			1	Oct	ober	2024				
				7.RP.A.2a	S	М	Т	W	TH	F	S		
4.2	Constant Rate of Change	4	7.RP.A.2	7.RP.A.2b			1	2	3	4	5		
	C C					7.RP.A.2c	6	7	8	9	10	11	12
				7.RP.A.2b	13	14	15	16	17	18	19		
4.3	Proportional Relationships and Graphs	4	7.RP.A.2a	7.RP.A.2c	20	21	22	23	24	25	26		
				7.RP.A.2d	27	28	29	30	31				
Review and Assess		2											
Esse	ntial Standards Reteach and Intervention	1											

Analyze p	roportional relationships and use them to solve real-world and mathematical problems. (major cluster)
7.RP.A.1	Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other quantities
	measured in like or different units. For example, if a person walks 1/2 mile in each 1/4 hour, compute the
	unit rate as the complex fraction 1/2/1/4 miles per hour, equivalently 2 miles per hour.
7.RP.A.2	Recognize and represent proportional relationships between quantities.
	a. Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios in a
	table or graphing on a coordinate plane and observing whether the graph is a straight line through the
	origin.
	b. Identify the constant of proportionality (unit rate) in tables, graphs, equations, diagrams, and verbal descriptions of proportional relationships.
	c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
	number n of items purchased at a constant price p, the relationship between the total cost and the number of items can be expressed as t = pn.
	d. Explain what a point (x, y) on the graph of a proportional relationship means in terms of the situation, with special attention to the points (0, 0) and (1, r) where r is the unit rate.

	Module 5: Proportions and Percent										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ndary Suggested Module lard(s) Pacing						
5.1	Percent Increase and Decrease	2	7.RP.A.3	November 2024							
52	Rewriting Percent Expressions	2	7 FF Δ 2	7.RP.A.3	S	М	Т	W	TH	F	S
5.2		2	/	7.EE.B.3	27	28	29	30	31	1	2
5.3	Applications of Percent	3	7.RP.A.3	7.EE.B.3	3	4	5	6	7	8	9
0.0					10	11	12	13	14	15	16
Review and Assess		2			17	18	19	20	21	22	23
Essential Standards Reteach and Intervention		1			24	25	26	27	28	29	30

Analyze p	roportional relationships and use them to solve real-world and mathematical problems. (major cluster)							
7.RP.A.3	Use proportional relationships to solve multistep ratio and percent problems.							
Use prope	Use properties of operations to generate equivalent expressions. (major cluster)							
7.EE.A.2	Understand that rewriting an expression in different forms in a problem context can shed light on the							
	problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by							
	5%" is the same as "multiply by 1.05."							
Solve rea	-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)							
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in							
	any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations							
	as strategies to calculate with numbers in any form; convert between forms as appropriate; and assess the							
	reasonableness of answers using mental computation and estimation strategies. For example: If a woman							
	making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a							
	new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2							
	inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a							
	check on the exact computation.							

	Module 6: Expressions and Equations										
GoMath Lesson and Topic Suggested Primary Secondary Suggested GoMath Lesson and Topic Pacing Standard(s) Standard(s) Standard(s)						ges P	ted acii	Moo ng	dule	9	
6.1	Algebraic Expressions	4	7.EE.A.1	7.EE.A.2		Nove	embe	r/Dec	embe	r 2024	4
6.2	One-Step Equations with Rational Coefficients				S	М	Т	w	TH	F	S
	Math 6 worked with $x + p = q$ and $px = q$ for positive				17	18	19	20	21	22	23
	rational numbers. Math 7 will need to solve these with	4	7.EE.B.4		24	25	26	27	28	29	30
	negative rational numbers, and work with the equations				1	2	3	4	5	6	7
	$x-p=q$ and $\frac{x}{p}=q$.				8	9	10	11	12	13	14
6.3	Writing Two-Step Equations	3	7.EE.B.4	7.EE.B.3	15	16	17	18	19	20	21
6.4	Solving Two-Step Equations	3	7.EE.B.4a	7.EE.B.4	22	23	24	25	26	27	28
Review and Assess		2									
Esse	ential Standards Reteach and Intervention	1									

Use prope	erties of operations to generate equivalent expressions. (major cluster)
7.EE.A.1	Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with
	rational coefficients.
7.EE.A.2	Understand that rewriting an expression in different forms in a problem context can shed light on the
	problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by
	5%" is the same as "multiply by 1.05."
Solve rea	l-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in
	any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations
	as strategies to calculate with numbers in any form; convert between forms as appropriate; and assess the
	reasonableness of answers using mental computation and estimation strategies. For example: If a woman
	making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a
	new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2
	inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a
	check on the exact computation.
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	a. Solve word problems leading to equations of the form $px+q=r$, and $p(x+q)=r$, where p, q and r are
	specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an
	arithmetic solution, identifying the sequence of the operations used in each approach. For example, the
	perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?

End Of Quarter Two

Review Module 6: Expressions and Equations										
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						2
Pre-assess concepts	1 Janua					January 2025				
6.1 Algebraic Expressions	2	7.EE.A.1	7.EE.A.2	S	М	Т	w	TH	F	S
6.2 One-Step Equations with Rational Coefficients	1	7.EE.B.4		5	6 13	/	8 15	9 16	10 17	11
6.3 Writing Two-Step Equations	1	7.EE.B.4		19	20	21	22	23	24	25
6.4 Solving Two-Step Equations	1	7.EE.B.4a	7.EE.B.4	26	27	28	29	30	31	
Assess	1									

	Module 7: Inequalities										
GoMath Lesson and Topic Suggested Primary Secondary Suggested Mode Pacing Standard(s) Standard(s) Pacing						dule)				
7.1	Writing and Solving One-Step Inequalities	2	7.EE.B.4b	7.EE.B.4	January 2025						
7.2	Writing Two-Step Inequalities	2	7.EE.B.4		S 5	M 6	Т 7	W 8	TH 9	F 10	S 11
7.3	Solving Two-Step Inequalities	2	7.EE.B.4b		12	13	14	15	16	17	18
Review and Assess		3			19 26	20 27	21 28	22 29	23 30	24 31	25

Solve real-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
 7.EE.B.4 Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities.
 b. Solve word problems leading to inequalities of the form px+q>r, px+q<r where p, q and r are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem. For example: As a salesperson, you are paid \$50 per week plus \$3 per sale. This week you want your pay to be at least \$100. Write an inequality for the number of sales you need to make and describe the solutions.

	Module 8: Modeling Geometric Figures										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
8.1	Similar Shapes and Scale Drawings	3	7.G.A.1		February 2025						
8.2	Geometric Drawings	3	7.G.A.2		S 26	M	T 28	W 29	TH 30	F 31	S 1
8.3	Cross Sections	2	7.G.A.3		2	3	4	5	6	7	8
8.4	Angle Relationships	3	7.G.B.5		9	10	11	12	13	14 21	15
Review and Assess		3			23	24	25	26	27	28	22

Draw, co	Draw, construct, describe geometrical figures & describe relationships between them. (additional cluster)										
7.G.A.1	Solve problems involving scale drawings of geometric figures, including computing actual lengths and areas										
	from a scale drawing and reproducing a scale drawing at a different scale.										
7.G.A.2	Draw (freehand, with ruler and protractor, and with technology) geometric shapes with given conditions.										
	Focus on constructing triangles from three measures of angles or sides, noticing when the conditions										
	determine a unique triangle, more than one triangle, or no triangle.										
7.G.A.3	Describe the two-dimensional figures that result from slicing three-dimensional figures, as in plane sections										
	of right rectangular prisms and right rectangular pyramids.										
Solve rea	al-life and mathematical problems involving angle measure, area, surface area, and volume.										
(additior	nal cluster)										
7.G.B.5	Use facts about supplementary, complementary, vertical, and adjacent angles in a multi-step problem to										
	write and solve simple equations for an unknown angle in a figure.										
	Module 9: Circumference, Area, and Volume										
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	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Suggested Module Standard(s) Pacing							
9.1	Circumference	2	<mark>7.G.B.4</mark>			Fe	bruar	y /Ma	arch 2	025	
9.2	Area of Circles	2	7.G.B.4		S	м	т	w	TH	F	S
9.3	Area of Composite Figures	3	7.G.B.6		16 23	17 24	18 25	19 26	20 27	21 28	22 1
9.4	Solving Surface Area Problems	3	7.G.B.6	7.EE.B.4a	2	3	4	5	6	7	8
9.5	Solving Volume Problems	3	7.G.B.6	7.EE.B.4a	9 16	10 17	11 18	12 19	13 20	14 21	15 22
Review and Assess		3							-		
Esse	ntial Standards Reteach and Intervention	1									

Solve real-life and mathematical problems involving angle measure, area, surface area, and volume. (additional cluster)

lagarelou	
7.G.B.4	Know the formulas for the area and circumference of a circle and use them to solve problems; give an
	informal derivation of the relationship between the circumference and area of a circle.
7.G.B.6	Solve real-world and mathematical problems involving area, volume and surface area of two- & three-
	dimensional objects composed of triangles, quadrilaterals, polygons, cubes, & right prisms.
Solve real	l-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	a. Solve word problems leading to equations of the form $px+q=r$, and $p(x+q)=r$, where p, q and r are
	specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an
	arithmetic solution, identifying the sequence of the operations used in each approach. For example, the
	perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?

Review Module 4: Rates and Proportionality										
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	y Suggested Module s) Pacing						
Pre-assess concepts 1						Marc	h/Apı	ril 202	5	
A 1 Linit Rates	1	7 RP 4 1		S	М	Т	w	TH	F	S
	-	/		23	24	25	26	27	28	29
	2		7.RP.A.2a	30	31	1	2	3	4	5
4.2 Constant Rate of Change		7.RP.A.2	7.RP.A.2b	6	7	8	9	10	11	12
			7.RP.A.2c	13	14	15	16	17	18	19
			7.RP.A.2b	20	21	22	23	24	25	26
4.3 Proportional Relationships and Graphs	2	7.RP.A.2a	7.RP.A.2c							
			7.RP.A.2d							
Assess	1									

	Module 10: Random Samples and Populations										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
10.1	Populations and Samples	2	7.SP.A.1			1	А	pril 2	025		
10.2	Making Inferences	3	7.SP.A.2	7.RP.A.2c 7.SP.A.1	S	м	т 1	W 2	TH 3	F 4	S 5
10.3	Generating Random Samples	3	7.SP.A.2		6	7	8	9 16	10 17	11 18	12 19
Review and Assess		2			20	21	22	23	24	25	26
		5			27	28	29	30			

Use rando	om sampling to draw inferences about a population. (supporting cluster)
7.SP.A.1	Understand that statistics can be used to gain information about a population by examining a sample of the population; generalizations about a population from a sample are valid only if the sample is representative of that population. Understand that random sampling tends to produce representative samples and support valid inferences.
7.SP.A.2	Use data from a random sample to draw inferences about a population with an unknown characteristic of interest. Generate multiple samples (or simulated samples) of the same size to gauge the variation in estimates or predictions. For example, estimate the mean word length in a book by randomly sampling words from the book; predict the winner of a school election based on randomly sampled survey data. Gauge how far off the estimate or prediction might be.
Analyze p	roportional relationships and use them to solve real-world and mathematical problems. (major cluster)
7.RP.A.2	 Recognize and represent proportional relationships between quantities. Represent proportional relationships by equations. For example, if total cost t is proportional to the number n of items purchased at a constant price p, the relationship between the total cost and the number of items can be expressed as t = pn.

	Module 11: Analyzing and Comparing Data										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
11.1	Comparing Data Displayed in Dot Plots	2	7.SP.B.4	7.SP.B.3	April/May 2025						
11.2	Comparing Data Displayed in Box Plots	2	7.SP.B.3	7.SP.B.4	S	M	T 22	W 23	TH 24	F 25	S 26
11.3	Using Statistical Measures to Compare Populations	2	7.SP.B.3	7.SP.B.4	27 4	28 5	29 6	30 7	1 8	2 9	3 10
Review and Assess		3			11	12	13	14	15	16	17

Draw inf	ormal comparative inferences about two populations. (additional cluster)
7.SP.B.3	Informally assess the degree of visual overlap of two numerical data distributions with similar variability,
	measuring the difference between the centers by expressing it as a multiple of a measure of variability. For
	example, the mean height of players on the basketball team is 10 cm greater than the mean height of players
	on the soccer team, about twice the variability (mean absolute deviation) on either team; on a dot plot, the
	separation between the two distributions of heights is noticeable.
7.SP.B.4	Use measures of center and measures of variability for numerical data from random samples to draw
	informal comparative inferences about two populations.

	Module 12: Experimental Probability										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing					2
12.1	Probability	1	7.SP.C.5	7.SP.C.7a		1	М	ay 20	25		
12.2	Experimental Probability of Simple Events	1	7.SP.C.6	7.SP.C.7b	S	М	Т	W	TH	F	S
12.3	Experimental Probability of Compound Events	1	7.SP.C.8	7.SP.C.8a 7.SP.C.8b 7.SP.C.8c	4	5	6 13	7 14	1 8 15	2 9 16	3 10 17
12.4	Making Predictions with Experimental Probability	1	7.SP.C.6		18 25	19 26	20 27	21 28	22 29	23 30	24 31
(Assess Module 12 & 13 at the end of Module 13)											

Investigat	te chance processes and develop, use, and evaluate probability models. (supporting cluster)
7.SP.C.5	Understand that the probability of a chance event is a number between 0 and 1 that expresses the
	likelihood of the event occurring. Larger numbers indicate greater likelihood. A probability near 0 indicates
	an unlikely event, a probability around 1/2 indicates an event that is neither unlikely nor likely, and a
	probability near 1 indicates a likely event.
7.SP.C.6	Approximate the probability of a chance event by collecting data on the chance process that produces it
	and observing its long-run relative frequency, and predict the approximate relative frequency given the
	probability. For example, when rolling a number cube 600 times, predict that a 3 or 6 would be rolled
	roughly 200 times, but probably not exactly 200 times.
7.SP.C.7	Develop a probability model and use it to find probabilities of events. Compare probabilities from a model
	to observed frequencies; if the agreement is not good, explain possible sources of the discrepancy.
	a. Develop a uniform probability model by assigning equal probability to all outcomes and use the model
	to determine probabilities of events. For example, if a student is selected at random from a class, find
	the probability that Jane will be selected and the probability that a girl will be selected.
	b. Develop a probability model (which may not be uniform) by observing frequencies in data generated
	from a chance process. For example, find the approximate probability that a spinning penny will land
	heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny
	appear to be equally likely based on the observed frequencies?
7.SP.C.8	Find probabilities of compound events using organized lists, tables, tree diagrams, and
	simulation.
	a. Understand that, just as with simple events, the probability of a compound event is the fraction
	of outcomes in the sample space for which the compound event occurs.
	b. Represent sample spaces for compound events using methods such as organized lists, tables and tree
	diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the
	outcomes in the sample space which compose the event.
	c. Design and use a simulation to generate frequencies for compound events.

	Module 13: Theoretical Probability and Standards										
GoMath Lesson and TopicSuggestedPrimarySecondarySuggested NPacingStandard(s)Standard(s)Pacing					Moo ng	dule	÷				
13.1	Theoretical Probability of Simple Events	1	7.SP.C.7a	7.SP.C.6 7.SP.C.7			м	ay 20	25	F	6
13.2	Theoretical Probability of Compound	1	7.SP.C.8	7.SP.C.8a 7.SP.C.8b	27	28	29	30	1	F 2	3
13.3	Making Predictions with Theoretical Probability	1	7.SP.C.6	7.SP.C.7a	4 11 18	5 12 19	6 13 20	7 14 21	8 15 22	9 16 23	10 17 24
13.4	Using Technology to Conduct a Simulation	1	7.SP.C.8c	7.SP.C.8	25	26	27	28	29	30	31
Revie	w and Assess Module 12 & 13	4									

Investigate	e chance processes and	develop, use, and	l evaluate pro	bability models.	(supporting clust	er)
7 SP C 6	Approximate the proba	hility of a chance	event hy colle	cting data on the	chance process t	hat produ

7.SP.C.6	Approximate the probability of a chance event by collecting data on the chance process that produces it and observing its long-run relative frequency and predict the approximate relative frequency given the probability. For example, when rolling a number cube 600 times, predict that a 3 or 6 would be rolled roughly 200 times, but probably not exactly 200 times.
7.SP.C.7	 Develop a probability model and use it to find probabilities of events. Compare probabilities from a model to observed frequencies; if the agreement is not good, explain possible sources of the discrepancy. a. Develop a uniform probability model by assigning equal probability to all outcomes and use the model to determine probabilities of events. For example, if a student is selected at random from a class, find the probability that Jane will be selected and the probability that a girl will be selected.
7.SP.C.8	 Find probabilities of compound events using organized lists, tables, tree diagrams, and simulation. a. Understand that, just as with simple events, the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs. b. Represent sample spaces for compound events using methods such as organized lists, tables and tree diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the outcomes in the sample space which compose the event. c. Design and use a simulation to generate frequencies for compound events.

End Of Quarter Four

2024-2025

Math 7-8 Course Guide

#220 Math 7-8 #227A/227B MYP Math 7-8 #755 ACCEL Math 7-8: GATE

Math 7/8 Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic.

Module	Days	Module	Days
1 – Add/Subtract Integers	8	11 – Random Samples & Populations	6
2 – Multiply/Divide Integers	6	10 – Analyzing & Comparing Data	6
3 – Rational Numbers	14	12 – Experimental Probability	4
4 – Rates/Proportions 16 – Proportional Relationships	11	13 – Theoretical Probability & Simulations	6
17 – Nonproportional Relationships	9	8 – Modeling Geometry	6
5 – Proportions & Percentages	6	9 – Circumference, Area & Volume	8
6 – Expression & Equations	5	22 – Volume	7
18 – Solving Linear Equations	12	19 – Transformations & Congruence	8
7 – Inequalities	3	20 – Transformations & Similarity	8
Semester Flex/Review	7	21 – Angles, Parallel Lines & Triangles	10
		15 – Exponents & Scientific Notation	9
		14 – Real Numbers	7
		Grade 8: 12 – Pythagorean Theorem	8
Semester Flex/Review			
Be here by 12/19 end	l of Q2	Be here by 6/6 end	of Q4

	Module 1: Adding and Subtracting Integers													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
1.1	Adding Integers with the Same Sign	1	7.NS.A.1	7.NS.A.1b			Au	gust	2024					
1.2	Adding Integers with Different Signs	2	7.NS.A.1	7.NS.A.10	S	M	Т	W	TH 1	F 2	S 3			
1.3	Subtracting Integers	2	7.NS.A.1c	7.NS.A.1	4	5	6	7	8	9	10			
1.4	Applying Addition and Subtraction of Integers	2	7.NS.A.3	7.NS.A.1 7.NS.A.1d 7.EE.B.3	11 18 25	12 19 26	13 20 27	14 21 28	15 22 29	16 23 30	17 24 31			
Quiz	Module 1	1												

	Module 2: Multiplying and Dividing Integers													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
2.1	Multiplying Integers	1	7.NS.A.2	7.NS.A.2a	August/September 2024									
<u></u>	Dividing Integers	1		7.NS.A.2b	S	М	Т	W	TH	F	S			
2.2	Dividing integers	T	7.NS.A.Z	7.NS.A.3	18	19	20	21	22	23	24			
				7.NS.A.2a	25	26	27	28	29	30	31			
2.3	Applying Integer Operations	1	7.NS.A.3	7.NS.A.2c	1	2	3	4	5	6	7			
				7.EE.B.3	8	9	10	11	12	13	14			
Rev	ew and Assess Module 1 and Module 2	2				•	•							
Esse	ntial Standards Reteach and Intervention	1												

	Module 3: Rational Numbers													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing								
3.1	Rational Numbers	2	7.NS.A.2d	7.NS.A.2b			Sept	embe	er 2024	ı				
3.2	Adding Rational Numbers	2	7.NS.A.1d	7.NS.A.1a 7.NS.A.1b 7.NS.A.3	5 1 8	M 2 9	T 3 10	W 4 11	TH 5 12	F 6 13	S 7 14			
3.3	Subtracting Rational Numbers	2	7.NS.A.1c	7.NS.A.1	15	16	17	18	19	20	21			
3.4	Multiplying Rational Numbers	1	7.NS.A.2	7.NS.A.2a 7.NS.A.2c 7.NS.A.3	22 29	23 30	24 1	25 2	26 3	27 4	28 5			
3.5	Dividing Rational Numbers	2	7.NS.A.2	7.NS.A.2b 7.NS.A.2c 7.NS.A.3										
3.6	Applying Rational Number Operations	2	7.EE.B.3	7.NS.A.3										
Revi	ew and Assess	2												
Esse	ntial Standards Reteach and Intervention	1												

Number Sense Standards for Modules 1, 2 & 3

Apply and	dextend previous understandings of operations with fractions to add subtract multiply and divide
rational n	numbers (maior cluster)
7.NS.A.1	 Apply and extend previous understandings of addition and subtraction to add and subtract rational numbers; represent addition and subtraction on a horizontal or vertical number line diagram. a. Describe situations in which opposite quantities combine to make 0. For example, a hydrogen atom has 0 charge because its two constituents are oppositely charged. b. Understand p + q as the number located a distance q from p, in the positive or negative direction depending on whether q is positive or negative. Show that a number and its opposite have a sum of 0 (are additive inverses). Interpret sums of rational numbers by describing real-world contexts. c. Understand subtraction of rational numbers as adding the additive inverse, p – q = p + (-q). Show that the distance between two rational numbers on the number line is the absolute value of their difference and apply this in real-world contexts. d. Apply properties of operations as strategies to add and subtract rational numbers.
7.NS.A.2	 Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide rational numbers. a. Understand that multiplication is extended from fractions to rational numbers by requiring that operations continue to satisfy the properties of operations, particularly the distributive property, leading to products such as (-1)(-1) = 1 and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world contexts. b. Understand that integers can be divided, provided that the divisor is not zero, and every quotient of integers (with non-zero divisor) is a rational number. If p and q are integers, then - (^p/_q) = ^{-p}/_q = ^p/_{-q}. Interpret quotients of rational numbers by describing real world contexts. c. Apply properties of operations as strategies to multiply and divide rational numbers. d. Convert a rational number to a decimal using long division; know that the decimal form of a rational number terminates in 0s or eventually repeats.
7.NS.A.3	Solve real-world and mathematical problems involving the four operations with rational numbers.

	Module 4/Module 16: Rates and Proportionality													
	GoMath Lesson and Topic	Suggested	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing								
4.1	Unit Rates	T delling	7.RP.A.1	Standard(S)		September/October 2024								
16.3	Interpreting the Unit Rate as Slope	3	8.EE.B.5	8.F.A.2 <mark>8.F.B.4</mark>	S 22	M 23	T 24	W 25	ТН 26	F 27	S 28			
16.2	Constant Rate of Change	3	7.RP.A.2	7.RP.A.2a 7.RP.A.2b 7.RP.A.2c	29 6	30 7	1 8	2 9	3 10	4	5 12			
3.2	Rate of Change and Slope	3	<mark>8.F.B.4</mark>	7.NF.A.20	13 20	14 21	15 22	16 23	17 24	18 25	19 26			
4.3	Proportional Relationships and Graphs	3	7.RP.A.2a	7.RP.A.2b 7.RP.A.2c 7.RP.A.2d	27	28	29	30	31					
16.1	Representing Proportional Relationships		<mark>8.EE.B.6</mark>	8.EE.B.5 8.F.B.4										
Quiz (Asso	: Module 4 & Module 16 ess Modules 4, 16, & 17 after Module 17)	1												
Esse	ntial Standards Reteach and Intervention	1												

 7.RP.A.1 Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other quantities measured in like or different units. For example, if a person walks 1/2 mile in each 1/4 hour, compute the unit rate as the complex fraction 1/2/1/4 miles per hour, equivalently 2 miles per hour. 7.RP.A.2 Recognize and represent proportional relationships between quantities. a. Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios i a table or graphing on a coordinate plane and observing whether the graph is a straight line through th origin. b. Identify the constant of proportionality (unit rate) in tables, graphs, equations, diagrams, and verbal descriptions of proportional relationships. c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
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descriptions of proportional relationships. c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
number n of items purchased at a constant price p, the relationship between the total cost and the
number of items can be expressed as t = pn.
d. Explain what a point (x, y) on the graph of a proportional relationship means in terms of the situation,
with special attention to the points (0, 0) and (1, r) where r is the unit rate.
Understand the connections between proportional relationships, lines, and linear equations. (major cluster)
8.EE.B.5 Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two
different proportional relationships represented in different ways. For example, compare a distance-
time graph to a distance-time equation to determine which of two moving objects has greater speed.
8.EE.B.6 Use similar triangles to explain why the slope m is the same between any two distinct points on a non-
vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the
equation $y = mx + b$ for a line intercepting the vertical axis at b.
Define, evaluate, and compare functions. (major cluster)
8.F.A.2 Compare properties of two functions each represented in a different way (algebraically, graphically,
numerically in tables, or by verbal descriptions). For example, given a linear function represented by a
table of values and a linear function represented by an algebraic expression, determine which function
has the greater rate of change.
Use functions to model relationships between quantities. (major cluster)
8.F.B.4 Construct a function to model a linear relationship between two quantities. Determine the rate of
change and initial value of the function from a description of a relationship or from two (x, y) values,
including reading these from a table or from a graph. Interpret the rate of change and initial value of a
linear function in terms of the situation it models, and in terms of its graph or a table of values.

Module 17: Nonproportional Relationships													
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						9			
17.1 Representing Linear Nonproportional 1 8.F.A.3						Oc T	tober W	2024 TH	F	S			
17.2 Determining Slope and y-intercept	1	8.EE.B.6	<mark>8.F.B.4</mark>	6	7	1	2	3	4	5			
17.3 Graphing Linear Nonproportional Relationships using Slope and y-intercept	2	8.F.B.4	8.F.A.3	13 20	7 14 21	° 15 22	9 16 23	10 17 24	11 18 25	12 19 26			
17.4 Proportional and Nonproportional Situations	1	8.F.B.2	8.F.A.3 8.F.B.4	27	28	29	30	31	1	2			
Review and Assess Modules 4, 16, 17	3												
Essential Standards Reteach and Intervention	1												

Understa	nd the connections between proportional relationships, lines, and linear equations. (major cluster)
8.EE.B.6	Use similar triangles to explain why the slope m is the same between any two distinct points on a non- vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the
	equation $y = mx + b$ for a line intercepting the vertical axis at b.
Define, ev	valuate, and compare functions. (major cluster)
8.F.A.2	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.
<mark>8.F.A.3</mark>	Interpret the equation $y = mx + b$ as defining a linear function, whose graph is a straight line; give examples of functions that are not linear. For example, the function $A = s^2$ giving the area of a square as a function of its side length is not linear because its graph contains the points (1, 1), (2, 4), and (3, 9), which are not on a straight line.
Use funct	ions to model relationships between quantities. (major cluster)
8.F.B.4	Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values.

	Module 5: Proportions and Percent													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing								
5.1	Percent Increase and Decrease	1	7.RP.A.3				Nove	embe	r 2024	L .				
БЭ	Poweriting Porcent Expressions	1	7 66 4 2	7.RP.A.3	S	м	Т	W	TH	F	S			
5.Z	Rewriting Percent Expressions	T	7.EE.A.2	7.EE.B.3	27	28	29	30	31	1	2			
5.3	Applications of Percent	1	7.RP.A.3	7.EE.B.3	3	4	5	6	7	8	9			
0.0		-			10	11	12	13	14	15	16			
Rev	ew and Assess	2			17	18	19	20	21	22	23			
Esse	ntial Standards Reteach and Intervention	1			24	25	26	27	28	29	30			

Analyze p	roportional relationships and use them to solve real-world and mathematical problems. (major cluster)
7.RP.A.3	Use proportional relationships to solve multistep ratio and percent problems.
Use prope	erties of operations to generate equivalent expressions. (major cluster)
7.EE.A.2	Understand that rewriting an expression in different forms in a problem context can shed light on the
	problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by
	5%" is the same as "multiply by 1.05."
Solve real	-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in
	any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations
	as strategies to calculate with numbers in any form; convert between forms as appropriate; and assess the
	reasonableness of answers using mental computation and estimation strategies. For example: If a woman
	making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a
	new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2
	inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a
	check on the exact computation.

	Module 6: Expressions and Equations													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
6.1	Algebraic Expressions	1	7.EE.A.1	7.EE.A.2		I	Nov	embe	er 2024	L				
6.2	One-Step Equations with Rational Coefficients Math 6 worked with $x + n = a$ and $nx = a$ for positive				S	м	Т	W	TH	F 1	S 2			
	rational numbers. Math 7 will need to solve these with negative rational numbers, and work with the equations $x - p = q$ and $\frac{x}{n} = q$.	1	7.EE.B.4		3 10	4	5 12	6 13	7 14	8 15	9 16			
							17	18	19 26	20	21	22 29	23	
6.3	Writing Two-Step Equations	1	7.EE.B.4		27	25	20	27	20	25	50			
6.4	Solving Two-Step Equations	1	7.EE.B.4a	7.EE.B.4										
Qui	z Module 6 (Test Module 6 & 18 after Module 18)	1												

Use prop	erties of operations to generate equivalent expressions. (major cluster)
7.EE.A.1	Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with
	rational coefficients.
7.EE.A.2	Understand that rewriting an expression in different forms in a problem context can shed light on the
	problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by
	5%" is the same as "multiply by 1.05."
Solve rea	l-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in
	any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations
	as strategies to calculate with numbers in any form; convert between forms as appropriate; and assess the
	reasonableness of answers using mental computation and estimation strategies. For example: If a woman
	making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a
	new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2
	inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a
	check on the exact computation.
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	a. Solve word problems leading to equations of the form $px+q=r$, and $p(x+q)=r$, where p, q and r are
	specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an
	arithmetic solution, identifying the sequence of the operations used in each approach. For example, the
	perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?

Module 18: Solving Linear Equations										
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ary Suggested Module d(s) Pacing				•		
18.1 Equations with the Variable on Both Sides	2	8.EE.C.7	7 8.EE.C.7b November/December 2024					1		
18.2 Equations with Rational Numbers	2	8.EE.C.7b	8.EE.C.7	S	M 18	T 19	W 20	TH 21	F 22	S 23
18.3 Equations with the Distributive Property	2	8.EE.C.7b		24	25	26	27	28	29	30
18.4 Equations with Many Solutions or No Solution	2	8.EE.C.7a		1	2	3 10	4	5 12	6 13	7
Review and Assess Module 6 & Module 18	3			15	16	17	18	19	20	21
Essential Standards Reteach and Intervention	1			22	23	24	25	26	27	28

Analyze and solve linear equations and pairs of simultaneous linear equations. (major cluster)

8.EE.C.7 Solve linear equations in one variable.

a. Give examples of linear equations in one variable with one solution, infinitely many solutions, or no solutions. Show which of these possibilities is the case by successively transforming the given equation into simpler forms, until an equivalent equation of the form x = a, a = a, or a = b results (where a and b are different numbers).

b. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms

	Module 7: Inequalities										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					:	
7.1	Writing and Solving One-Step Inequalities	1	7.EE.B.4b	7.EE.B.4	s	м	Deco	embe W	r 202 4 тн	F	s
7.2	Writing Two-Step Inequalities	1	7.EE.B.4		1 8	2	3 10	4	5	6 13	7
7.3	Solving Two-Step Inequalities	1	7.EE.B.4b		15 22	16 23	17 24	18 25	19 26	20 27	21 28

Solve rea	al-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	b. Solve word problems leading to inequalities of the form $px+q>r$, $px+q< r$ where p, q and r are specific
	rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem.
	For example: As a salesperson, you are paid \$50 per week plus \$3 per sale. This week you want your pay
	to be at least \$100. Write an inequality for the number of sales you need to make and describe the
	solutions.

End Of Quarter Two

	Module 11: Random Samples and Populations										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				•		
11.1	Populations and Samples	2	7.SP.A.1		January 2025						
11.2	Making Inferences	2	7.SP.A.2	<mark>7.RP.S.2c</mark> 7.SP.A.1	S 5	M 6	Т 7	W 8	TH 9	F 10	S 11
11.3	Generating Random Samples	2	7.SP.A.2		12 19	13 20	14 21	15 22	16 23	17 24	18 25
Review and Assess Module 11 & Module 10					26	27	28	29	30	31	

Use rando	om sampling to draw inferences about a population. (supporting cluster)
7.SP.A.1	Understand that statistics can be used to gain information about a population by examining a sample of the population; generalizations about a population from a sample are valid only if the sample is representative
	of that population. Understand that random sampling tends to produce representative samples and support valid information
7.65.4.2	
7.SP.A.2	Use data from a random sample to draw inferences about a population with an unknown characteristic of
	interest. Generate multiple samples (or simulated samples) of the same size to gauge the variation in
	estimates or predictions. For example, estimate the mean word length in a book by randomly sampling
	words from the book; predict the winner of a school election based on randomly sampled survey data.
	Gauge how far off the estimate or prediction might be.
Analyze p	roportional relationships and use them to solve real-world and mathematical problems. (major cluster)
7.RP.A.2	Recognize and represent proportional relationships between quantities.
	c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
	number n of items purchased at a constant price p, the relationship between the total cost and the
	number of items can be expressed as t = pn.

	Module 10: Analyzing and Comparing Data										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					2	
10.1	Comparing Data Displayed in Dot Plots	1	7.SP.B.4	7.SP.B.3	January 2025						
10.2	Comparing Data Displayed in Box Plots	1	7.SP.B.3	7.SP.B.4	S	Μ	Т	W	TH	F	S
10.3	Using Statistical Measures to Compare Populations	2	7.SP.B.3	7.SP.B.4	5 12 19	6 13 20	7 14 21	8 15 22	9 16 23	10 17 24	11 18 25
Assess Module 11 & Module 10 after Module 10		2			26	27	28	29	30	31	

Draw inf	Draw informal comparative inferences about two populations. (additional cluster)								
7.SP.B.3	Informally assess the degree of visual overlap of two numerical data distributions with similar variability, measuring the difference between the centers by expressing it as a multiple of a measure of variability. For example, the mean height of players on the basketball team is 10 cm greater than the mean height of players on the soccer team, about twice the variability (mean absolute deviation) on either team; on a dot plot, the sonaration between the two distributions of beingts is noticeable.								
	separation between the two distributions of neights is noticeable.								
7.SP.B.4	Use measures of center and measures of variability for numerical data from random samples to draw								
	informal comparative inferences about two populations.								

	Module 12: Experimental Probability										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				!		
12.1	Probability	1	7.SP.C.5	7.SP.C.7a	January 2025						
12.2	Experimental Probability of Simple Events	1	7.SP.C.6	7.SP.C.7b	S 5	M 6	T 7	W 8	TH 9	F 10	S 11
12.3	Experimental Probability of Compound Events	1	7.SP.C.8	7.SP.C.8a-c	12 19	13 20	14 21	15 22	16 23	17 24	18 25
12.4	Making Predictions with Experimental Probability	1	7.SP.C.6		26	27	28	29	30	31	
(Asse	ss Module 12 & 13 at the end of Module 13)										

Investigat	e chance processes and develop, use, and evaluate probability models. (supporting cluster)
7.SP.C.5	Understand that the probability of a chance event is a number between 0 and 1 that expresses the
	likelihood of the event occurring. Larger numbers indicate greater likelihood. A probability near 0 indicates
	an unlikely event, a probability around 1/2 indicates an event that is neither unlikely nor likely, and a
	probability near 1 indicates a likely event.
7.SP.C.6	Approximate the probability of a chance event by collecting data on the chance process that produces it
	and observing its long-run relative frequency, and predict the approximate relative frequency given the
	probability. For example, when rolling a number cube 600 times, predict that a 3 or 6 would be rolled
	roughly 200 times, but probably not exactly 200 times.
7.SP.C.7	Develop a probability model and use it to find probabilities of events. Compare probabilities from a model
	to observed frequencies; if the agreement is not good, explain possible sources of the discrepancy.
	a. Develop a uniform probability model by assigning equal probability to all outcomes and use the model
	to determine probabilities of events. For example, if a student is selected at random from a class, find
	the probability that Jane will be selected and the probability that a girl will be selected.
	b. Develop a probability model (which may not be uniform) by observing frequencies in data generated
	from a chance process. For example, find the approximate probability that a spinning penny will land
	heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny
	appear to be equally likely based on the observed frequencies?
7.SP.C.8	Find probabilities of compound events using organized lists, tables, tree diagrams, and
	simulation.
	a. Understand that, just as with simple events, the probability of a compound event is the fraction of
	outcomes in the sample space for which the compound event occurs.
	b. Represent sample spaces for compound events using methods such as organized lists, tables and tree
	diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the
	outcomes in the sample space which compose the event.
	c. Design and use a simulation to generate frequencies for compound events.

	Module 13: Theoretical Probability and Standards										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	ges [.] P	ted acii	Mo ng	dule	÷
13.1	Theoretical Probability of Simple Events	1	7.SP.C.7a	7.SP.C.6 7.SP.C.7		Jar	uary,	/Febr	uary 2	025	
13.2	Theoretical Probability of Compound Events	1	7.SP.C.8	7.SP.C.8a 7.SP.C.8b	26	27	28	29	30	31	1
13.3	Making Predictions with Theoretical Probability	1	7.SP.C.6	7.SP.C.7a	2 9 16	10 17	4 11 18	5 12 19	13 20	7 14 21	° 15 22
13.4	Using Technology to Conduct a Simulation	1	7.SP.C.8c	7.SP.C.8	23	24	25	26	27	28	
Revie	w and Assess Module 12 & 13	2									

Investigat	e chance processes and develop, use, and evaluate probability models. (supporting cluster)
7.SP.C.6	Approximate the probability of a chance event by collecting data on the chance process that produces it and observing its long-run relative frequency and predict the approximate relative frequency given the probability. For example, when rolling a number cube 600 times, predict that a 3 or 6 would be rolled roughly 200 times, but probably not exactly 200 times.
7.SP.C.7	 Develop a probability model and use it to find probabilities of events. Compare probabilities from a model to observed frequencies; if the agreement is not good, explain possible sources of the discrepancy. a. Develop a uniform probability model by assigning equal probability to all outcomes and use the model to determine probabilities of events. For example, if a student is selected at random from a class, find the probability that Jane will be selected and the probability that a girl will be selected.
7.SP.C.8	 Find probabilities of compound events using organized lists, tables, tree diagrams, and simulation. a. Understand that, just as with simple events, the probability of a compound event is the fraction of outcomes in the sample space for which the compound event occurs. b. Represent sample spaces for compound events using methods such as organized lists, tables and tree diagrams. For an event described in everyday language (e.g., "rolling double sixes"), identify the outcomes in the sample space which compose the event. c. Design and use a simulation to generate frequencies for compound events.

	Module 8: Modeling Geometric Figures										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
8.1	Similar Shapes and Scale Drawings	2	7.G.A.1			1	Feb	ruary	2025		
8.2	Geometric Drawings	1	7.G.A.2		S 2	M 3	Т 4	W 5	TH 6	F 7	S 8
8.3	Cross Sections	1	7.G.A.3		9	10	11	12	13	14	15
Review and Assess		2			16 23	17 24	18 25	19 26	20 27	21 28	22

Draw, co	Draw, construct, describe geometrical figures & describe relationships between them. (additional cluster)							
7.G.A.1	Solve problems involving scale drawings of geometric figures, including computing actual lengths and areas							
	from a scale drawing and reproducing a scale drawing at a different scale.							
7.G.A.2	Draw (freehand, with ruler and protractor, and with technology) geometric shapes with given conditions.							
	Focus on constructing triangles from three measures of angles or sides, noticing when the conditions							
	determine a unique triangle, more than one triangle, or no triangle.							
7.G.A.3	Describe the two-dimensional figures that result from slicing three-dimensional figures, as in plane sections							
	of right rectangular prisms and right rectangular pyramids.							

	Module 9: Circumference, Area, and Volume										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
9.1	Circumference	1	7.G.B.4				Feb	ruary	2025		
9.2	Area of Circles	1	7.G.B.4		S	М	Т	w	TH	F	S
9.3	Area of Composite Figures	1	7.G.B.6		9	3 10	4	5 12	6 13	7 14	8
9.4	Solving Surface Area Problems	1	7.G.B.6	7.EE.B.4a	16 23	17 24	18 25	19 26	20 27	21 28	22
9.5	Solving Volume Problems	1	<mark>7.G.B.6</mark>	7.EE.B.4a						-	
Revi	ew and Assess	2									
Esse	ntial Standards Reteach and Intervention	1									

Solve real-life and mathematical problems involving angle measure, area, surface area, and volume. (additional cluster)

langerei	
7.G.B.4	Know the formulas for the area and circumference of a circle and use them to solve problems; give an
	informal derivation of the relationship between the circumference and area of a circle.
7.G.B.6	Solve real-world and mathematical problems involving area, volume and surface area of two- & three-
	dimensional objects composed of triangles, quadrilaterals, polygons, cubes, & right prisms.
Solve rea	al-life and mathematical problems using numerical and algebraic expressions and equations. (major cluster)
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	a. Solve word problems leading to equations of the form $px+q=r$, and $p(x+q)=r$, where p, q and r are
	specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an
	arithmetic solution, identifying the sequence of the operations used in each approach. For example, the
	perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?

Module 22: Volume										
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
22.1 Volume of Cylinders	1	<mark>8.G.C.9</mark>			Fe	bruar	y /Ma	arch 2	025	
22.2 Volume of Cones	2	<mark>8.G.C.9</mark>		S	M	T 25	W 26	TH 27	F	S 1
22.3 Volume of Spheres	1	<mark>8.G.C.9</mark>		2	3	4	5	6	7	8
Review and Assess	2			9 16	10 17	11 18	12 19	13 20	14 21	15 22
Essential Standards Reteach and Intervention	1									

Solve real world and mathematical problems involving of cylinders, cones and spheres. (additional cluster)								
<mark>8.G.C.9</mark>	Know the formulas for the volume of cones, cylinders, and spheres and use them to solve real world and							
	mathematical problems. Note: Make connections between shapes learned in 6 th /7 th grades and the new							
	volumes in 8 th .							

	Module 19: Transformations and Congruence										
GoMath Lesson and Topic Suggested Primary Secondary Suggested Mod Pacing Standard(s) Standard(s) Pacing					dule	9					
19.1	Properties of Translations	1	8.G.A.1	8.G.A.1a-c 8.G.A.3		1	Marc	h/Ap	ril 202	5	
19.2	Properties of Reflections	1	8.G.A.1	8.G.A.1a-c 8.G.A.3	S 9	M 10	T 11	W 12	TH 13	F 14	S 15
19.3	Properties of Rotations	2	8.G.A.1	8.G.A.1a-c 8.G.A.3	16 23	17 24	18 25	19 26	20 27	21 28	22 29
19.4	Algebraic Representations of Transformations	2	8.G.A.3		30	31	1	2	3	4	5
19.5	Congruent Figures	2	8.G.A.2		6	7	8	9	10	11	12
Revi	ew and Assess	2			13	14	15	10	1/	18	19

Understa (additior	and congruence and similarity using physical models, transparencies, or geometry software. nal cluster)
8.G.A.1	Verify experimentally the properties of rotations, reflections, and translations:
	a. Lines are taken to lines, and line segments to line segments of the same length.
	b. Angles are taken to angles of the same measure.
	c. Parallel lines are taken to parallel lines.
8.G.A.2	Understand that a two-dimensional figure is congruent to another if the second can be obtained from the
	first by a sequence of rotations, reflections, and translations; given two congruent figures, describe a
	sequence that exhibits the congruence between them.
8.G.A.3	Describe the effect of dilations, translations, rotations and reflections on two-dimensional figures using
	coordinates.

	Module 20: Transformations and Similarity										
	GoMath Lesson and Topic Suggested Primary Secondary Suggested Module Pacing Standard(s) Standard(s) Pacing						9				
20.1	Properties of Dilations	2	8.G.A.4	8.G.A.3	April 2025						
20.2	Algebraic Representations of Dilations	2	8.G.A.3		S	м	T 1	W 2	TH 3	F 4	S 5
20.3	Similar Figures	2	8.G.A.4		6 13	7 14	8 15	9 16	10 17	11 18	12 19
Review and Assess		2			20	21 28	22 29	23 30	24	25	26

Understand congruence and similarity using physical models, transparencies, or geometry software. (additional cluster)								
8.G.A.3	Describe the effect of dilations, translations, rotations and reflections on two-dimensional figures using coordinates.							
8.G.A.4	Understand that a two-dimensional figure is similar to another if the second can be obtained from the first by a sequence of rotations, reflections, translations, and dilations; given two similar two- dimensional figures, describe a sequence that exhibits the similarity between them.							

	Module 21: Angle Relationships in Parallel Lines & Triangles										
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module					
21.1/8.4	Parallel Lines Cut by a Transversal	3	8.G.A.5	otanaana(o)		м	A	pril 2	י ס 025	c .	
21.2	Angle Theorems for Triangles	2	8.G.A.5	8.EE.C.7 8.EE.C.7b	6	7	1 8	2	3 10	4	5
21.3	Angle-Angle Similarity	3	8.G.A.5	8.EE.B.6 8.EE.C.7	13 20	14	15 22	16 23	17 24	18 25	19 26
Review and Assess		2			27	28	29	30			

Solve rea	I-life and mathematical problems involving angle measure, area, surface area, and volume.
7.G.B.5	Use facts about supplementary, complementary, vertical, and adjacent angles in a multi-step problem to write and solve simple equations for an unknown angle in a figure.
Understa cluster)	nd congruence and similarity using physical models, transparencies, or geometry software. (major
8.G.A.5	Use informal arguments to establish facts about the angle sum and exterior angle of triangles, about the angles created when parallel lines are cut by a transversal, and the angle-angle criterion for similarity of triangles. For example, arrange three copies of the same triangle so that the three angles appear to form a line, and give an argument in terms of transversals why this is so.
Understa	nd the connections between proportional relationships, lines, and linear equations. (major cluster)
8.EE.B.6	Use similar triangles to explain why the slope m is the same between any two distinct points on a non- vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the equation $y = mx + b$ for a line intercepting the vertical axis at b.
Analyze a	nd solve linear equations and pairs of simultaneous linear equations. (major cluster)
8.EE.C.7	 Solve linear equations in one variable. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms.

Module 15: Exponents and Scientific Notation											
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing						
15.1 Integer Exponents	2	8.EE.A.1			May 2025						
15.2 Scientific Notation with Positive Powers of 10	1	8.EE.A.3		S	M	T 20	W	TH	F	S	
15.3 Scientific Notation with Negative Powers of 10	1	8.EE.A.3		4	5	6	7	8	9	10	
15.4 Operations with Scientific Notation	2	8.EE.A.4	8.EE.A.3	11	12	13	14	15	16	17	
Review and Assess	2			18 25	19 26	20 27	21 28	22 29	23 30	24	
Essential Standards Reteach and Intervention	1							1			

Work with	radicals and integer exponents. (major cluster)
8.EE.A.1	Know and apply the properties of integer exponents to generate equivalent numerical expressions. For example, $3^2 \times 3^{-5} = 3^{-3} = 1/3^3 = 1/27$.
8.EE.A.3	Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the other. For example, estimate the population of the United States as 3 × 10^8 and the population of the world as 7 × 10^9, and determine that the world population is more than 20 times larger.
8.EE.A.4	Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology.

	Module 14: Real Numbers												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				Suggested Module Pacing				2
14.1	Rational and Irrational Numbers						м	ay 20	25				
	Represent solutions using square root and cube root for			8.NS.A.2 8.EE.A.2	S	М	Т	w	ΤН	F	s		
	$x^2 = 12$, then $x = \sqrt{12}$ and $x^3 = 27$, then $x = \sqrt[3]{27}$.	2	8.NS.A.1						1	2	3		
	Evaluate small perfect square roots and small cube roots				4	5	6	7	8	9	10		
	for $\sqrt{49} = 7$ and $\sqrt[3]{8} = 2$.				11	12	13	14	15	16	17		
14.2	Sets of Real Numbers	1	8.NS.A.1		18	19	20	21	22	23	24		
14.3	Ordering Real Numbers	2	8.NS.A.2		25	26	27	28	29	30	31		
Revie	w and Assess	2											

Know that there are numbers that are not rational, and approximate them by rational numbers.

(supportin	ig cluster)
8.NS.A.1	Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; rational numbers show that the decimal expansions repeats eventually, and convert a decimal expansion which repeats eventually into a rational number.
8.NS.A.2	Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., π^2). For example, by truncating the decimal expansion of $\sqrt{2}$, show that $\sqrt{2}$ is between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations.
Work wit	n radicals and integer exponents. (major cluster)
8.EE.A.2	Use square root and cube root symbols to represent solutions to equations of the form $x^2 = p$ and $x^3 = p$, where p is a positive rational number. Evaluate square roots of small perfect squares and cube roots of small perfect cubes. Know the $\sqrt{2}$ is irrational.

	Grade 8 Module 12: Pythagorean Theorem												
GoMath Lesson and Topic Suggested Primary Secondary Suggested Mo Pacing Standard(s) Standard(s) Pacing					Moo ng	dule	:						
12.1	The Pythagorean Theorem	2	8.G.B.7	<mark>8.G.B.6</mark>	May/June 2025								
12.2	Converse of the Pythagorean Theorem	1	8.G.B.6		S	м	Т	W	TH	F	S		
12.3	Distance Between Two Points (using Pythagorean Th, not distance formula)	2	8.G.B.8		4	5	6	7	1 8 15	2 9 16	3 10 17		
Review and Assess		2			18	19	20	21	22	23	24		
Essential Standards Reteach and Intervention		1			25 1	26 2	27 3	28 4	29 5	30 6	31 7		

Understa	and and apply the Pythagorean Theorem. (major cluster)
8.G.B.6	Explain a proof of the Pythagorean Theorem and its converse.
8.G.B.7	Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world and
	mathematical problems in two and three dimensions. Solve $x^2 = p$ for any p .
8.G.B.8	Apply the Pythagorean Theorem to find the distance between two points in a coordinate system.

End Of Quarter Four

2024-2025

Math 8 Course Guide

#224 Math 8 #225A/225B MYP Math 8 #222 Basic Math 8

Math 8 Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included in the	schedul	e for review, reteaching, extension, or assessme	nt as				
needed throughout the topic.							
Module	Days	Module	Days				
1 – Real Numbers	8	7 – Review Linear Equations	12				
2 – Exponents, Scientific Notation	12	12 – Pythagorean Theorem	13				
3 – Proportional Relationships	9	13 – Volume	10				
4 – Nonproportional Relationships	10	8 – Solving Systems of Linear Equations	12				
5 – Writing Linear Equations	10	9 – Transformations & Congruence	12				
6 – Functions	10	10 – Transformations & Similarity	8				
7 – Solving Linear Equations	12	11 – Angle Relationships	10				
Semester Flex/Review	10	14 – Scatter Plots	6				
		15 – Two Way Tables	6				
		Semester Flex/Review	7				
Be here by 12/19 end	l of Q2	Be here by 6/6 end of Q4					

	Module 1: Real Numbers												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				Suggested Module Pacing				•
1.1	Rational and Irrational Numbers	Numbers					Au	gust	2024				
	Represent solutions using square root and cube root for			8 NS A 2	S	М	Т	w	TH	F	S		
	$x^2 = 12$, then $x = \sqrt{12}$ and $x^3 = 27$, then $x = \sqrt[3]{27}$.	3	3	3	3 8.NS.A.	8.NS.A.1	8.EE.A.2					1	2
	Evaluate small perfect square roots and small cube roots $f_{ab} = \frac{1}{2}$				4	5	6	7	8	9	10		
	for $\sqrt{49} = 7$ and $\sqrt{8} = 2$.				11	12	13	14	15	16	17		
1.2	Sets of Real Numbers	1	8.NS.A.1		18	19	20	21	22	23	24		
1.3	Ordering Real Numbers	2	8.NS.A.2		25	26	27	28	29	30	31		
Revie	w and Assess	2											

Know that there are numbers that are not rational, and approximate them by rational numbers. (supporting cluster)

8.NS.A.1	Know that numbers that are not rational are called irrational. Understand informally that every number has
	a decimal expansion; rational numbers show that the decimal expansions repeats eventually, and convert a
	decimal expansion which repeats eventually into a rational number.
8.NS.A.2	Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them
	approximately on a number line diagram, and estimate the value of expressions (e.g., π^2). For example, by
	truncating the decimal expansion of $\sqrt{2}$, show that $\sqrt{2}$ is between 1 and 2, then between 1.4 and 1.5, and
	explain how to continue on to get better approximations.
Work wit	h radicals and integer exponents. (major cluster)
8.EE.A.2	Use square root and cube root symbols to represent solutions to equations of the form $x^2 = p$ and $x^3 = p$,
	where p is a positive rational number. Evaluate square roots of small perfect squares and cube roots of
	small perfect cubes. Know the $\sqrt{2}$ is irrational.

Module 2: Exponents and Scientific Notation												
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing					<u>}</u>		
2.1 Integer Exponents	4	8.EE.A.1		August/September 2024								
2.2 Scientific Notation with Positive Powers of 10	1	8.EE.A.3		S	M	T	W	TH	F	S		
2.3 Scientific Notation with Negative Powers of 10	1	8.EE.A.3		25	26	20	21	22	30	31		
2.4 Operations with Scientific Notation	3	8.EE.A.4		1	2	3	4	5	6	7		
Review and Assess	2			8	9	10	11	12	13	14		
Essential Standards Reteach and Intervention	1			15	10	17	18	19	20	21		

Work with	radicals and integer exponents. (major cluster)
8.EE.A.1	Know and apply the properties of integer exponents to generate equivalent numerical expressions. For example, $3^2 \times 3^{-5} = 3^{-3} = 1/3^3 = 1/27$.
8.EE.A.3	Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the other. For example, estimate the population of the United States as 3 × 10^8 and the population of the world as 7 × 10^9, and determine that the world population is more than 20 times larger.
8.EE.A.4	Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology.

	Module 3: Proportional Relationships												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								
3.1	Representing Proportional Relationships	2	8.EE.B.6	8.EE.B.5 8.F.B.4	September 2024								
3.2	Rate of Change and Slope	2	<mark>8.F.B.4</mark>		1	2	3	4	5	г 6	7		
3.3	Interpreting the Unit Rate as Slope	2	8.EE.B.5	8.F.A.2 <mark>8.F.B.4</mark>	8	9 16	10 17	11 18	12 19	13 20	14 21		
Review and Assess		2			22	23	24	25	26	27	28		
Essential Standards Reteach and Intervention		1			29	30	1	2	3	4	5		

Understa	nd the connections between proportional relationships, lines, and linear equations. (major cluster)
8.EE.B.5	Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two different proportional relationships represented in different ways. For example, compare a distance-time graph to a distance-time equation to determine which of two moving objects has greater speed.
<mark>8.EE.B.6</mark>	Use similar triangles to explain why the slope m is the same between any two distinct points on a non- vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the equation $y = mx + b$ for a line intercepting the vertical axis at b.
Define, ev	valuate, and compare functions. (major cluster)
8.F.A.2	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.
Use funct	ions to model relationships between quantities. (major cluster)
8.F.B.4	Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values.

	Module 4: Nonproportional Relationships													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
4.1	Representing Linear Nonproportional	2	0 5 4 2		September/October 2024									
	Relationships	5	<mark>о.г.А.</mark> э		S	М	Т	W	TH	F	S			
4.2	Determining Slope and v-intercept	2	8.EE.B.6	8.F.B.4	22	23	24	25	26	27	28			
12	Granbing Linear Nonproportional				29	30	1	2	3	4	5			
4.5		2	<mark>8.F.B.4</mark>	<mark>8.F.A.3</mark>	6	7	8	9	10	11	12			
	Relationships using Slope and y-intercept				13	14	15	16	17	18	19			
лл	Proportional and Nonproportional Situations	2	8 F A 2	<mark>8.F.A.3</mark>	20	21	22	23	24	25	26			
т.т		2	0.1.7.2	8.F.B.4	27	28	29	30	31					
Quiz (Ass	Module 4 ess Module 4 & Module 5 after Module 5)	1					•							

Understa	nd the connections between proportional relationships, lines, and linear equations. (major cluster)
8.EE.B.6	Use similar triangles to explain why the slope m is the same between any two distinct points on a non-
	vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the
	equation $y = mx + b$ for a line intercepting the vertical axis at b.
Define, ev	valuate, and compare functions. (major cluster)
8.F.A.2	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically in tables, or by verbal descriptions). For example, given a linear function represented by a
	table of values and a linear function represented by an algebraic expression, determine which function
	has the greater rate of change.
8.F.A.3	Interpret the equation $y = mx + b$ as defining a linear function, whose graph is a straight line; give
	examples of functions that are not linear. For example, the function $A = s^2$ giving the area of a square
	as a function of its side length is not linear because its graph contains the points (1, 1), (2, 4), and (3, 9),
	which are not on a straight line.
Use funct	ions to model relationships between quantities. (major cluster)
8.F.B.4	Construct a function to model a linear relationship between two quantities. Determine the rate of
	change and initial value of the function from a description of a relationship or from two (x, y) values,
	including reading these from a table or from a graph. Interpret the rate of change and initial value of a
	linear function in terms of the situation it models, and in terms of its graph or a table of values.

	Module 5: Writing Linear Equations													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					:				
5.1	Writing Linear Equations from Situations and Graphs	3	<mark>8.F.B.4</mark>		S	Octo M	ober/	Nove W	mber TH	2024 F	S			
5.2	Writing Linear Equations from a Table	3	<mark>8.F.B.4</mark>		13	14	15	16	17	18	19			
Revi	ew and Assess	2			20	21	22	30	31	1	20			
Essential Standards Reteach and Intervention		2			3 10	4	5 12	6 13	7 14	8 15	9 16			

Use fund	Use functions to model relationships between quantities. (supporting cluster)											
8.F.B.4	Construct a function to model a linear relationship between two quantities. Determine the rate of change and											
	initial value of the function from a description of a relationship or from two (x, y) values, including reading these											
	from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the											
	situation it models, and in terms of its graph or a table of values.											

	Module 6: Functions													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						2			
6.1	Identifying and Representing Functions	2	8.F.A.1		November 2024									
6.2	Describing Functions	2	<mark>8.F.A.3</mark>	8.F.A.1	S	м	Т	W	TH	F	S			
6.3	Comparing Functions	2	8.F.A.2	<mark>8.F.B.4</mark>	3	4	5	6	7	1	9			
6.4	Analyzing Graphs	1	8.F.B.5		10	11	12	13	. 14	15	16			
Rev	iew and Assess	2			17	18	19	20	21	22	23			
Essential Standards Reteach and Intervention		1			24	25	26	27	28	29	30			

Define, e	evaluate, and compare functions. (major clusters)
8.F.A.1	Understand that a function is a rule that assigns to each input exactly one output. The graph of a function is the set of ordered pairs consisting of an input and the corresponding output. (Function notation is not required in Grade 8.)
8.F.A.2	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.
8.F.A.3	Interpret the equation $y = mx + b$ as defining a linear function, whose graph is a straight line; give examples of functions that are not linear. For example, the function $A = s^2$ giving the area of a square as a function of its side length is not linear because its graph contains the points (1,1), (2,4) and (3,9), which are not on a straight line.
Use lunc	tions to model relationships between quantities. (supporting cluster)
<mark>8.F.B.4</mark>	Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two (x, y) values, including reading these
	from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values.
8.F.B.5	Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the function is increasing or decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been described verbally.

	Module 7: Solving Linear Equations													
GoMath Lesson and TopicSuggestedPrimarySecondarySuggested ModPacingStandard(s)Standard(s)Pacing					dule	:								
7.1	Equations with the Variable on Both Sides	3	8.EE.C.7	8.EE.C.7b	November/December 2024					l I				
7.2	Equations with Rational Numbers	3	8.EE.C.7b	8.EE.C.7	S	M	T 10	W	TH 21	F	S 23			
7.3	Equations with the Distributive Property	3	8.EE.C.7b		24	25	26	27	28	29	30			
Dov	iow and Assass	2			1	2	3	4	5	6	7			
Rev	iew allu Assess	Z			8	9	10	11	12	13	14			
Essential Standards Reteach and Intervention		1			15	16	17	18	19	20	21			
L330					22	23	24	25	26	27	28			

Analyze and solve linear equations and pairs of simultaneous linear equations. (major cluster)

8.EE.C.7 Solve linear equations in one variable.

a. Give examples of linear equations in one variable with one solution, infinitely many solutions, or no solutions. Show which of these possibilities is the case by successively transforming the given equation into simpler forms, until an equivalent equation of the form x = a, a = a, or a = b results (where a and b are different numbers).

b. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms

End Of Quarter Two

	Review Module 7: Solving Linear Equations														
GoMath Lesson and Topic Suggested Primary Seconda Pacing Standard(s) Standard							ry Suggested Module (s) Pacing								
7.1	Equations with the Variable on Both Sides	2	8.EE.C.7	8.EE.C.7b	January 2025										
7.2	Equations with Rational Numbers	2	8.EE.C.7b	8.EE.C.7	S	M	Т	W	TH	F	S				
7.3	Equations with the Distributive Property	2	8.EE.C.7b		12	13	14	° 15	9 16	10	18				
7 /*	Equations with Many Solutions or No				19	20	21	22	23	24	25				
7.4 *	Solution *Not taught in 1 st semester	3	8.EE.C.7a		26	27	28	29	30	31					
Revi	ew and Assess	3													

	Module 12: Pythagorean Theorem													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ndary Suggested Module dard(s) Pacing									
12.1	The Pythagorean Theorem	4	8.G.B.7	<mark>8.G.B.6</mark>	January/February 2025									
12.2	Converse of the Pythagorean Theorem	2	8.G.B.6		S	M	T 21	W	TH 23	F 24	S 25			
12.3	Distance Between Two Points (using Pythagorean Th. not distance formula)	3	8.G.B.8		26	27	28	29	30	31	1			
Review and Assess		3			9	3 10	4	5 12	6 13	/ 14	8			
Essential Standards Reteach and Intervention		1												

Understa	nd and apply the Pythagorean Theorem. (major cluster)
8.G.B.6	Explain a proof of the Pythagorean Theorem and its converse.
8.G.B.7	Apply the Pythagorean Theorem to determine unknown side lengths in right triangles in real-world and
	mathematical problems in two and three dimensions. Solve $x^2 = p$ for any p .
8.G.B.8	Apply the Pythagorean Theorem to find the distance between two points in a coordinate system.

Module 13: Volume												
GoMath Lesson and TopicSuggestedPrimarySecondaryPacingStandard(s)Standard(s)				Suggested Module Pacing								
13.1 Volume of Cylinders	2	<mark>8.G.C.9</mark>		February 2025								
13.2 Volume of Cones	2	<mark>8.G.C.9</mark>		S	M	Т	W	TH	F	S		
13.3 Volume of Spheres	2	8.G.C.9		9	3 10	4	12	13	14	8 15		
Review and Assess	3			16	17	18	19	20	21	22		
Essential Standards Reteach and Intervention	1			23	24	25	26	27	28			

Solve rea	l world and mathematical problems involving of cylinders, cones and spheres. (additional cluster)
8.G.C.9	Know the formulas for the volume of cones, cylinders, and spheres and use them to solve real world and
	mathematical problems. Note: Make connections between shapes learned in 6 th /7 th grades and the new
	volumes in 8 th .

	Module 8: Solving Systems of Linear Equations												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				•				
8.1	Solving Systems of Linear Equations by						М	arch 2	2025				
	Graphing	3	8 FF (8a	8.EE.C.8	S	м	Т	W	TH	F	S		
	(Examine a graph, table of values or equation to	5	0.22.0.00	8.EE.C.8c	23	24	25	26	27	28	1		
	find a solution to the system)				2	3	4	5	6	7	8		
8.2	Solve Systems by Substitution				9	10	11	12	13	14	15		
_	(Set up equations in $v = mr + h$ and set the	3	8.EE.C.8b	8.EE.C.8c	16	17	18	19	20	21	22		
	expressions of $mx + b$ equal to each other and solve.)				23	24	25	26	27	28	29		
8.5	Solving Special Systems												
	(discuss systems that have infinite solutions and no solution)	3	8.EE.C.8a	8.EE.C.8c									
Revi	ew and Assess	3											

Analyze a	nd solve linear equations and pairs of simultaneous linear equations. (major cluster)						
8.EE.C.8	Analyze and solve pairs of simultaneous linear equations.						
	a. Understand that solutions to a system of two linear equations in two variables correspond to points of						
	intersection of their graphs, because points of intersection satisfy both equations simultaneously.						
	 a. Understand that solutions to a system of two linear equations in two variables correspond to points of intersection of their graphs, because points of intersection satisfy both equations simultaneously. b. Solve systems of two linear equations in two variables algebraically, and estimate solutions by graphing the equations. Solve simple cases by inspection. For example, 3x + 2y = 5 and 3x + 2y = 6 have no solution because 3x + 2y cannot simultaneously be 5 and 6. c. Solve real-world and mathematical problems leading to two linear equations in two variables. For 						
	solution because 3x + 2y cannot simultaneously be 5 and 6.						
	c. Solve real-world and mathematical problems leading to two linear equations in two variables. For						
	example, given coordinates for two pairs of points, determine whether the line through the first pair of						
	points intersects the line through the second pair.						

	Module 9: Transformations and Congruence												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing							
9.1	Properties of Translations	1	8.G.A.1	8.G.A.1a-c 8.G.A.3	March/April 2025								
9.2	Properties of Reflections	2	8.G.A.1	8.G.A.1a-c 8.G.A.3	S 23	M 24	T 25	W 26	TH 27	F 28	S 29		
9.3	Properties of Rotations	2	8.G.A.1	8.G.A.1a-c 8.G.A.3	30 6	31 7	1 8	2 9	3 10	4	5 12		
9.4	Algebraic Representations of Transformations	2	8.G.A.3		13	14	15	16	17	18	19		
9.5	Congruent Figures	2	8.G.A.2		20	21	22	23	24	25	26		
Revi	ew and Assess	3											

Understand congruence and similarity using physical models, transparencies, or geometry software. (additional cluster) 8.G.A.1 Verify experimentally the properties of rotations, reflections, and translations: d. Lines are taken to lines, and line segments to line segments of the same length. e. Angles are taken to angles of the same measure. f. Parallel lines are taken to parallel lines. 8.G.A.2 Understand that a two-dimensional figure is congruent to another if the second can be obtained from the first by a sequence of rotations, reflections, and translations; given two congruent figures, describe a congruence that orbibits the congruence between them

	sequence that exhibits the congruence between them.
8.G.A.3	Describe the effect of dilations, translations, rotations and reflections on two-dimensional figures using
	coordinates.

	Module 10: Transformations and Similarity												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								
10.1	Properties of Dilations	2	8.G.A.4	8.G.A.3	April 2025								
10.2	Algebraic Representations of Dilations	2	8.G.A.3		S	М	T 1	W 2	TH 3	F 4	S 5		
10.3	Similar Figures	2	8.G.A.4		6	7	8	9	10	11	12		
Review and Assess					13	14	15	16	17	18	19		
		2			20	21	22	23	24	25	26		
					27	28	29	30					

Understa (additior	and congruence and similarity using physical models, transparencies, or geometry software. nal cluster)
8.G.A.3	Describe the effect of dilations, translations, rotations and reflections on two-dimensional figures using coordinates.
8.G.A.4	Understand that a two-dimensional figure is similar to another if the second can be obtained from the first by a sequence of rotations, reflections, translations, and dilations; given two similar two- dimensional figures, describe a sequence that exhibits the similarity between them.

	Module 11: Angle Relationships in Parallel Lines & Triangles													
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing					2			
11.1	Parallel Lines Cut by a Transversal	3	8.G.A.5		April/May 2025									
11.2	Angle Theorems for Triangles	2	8.G.A.5	8.EE.C.7 8.EE.C.7b	S 27	M 28	Т 29	W 30	TH 1	F 2	S 3			
11.3	Angle-Angle Similarity	2	8.G.A.5	8.EE.B.6 8.EE.C.7	4	5 12	6 13	7 14	8 15	9 16	10 17			
Revie	w and Assess	3			18	19	20	21	22	23	24			

Understand congruence and similarity using physical models, transparencies, or geometry software. (major cluster)

8.G.A.5	Use informal arguments to establish facts about the angle sum and exterior angle of triangles, about the angles created when parallel lines are cut by a transversal, and the angle-angle criterion for similarity of triangles. For example, arrange three copies of the same triangle so that the three angles appear to form a line, and give an argument in terms of transversals why this is so.									
Understand the connections between proportional relationships, lines, and linear equations. (major cluster)										
8.EE.B.6	Use similar triangles to explain why the slope m is the same between any two distinct points on a non-									
	vertical line in the coordinate plane; derive the equation $y = mx$ for a line through the origin and the									
	equation $y = mx + b$ for a line intercepting the vertical axis at b.									
Analyze a	nd solve linear equations and pairs of simultaneous linear equations. (major cluster)									
8.EE.C.7	Solve linear equations in one variable.									
	b. Solve linear equations with rational number coefficients, including equations whose solutions require									
	expanding expressions using the distributive property and collecting like terms.									

	Module 14: Scatter Plots												
	GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				2				
14.1	Scatter Plots and Association	2	8.SP.A.1		May 2025								
14.2	Trend Lines and Predictions	2	8.SP.A.3	8.SP.A.1 8.SP.A.2	S 4	M 5	Т 6	W 7	TH 8	F 9	S 10		
					11	12	13	14	15	16	17		
Review and Assess		2			18	19	20	21	22	23	24		
					25	26	27	28	29	30	31		

Investigat	te patterns of association in bivariate data. (supporting cluster)
8.SP.A.1	Construct and interpret scatter plots for bivariate measurement data to investigate patterns of association
	between two quantities. Describe patterns such as clustering, outliers, positive or negative association,
	linear association, and nonlinear association.
8.SP.A.2	Know that straight lines are widely used to model relationships between two quantitative variables. For
	scatter plots that suggest a linear association, informally fit a straight line, and informally assess the model
	fit by judging the closeness of the data points to the line.
8.SP.A.3	Use the equation of a linear model to solve problems in the context of bivariate measurement data,
	interpreting the slope and intercept. For example, in a linear model for a biology experiment, interpret a
	slope of 1.5 cm/hr as meaning that an additional hour of sunlight each day is associated with an additional
	1.5 cm in mature plant height.

Module 15: Two-Way Tables												
GoMath Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing					2		
15.1 Two-Way Frequency Tables	2	8.SP.A.4		May 2025								
15.2 Two-Way Relative Frequency Tables	2	8.SP.A.4		S	M	Т	W	TH	F	S		
				4	5	6 13	7	8 15	9 16	10		
Review and Assess	2			18	19	20	21	22	23	24		
				25	26	27	28	29	30	31		
				1	2	3	4	5	6	7		

Investigate patterns of association in bivariate data. (supporting cluster)

8.SP.A.4 Understand that patterns of association can also be seen in bivariate categorical data by displaying frequencies and relative frequencies in a two-way table. Construct and interpret a two-way table summarizing data on two categorical variables collected from the same subjects. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. For example, collect data from students in your class on whether or not they have a curfew on school nights and whether or not they have assigned chores at home. Is there evidence that those who have a curfew also tend to have chores?

End Of Quarter Four

High School Mathematics Course Guides

The Secondary Math Course Guides provide the standards aligned to topics and resources available in the currently adopted text. It is the teacher's professional responsibility to ensure that their students are prepared for the next course in the Pathway. This can only be accomplished when all grade level/course standards are taught with student engagement and an expectation of rigor in mathematics.

Excellence in Education, Every Student, Every Day, to Graduation

COURSE DESCRIPTIONS FOR HIGH SCHOOL MATHEMATICS

Algebra 1

Foundations in Algebra 1

Full Year = 1 math credit

Prerequisite: Successful completion of all semesters of Math 7 and Math 8 or Math 7/8.

This is a one-year course designed to teach the fundamentals of elementary algebra. This course lays the foundation of knowledge and skills to meet the Nevada Academic Content Standards in Mathematics (NVACS) for high school students. A strong foundation in algebra is needed for subsequent mathematics courses. The NVACS studied include all 5 Domains: Relationships between Quantities and Reasoning with Equations, Linear and Exponential Relationships, Descriptive Statistics, Expressions and Equations and Quadratic Functions and Modeling. Throughout the year, students will be expected to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations and exhibit increased confidence in their ability to solve mathematical problems.

Geometry

Foundations in Geometry

Full Year = 1 math credit

Prerequisite: Successful completion of all semesters of Algebra 1 (or all semesters of the 2-year course). This is a one-year course that will cover the following topics through emphasis on basic geometric proofs, axioms, postulates and theorems, plane geometric figures, right triangles with trigonometry, constructions, congruence and similarity, circles, coordinate and transformational geometry, inductive and deductive reasoning, three-dimensional geometry, and probability. Emphasis is on the development of deductive reasoning skills. Students will also review algebraic techniques, work on realistic problems, and use technology when possible.

Formal Geometry

Full Year = 1 math credit (Honors)

Prerequisite: Successful completion of all semesters of Algebra 1. Admission into Formal Geometry will be based on the student's previous performance in addition to teacher recommendation, student's desire to learn and work ethic.

This is a one-year course that will cover the following topics through emphasis on basic geometric proofs, axioms, postulates and theorems, plane geometric figures, right triangles with trigonometry (Law of Sine and Cosine), constructions, congruence and similarity, circles, coordinate and transformational geometry, inductive and deductive reasoning, three-dimensional geometry, and probability. Emphasis is on the development of deductive reasoning skills. Students will also review algebraic techniques, and work on realistic problems. An ability to think abstractly is critical for successful completion of this course.

Algebra 2

Foundations in Algebra 2

Full Year = 1 math credit

Prerequisite: Successful completion of all semesters of Algebra 1 and Geometry or Formal Geometry. This is a one-year course, which strengthens and expands on the techniques and concepts learned in Algebra 1. This course will reinforce the student's problem solving and algebraic skills in preparation for advanced mathematics courses. The major topics of study are relations and functions, domain and range of parent functions systems of nonlinear equations, polynomials and polynomial functions, complex numbers, quadratic equations, rational and radical functions, exponential and logarithmic functions, statistics, and matrices. Throughout the year, students will continue to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations, and exhibit increased confidence in their ability to solve mathematical problems.

Course #2201-2202 Course #7769-7770

Course #2215-2216

Course #2221-2222 Course #7779-7780

Course #2211-2212

Course #7771-7772

Algebra 2 (H)

Course #2227-2228

Full Year = 1 math credit (Honors)

Prerequisite: Successful completion of all semesters of Algebra 1 and Geometry or Formal Geometry. Admission into Algebra 2 (H) will be based on the student's previous performance, student's desire to learn and work ethic in addition to teacher recommendation.

This is a one-year course, designed for students with a strong understanding of the concepts learned in Algebra 1 and Geometry. This course will build upon the student's problem solving and algebraic skills in preparation for advanced mathematics courses through a course that addresses the rigor expected of an honors level course. The major topics of study are relations and functions, domain and range of parent functions, systems of nonlinear equations, polynomials and polynomial functions, complex numbers, quadratic equations, rational and radical functions, exponential and logarithmic functions, statistics, and matrices. Throughout the year, students will continue to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations, and exhibit increased confidence in their ability to so challenging mathematical problems.

All students must earn credits in Algebra 1, Geometry and Algebra 2 before enrolling in any of the following courses. Some courses have additional pre-requisites (see Course Description).

Introductory PreCalculus

Full Year = 1.0 math credit

Prerequisite: Successful completion of all semesters of Algebra 1, Geometry and Algebra 2. This is a one-year course designed to follow Algebra 2. The major topics of semester one of study are polynomials and rational functions, exponential and logarithmic functions, domain and range of advanced functions, the use of notation in set, interval and inequality, composition of functions, complex numbers, powers and roots, polynomial equations and inequalities, rational equations and inequalities. The major topics of semester two are matrix operations and applications, system of linear equations in two and three variables, conic sections, sequences and series, probability, and limits. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

PreCalculus with Trigonometry

Full year = 1 math credit (Honors)

Prerequisite: Successful completion of all semesters of Algebra 1, Geometry or Formal Geometry and Algebra 2 or Algebra 2 (H). Admission into PreCalculus w/Trigonometry will be based on the student's previous performance, student's desire to learn and work ethic in addition to teacher recommendation. This is a one-year course designed to teach the fundamentals of pre-calculus with trigonometry. The course begins with a review of the basics of functions, polynomial functions and equations, radical and rational functions and equations and exponential and logarithmic functions. Trigonometry topics are trigonometric functions; applications of trigonometric functions, trigonometric identities, polar coordinates, graphs of polar equations, complex numbers, powers and roots. Additional topics are vectors, sequences and series, conics, inverse and composition of functions, and limits. Throughout the year, students will continue to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations, and exhibit increased confidence in their ability to solve mathematical problems.

Course #2049-2050

Course #2231-2232
Advanced Algebra 3

Full Year = 1 math credit

Prerequisite: Successful completion of all semesters of Algebra 1, Geometry and Algebra 2.

This is a one-year non-honors level course designed to build upon the concepts presented in Algebra 2. Students will apply Algebra 2 concepts in real-life contexts to strengthen and expand problem solving, numerical literacy and application skills in preparation for post-secondary choices including the world of work, college, technical training or the military. Mathematics topics that will be imbedded into the modules include: Functions (Linear, Quadratics, Exponentials, Logarithms, Rational, and Polynomial); Geometry and Measurement, Linear Programming, Probability and Data Analysis. Financial Math is a strong second semester focus. Graphing Calculators are required.

Probability, Statistics and Discrete Mathematics

Full Year = 1 math credit

Prerequisite: Successful completion of all semesters of Algebra 1, Geometry and Algebra 2. This is a one-year course designed to provide students with opportunities to explore concrete concepts, probability, statistics and discrete mathematics. The first semester consists of studying set theory, probability, statistics, experimental design, sampling techniques, distributions, measures of center, spread and position. Students are provided with opportunities to collect and analyze data relevant to students and draw conclusions based on this analysis. The second semester will involve hypothesis testing, confidence intervals, correlation, and linear regression, finance, and number representations. Throughout the course, emphasis will be given to providing students with numerous opportunities to model problem situations using hands-on materials, graphing calculators, and computers. Students need to have completed the first semester of Probability, Statistics and Discrete Mathematics in order to continue into the second semester.

Advanced Placement Mathematics

AP Calculus AB

Full Year = 1 math credit (Advanced Placement)

Prerequisite: Successful completion of all semesters of Pre-Calculus with Trigonometry.

Advanced Placement Calculus AB is a one-year course designed for those students wishing to study mathematics on the collegiate level. The major topics of study are functions, limits and continuity, derivatives and applications of the derivative, integrals, techniques of integration, and applications of the integral, and inverse functions. This is for students who have completed the equivalent of four years of college preparatory mathematics. Students apply skills and information acquired in previous math courses. Students are required to take the AP exam in May. All AP exams have a cost associated with them.

AP Calculus BC

Full Year = 1 math credit (Advanced Placement)

Prerequisite: Successful completion of all semesters of Pre-Calculus with Trigonometry.

Advanced Placement Calculus BC is a one-year course designed for those students who have completed the equivalent of four years of college preparatory mathematics and have working knowledge of functions: linear, polynomial, rational, exponential, logarithmic, trigonometric, inverse trigonometric and piecewise-defined. The major topics of study are functions, graphs and limits including parametric, polar and vectors, derivatives and applications of derivatives, integrals, applications of integrals, and fundamental Theorem of Calculus, antidifferentiation and applications of anti-differentiation, and polynomial approximations and series. Students are required to take the AP exam in May. All AP exams have a cost associated with them.

Course #2241-2242

Course #2243-2244

Course #2257-2258

Course #2255-2256

AP Statistics

Full Year = 1 math credit (Advanced Placement)

Prerequisite: Successful completion of all semesters of Algebra 1, Geometry or Formal Geometry and Algebra 2 or Algebra 2 (H).

This is a one-year course designed to offer Statistics to those students wishing to study the topic at or on par with the university level. The major topics of study are Inferential and Descriptive Statistics, Data Collection and Analysis, Data Distributions, Probability, and Experimental Design. Students are required to take the AP exam in May. All AP exams have a cost associated with them.

Special Education Classes

Bridge to Algebra

Full Year = 1 math credit

This course is for the first-year high school student receiving special education services. The curriculum will introduce algebraic expressions and linear equations; applied through a review of operations on integers, fractions, decimals, percentages, and radicals. Students explore proportional relations using equations, tables, and graphs. After successful completion of Bridge to Algebra a student may proceed to Algebra 1, or equivalent.

Two-Year Algebra 1

Two-Full Years = 2 math credits

Prerequisite: Successful completion of all semesters of Math 7 and Math 8 or Math 7/8 or Bridge to Algebra. This is a two-year course designed to teach the fundamentals of elementary algebra. This course lays the foundation of knowledge and skills to meet the Nevada Academic Content Standards in Mathematics (NVACS) for high school students. A strong foundation in algebra is needed for subsequent mathematics courses. The NVACS studied include all five Domains: Relationships between Quantities and Reasoning with Equations, Linear and Exponential Relationships, Descriptive Statistics, Expressions and Equations and Quadratic Functions and Modeling. Throughout the year, students will be expected to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations and exhibit increased confidence in their ability to solve mathematical problems.

Math Skills

One Year = 1.0 math credit

This course is for the first or second year high school student receiving special education services and may be repeated one time for credit (total 2 credits). It will focus on basic skills in operations, place value, fractions, decimals, percentages, problem solving, money, time, measurement, charts, graphs, word problems, basic geometry and may include an introduction to basic algebraic concepts. This course does not meet the requirements for the End of Course exams in mathematics.

Transitions Math

One Year = 1.0 math credit

This course is for the third and/or fourth year high school student receiving special education services and may be repeated once for credit (total 2 credits). This course is designed to cover a wide number of mathematical topics/concepts over a two-year period. In the even-numbered years (e.g. 2016-17, 2018-19, etc.) the curriculum will focus on consumer applications, including earning money, buying food, shopping, household budgeting, car maintenance/repair costs, home improvement, travel, personal budgeting, banking and investing, paying taxes, and career preparation. In the odd-numbered years (e.g. 2017-18, 2019-20, etc.) the curriculum will focus on the world of work, including skills students need on the job such as wages, benefits, kinds of businesses, human resource departments, business travel, corporate banking, operating expenses, business management, casualty insurance, government regulations, risks for business owners, sales and marketing, and mail-order businesses. This course does not meet the requirements for the End of Course exams in mathematics.

Course #7763-7764

Course #7765-7766

Course #2271-2272

Course #7767-7768

Course #7824-7825

Course #7826-7827

College Readiness Classes

Pre-College Math

Full year = 1 math credit

Prerequisite: Students who enroll in PreCollege should have their credits in Algebra 1 and Geometry. This course is for Juniors or Seniors that need additional time in developing their fundamental skills in math before moving on to upper-level mathematics courses.

This is a two-semester mathematics course designed for students to learn more mathematics before taking Pre-Calculus w/Trigonometry or for seniors that do not qualify for Math 095. Topics covered include the fundamental operations on real numbers, linear equations and inequalities, systems, linear programming, rational exponents, polynomials, rational expressions, roots and radicals, and quadratics. Students will use MathXL and should have access to a computer to participate in this class. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

Early College Math 095

One semester = 0.5 math credit

Prerequisite: Seniors with successful completion of Algebra 2 in both semesters and meet the criteria set by UNR in the Memorandum of Understanding.

This is a one-semester mathematics course designed to help students place into Math 096 or equivalent in college. Topics covered include the fundamental operations on real numbers, first-degree equations, inequalities in one variable, polynomials, integer exponents, solving quadratic equations by factoring. Students will be enrolled in MyMathLab and must have access to a computer to participate in this class. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

Early College Math 096

One semester = 0.5 math credit

Prerequisite: Seniors with successful completion of Algebra 2 in both semesters and meet the criteria set by UNR in the Memorandum of Understanding and successful completion of Math 095.

This is a one-semester mathematics course designed to help students place into a credit bearing math course in college. Topics covered include graphing linear equations, solving systems of linear equations in two variables and linear inequalities, solving quadratic, rational and radical equations, factoring, simplifying rational and radical expressions and complex numbers, determining the equations of lines and solving application problems. Students will be enrolled in MyMathLab and must have access to a computer to participate in this class. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

Algebraic Precalculus

One semester = 0.5 math credit

Prerequisite: Seniors with successful completion of Algebra 2 in both semesters and meet the criteria set by UNR in the Memorandum of Understanding.

This is a one-semester course designed to follow Math 096 to help students place into a credit bearing math course in college. The major topics of this semester of study are exponential and logarithmic functions, and complex numbers, powers and roots, sequences and series, domain and range of advanced functions, notation: set, interval and inequality, composition of functions, polynomial equations and inequalities, rational equations and inequalities, matrix operations and applications, and system of linear equations in three variables. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

Course #2229-2230

Course #2011

Course #2008

Course #2010

Essential Standards

Washoe County School District is committed to the vision that all students will meet or exceed academic expectations as defined in the Nevada Academic Content Standards (NVACS) and as detailed in WCSD course guide. To achieve this vision, teachers are expected to teach all standards aligned to a course/grade level. To ensure the highest level of learning for all students, teachers engage in the work of continuous improvement through the Professional Learning Community (PLC) process. To support the work of collaborative teams within the PLC process, educators from across the district identified essential standards, defined as:

"... a carefully selected subset of the total list of the grade-specific and course-specific standards within each content area that students must know and be able to do by the end of each school year in order to be prepared for the standards at the next grade level or course" (Ainsworth, 2015 p. 55).

In WCSD, PLC teams guarantee success for all students by focusing their collaborative time, common assessments, and team-provided interventions on identified essential standards first (Adapted from Taking Action, 2018, p.86). The WCSD focus on essential standards does not relieve a teacher of the responsibility for teaching and assessing all standards identified by the NVACS for each grade/course.

Essential standards in the course guide are bolded and highlighted. Note: if a standard is essential in one Chapter it is labeled essential throughout all Topics/Chapters of the guide.

2024-2025

Algebra 1 Course Guide

#2201/2202 Algebra 1 #228 Middle School Algebra 1 #217A/217B MYP Algebra 1 S1/S2 #776 Accelerated Algebra 1 #7769/7770 Foundations in Algebra 1

Algebra 1 Pacing (Days in Q1-44, Q2-39, Q3-48, Q4-49)											
*Each topic has flexible days included in the	schedul	e for review, reteaching, extension, or assessme	nt as								
needed throughout the topic.	needed throughout the topic.										
Торіс	Days	Торіс	Days								
1 – Solving Equations & Inequalities	18	6 – Exponents & Exponential Functions	18								
2 – Linear Equations	13	7 – Polynomials & Factoring	23								
3 – Linear Functions	13	8 – Quadratic Functions	19								
4 – Systems of Equations & Inequalities	17	9 – Solving Quadratic Equations	24								
5 – Piecewise Functions	14	Semester Flex/Review Days	7								
Semester Flex/Review Days	2	Final Exams	4								
Final Exams	4										
Be here by end of Semest	er One	Be here by end of Semester Two									

If time allows, look at STEM Projects and Math in 3 Acts

	Topic 1: Solving Linear Equations and Inequalities												
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing							
1-2	Solving Linear Equations	2	HSA.CED.A.1		August/September 2024								
	Supplement with simplify expressions and equations with more fractions.	3	HSA.REI.A.1 HSA.REI.B.3		S	М	Т	W	TH 1	F	S 2		
1-3	Solving Equations with a Variable on Both	3	HSA.CED.A.1	HSA.REI.A.1	4	5	6	7	8	9	10		
	Sides	5	HSA.REI.B.3	HSN.Q.A.2	11	12	13	14	15	16	17		
1-4	Literal Equations and Formulas	2	HSA.CED.A.1		18	19	20	21	22	23	24		
	Prioritize transforming equations to slope-intercept form.	3	HSA.CED.A.4	HSN.Q.A.1	25	26	27	28	29	30 6	31		
			HSA.CED.A.1		8	9	3 10	4	5 12	0 13	14		
1-5	Solving Inequalities in One Variable	2	HSA.CED.A.3										
			HSA.REI.B.3										
			HSA.CED.A.1										
1-6	Compound Inequalities	3	HSA.CED.A.3										
	· · ·		HSA.REI.B.3										
Flex	Days: Review, reteach, extend, assess	4											

Reason quan	titatively and use units to solve problems.
HSN.Q.A.1	Use units as a way to understand problems and to guide the solution of multi-step problems; choose and
	interpret units consistently in formulas; choose and interpret the scale and the origin in graphs.
HSN.Q.A.2	Define appropriate quantities for the purpose of descriptive modeling.
Create equat	tions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities,
	and interpret solutions as viable or non-viable options in a modeling context. For example, represent
	inequalities describing nutritional and cost constraints on combinations of different foods.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations.
	For example, rearrange Ohm's Law $V = IR$ to highlight resistance R.
Understand	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the
	previous step, starting from the assumption that the original equation has a solution. Construct a viable
	argument to justify a solution method.
Solve equation	ons and inequalities in one variable.
HSA.REI.B.3	Solve linear equations and inequalities in one variable, including equations with coefficients represented
	by letters.

	Topic 2:	Linear	Equation	ns							
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
2-1	Slope-Intercept Form	3	HSA.CED.A.2 HSS.ID.C.7		5	м	Sept T	embe	e r 202 4	F F	ς
2-2	Point-Slope Form (Supplement (h, k) form)	2	HSS.ID.C.7 HSF.LE.A.2	HSA.CED.A.2	1	2	3	4	5	6	7
2-3	Standard Form (Convert to other forms: slope intercept, (h,k) form and point-slope)	3	HSA.CED.A.3 HSS.ID.C.7	HSA.CED.A.2	15 22	16 23	17 24	18 25	19 26	20 27	21 28
2-4	Parallel and Perpendicular Lines (Introduce and identify Parallel and Perpendicular lines understanding slopes and graphs)	1	HSA.CED.A.2 HSA.CED.A.4	HSF.IF.C.7a HSG.GPE.B.5	29	30	1	2	3	4	5
Flex	Days: Review, reteach, extend, assess	4									

Create equat	ions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations. For example, rearrange Ohm's Law $V = IR$ to highlight resistance R.
Analyze func	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases. a. Graph linear and quadratic functions show intercepts, maxima and minima.
Interpret exp	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table).
Interpret line	ear models.
HSS.ID.C.7	Interpret the slope (rate of change) and the intercept (constant term) of a linear model in the context of the data.
Use coordina	ites to prove simple geometric theorems algebraically.
HSG.GPE.B.5	Use the slope criteria for parallel and perpendicular lines and use them to solve geometric problems (e.g., find the slope of a line parallel or perpendicular to a given line that passes through a given point).

	Topic 3: Linear Functions												
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing				9			
3-1	Relations and Functions	2	HSF.IF.A.1		September/October 2024								
3-2	Linear Functions (Write Linear Functions from tables, ordered pairs, and with slope and intercept)	3	HSF.IF.A.2 HSF.IF.B.5	HSF.IF.A.1 HSF.LE.A.2	S 22 29	M 2 23 9 30	T 24 1	W 25 2	TH 26 3	F 27 4	S 28 5		
3-5	Optional: Scatter Plots and Lines of Fit	1	HSS.ID.B.6a	HSS.ID.B.6 HSS.ID.B.6c HSS.ID.C.7	6 13 20	7 3 14 0 21	8 15 22	9 16 23	10 17 24	11 18 25	12 19 26		
3-4	Optional: Arithmetic Sequence (emphasis on function notation, emphasis on explicit and how it relates to (h,k) form, expose to subscript notation and recursive)	3	HSF.IF.A.3 HSF.BF.A.2	HSF.BF.A.1 HSF.LE.A.1 HSF.LE.A.1b HSF.LE.A.2	2	28	29	30	31				
Flex	Days: Review, reteach, extend, assess	4											

Build a fun	ction that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities.
	a. Determine an explicit expression, a recursive process, or steps for calculation from a context.
HSF.BF.A.2	Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to
	model situations, and translate between the two forms.
Understan	d the concept of a function and use function notation.
HSF.IF.A.1	Understand that a function from one set (called the domain) to another set (called the range) assigns to
	each element of the domain exactly one element of the range. If f is a function and x is an element of
	its domain, the $f(x)$ denotes the output of f corresponding to input x. The graph of f is $y=f(x)$.
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret statements that use
	function notation in terms of a context.
HSF.IF.A.3	Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of
	the integers.
Interpret f	unctions that arise in applications in terms of the context.
HSF.IF.B.5	Relate the domain of a function to its graph and to the quantitative relationship it describes.
Interpret e	xpression for functions in terms of the situation they model.
HSF.LE.A.1	Distinguish between situations that can be modeled with linear functions and with exponential
	functions.
	b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a
	graph, a description of a relationship, or two input-output pairs (including reading these from a table).
Summarize	e, represent and interpret data on two categorical and quantitative variables.
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot & describe how the variables are related.
	a. Fit a function to the data; use functions fitted to data to solve problems in context of data.
	c. Fit a linear function for a scatter plot that suggests a linear association.
Interpret li	near models.
HSS.ID.C.7	Interpret the slope (rate of change) and the intercept (constant term) of a linear model in context.

	Topic 4: Systems of Linear Equations and Inequalities												
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								
4-1	Solving Systems of Equations by Graphing	3	HSA.REI.C.6 HSA.REI.D.11	HSF.IF.C.9	October/November 2024				S				
4-2	Solving Systems of Equations by Substitution	3	HSA.CED.A.3 HSA.REI.C.6	HSA.REI.D.11	13 20	14 21	15 22	16 23	17 24	18 25	19 26		
4-3	Solving Systems of Equations by Elimination	3	HSA.CED.A.3 HSA.REI.C.5		27 3	28 4	29 5	30 6	31 7	1 8	2 9		
4-4	Linear Inequalities in Two Variables	3	HSA.CED.A.3 HSA.REI.D.12		10 17	11 18	12 19	13 20	14 21	15 22	16 23		
4-5	Systems of Linear Inequalities	2	HSA.CED.A.3 HSA.REI.D.12										
Flex	Days: Review, reteach, extend, assess	3											

Create equat	ions that describe numbers or relationships.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods.
Solve system	s of equations.
HSA.REI.C.5	Prove that given a system of two equations in two variables, replacing one equation by the sum of that equation and a multiple of the other produces a system with the same solutions.
HSA.REI.C.6	Solve systems of linear equations exactly and approximately (e.g., with graphs), focusing on pairs of linear
	equations in two variables.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include absolute value equations/functions.
HSA.REI.D.12	Graph the solutions to linear inequality in two variables as a half-plane (excluding the boundary in the case of a strict inequality), and graph the solution set to a system of linear inequalities in two variables as the intersections of the corresponding half-planes.
Analyze func	tions using different representations.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically and in table or a verbal description.

	Topic 5: Piecewise Functions													
	Envision Lesson and Topic Suggested Primary Secon Pacing Standard(s) Stand						Suggested Module Pacing							
1-7	Absolute Value Equations	2	HSA.CED.A.1	HSA.REI.D.11 HSF.IF.A.1		Nove	embe	r/Dec	cember 2024					
5-1	The Absolute Value Function (All notations of end behaviors)	3	HSF.IF.B.4 HSF.IF.B.6	HSF.IF.C.7b	S 17	M 18	T 19	W 20	TH 21	F 22	S 23			
5-2	Optional: Piecewise-Defined Functions (linear pieces over a restricted domain, absolute value as a piecewise function)	3	HSF.IF.A.2 HSF.IF.B.4 HSF.IF.C.7b	HSF.IF.B.6	24 1 8	25 2 9	26 3 10	27 4 11	28 5 12	29 6 13	30 7 14			
5-4	Transformations of (Piecewise-Defined) Absolute Value Functions	3	HSF.BF.B.3	HSF.IF.C.7b HSF.IF.C.9	15 22	16 23	17 24	18 25	19 26	20	21			
Flex	Days: Review, reteach, extend, assess	3												

Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$
	intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using
	technology to graph the functions, make tables of values, or find successive approximations. Include
	absolute value equations/functions.
Build new fu	nctions form existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for
	specific values of k (both positive and negative); find the value of k given the graphs. Experiment with
	cases and illustrate an explanation of the effects on the graph using technology.
Understand	the concept of a function and use function notation.
HSF.IF.A.1	Understand that a function from one set (called the domain) to another set (called the range) assigns to
	each element of the domain exactly one element of the range. If f is a function and x is an element of
	its domain, the $f(x)$ denotes the output of f corresponding to input x. The graph of f is $y=f(x)$.
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret statements that use
	function notation in terms of a context.
Interpret fun	ctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table)
	over a specified interval. Estimate the rate of change from a graph.
Analyze func	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases
	and using technology for more complicated cases.
	b. Graph square root, cube root and piecewise-defined functions, including step functions and
	absolute value functions.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically and in table or a verbal description.

Topic 6: Exponents and Exponential Functions													
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
Supplement: Review 8 th Grade exponent properties.	2					Jan	uary	2025					
6-1 Rational Exponents and Properties of Exponents Supplement: developmentally appropriate equations with exponents	4	HSN.RN.A.1 HSN.RN.A.2		S 5 12 19	M 6 13 20	T 7 14 21	W 8 15 22	TH 9 16 23	F 10 17 24	S 11 18 25			
6-2 Exponential Functions	4	HSF.IF.B.4 HSFL.E.A.1	HSF.IF.B.5 HSF.BF.A.1 HSF.LE.A.1a	26	27	28	29	30	31				
6-3 Exponential Growth and Decay (Omit Compound Interest)	3	HSF.LE.A.2 HSF.LE.A.1a-c HSF.LE.B.5	HSF.IF.C.8b HSA.CED.A.2 HSA.SSE.A.1b HSA.SSE.B.3c										
6-4 Geometric Sequences 6-4 (recognize geometric sequence compared to other sequences, verify equation works for given sequence)	2	HSF.BF.A.2 HSF.LE.A.2	HSF.IF.A.3										
Flex Days: Review, reteach, extend, assess	3												

Extend the p	roperties of exponents to rational exponents.
HSN.RN.A.1	Explain how the definition of the meaning of rational exponents follows from extending the properties of integer exponents follows from extending the properties of integer properties of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents. For example, we define $5^{1/3}$ to be the cube root of 5 because we want $(5^{1/3})^3 = 5^{(1/3)3}$ to hold, so $(5^{1/3})^3$ must equal 5.
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Interpret th	e structure of expressions.
HSA.SSE.A.1	 Interpret expressions that represent a quantity in terms of its context. Interpret complicated expressions by viewing one or more of their parts as a single entity. For ex, interpret P(1 + r)ⁿ as the product of P and a factor not depending on P.
Write expres	sion in equivalent forms to solve problems.
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression.
Build a func	tion that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities. a. Determine an explicit expression, a recursive process, or steps for calculation from a context.
HSF.BF.A.2	Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to model situations, and translate between the two forms.
Understandi	ng the concept of a function and use function notation.
HSF.IF.A.3	Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers.
Interpret fun	ctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and where applicable, to the quantitative relationship it describes.

 HSF.IF.C.8 Write a function defined by an expression in different but equivalent forms to reveal and explain different properties of the function. b. Use the process of exponents to interpret expressions for exponential functions. For example, identify percent rate of change in functions such as y = 1.02^t, y = 0.97^t, y = 1.01^{12t}, y = 1.2^{t/10} and classify them as representing exponential growth and decay. Construct and compare linear, quadratic, and exponential models and solve problems. HSF.LE.A.1 Distinguish between situations that can be modeled with linear functions and with exponential functions. a. Prove that linear functions grow by equal factors over equal intervals. b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another. c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another. HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table). 	Analyze fu	Analyze functions using different representations.						
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 exponential functions grow by equal factors over equal intervals. b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another. c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another. HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table). 		a. Prove that linear functions can be modeled by equal differences over equal intervals, and that						
 b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another. c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another. HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table). 		exponential functions grow by equal factors over equal intervals.						
 another. c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another. HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table). 		b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to						
 c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another. HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table). 		another.						
HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table).		c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit						
HSF.LE.A.2 Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table).		interval relative to another.						
description of a relationship, or two input-output pairs (including reading these from a table).	HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a						
		description of a relationship, or two input-output pairs (including reading these from a table).						
Interpret expression for functions in terms of the situation they model.	Interpret e	xpression for functions in terms of the situation they model.						
HSF.LE.B.5 Interpret the parameters in a linear or exponential function in terms of a context.	HSF.LE.B.5	Interpret the parameters in a linear or exponential function in terms of a context.						

	Topic 7: Polynomials and Factoring										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	gest P	ted acir	Moo ng	dule	
7-1	Adding and Subtracting Polynomials	2	HSA.APR.A.1			Fe	brua	y/Ma	rch 20)25	
7-2	Multiplying Polynomials	2	HSA.APR.A.1		S	М	Т	w	TH	F	S
7-3	Multiplying Special Cases	2	HSA.APR.A.1		2	3	4	5	6	7	8
7-4	Factoring Polynomials (Quadratics)	3	HSA.APR.A.1		16	10	11	12	20	21	22
7-5	Factoring $x^2 + bx + c$	4	HSA.SSE.A.1a		23	24 3	25 4*	26 5	27 6	28 7	1 8
7-6	Factoring $ax^2 + bx + c$	4	HSA.SSE.A.1a		9	10	11	12	13	14	15
7-7	Factoring Special Cases	1	HSA.SSE.A.1 HSA.SSE.A.2		16	17 *3/4:	18 Tenta	19 tive A	20 CT Tes	21 t Date	22
Flex	Days: Review, reteach, extend, assess	5									

Perform arit	Perform arithmetic operations on polynomials.						
HSA.APR.A.1	Understand that polynomials form a system analogous to the integers, namely, they are closed under						
	the operations of addition, subtraction, and multiplication; add, subtract, and multiply polynomials.						
Interpret the	structure of expressions.						
HSA.SSE.A.1	SSE.A.1 Interpret expressions that represent a quantity in terms of its context .						
	a. Interpret parts of an expression, such as terms, factors, and coefficients.						
	b. Interpret complicated expressions by viewing one or more of their parts as a single entity. For ex,						
	interpret $P(1 + r)^n$ as the product of P and a factor not depending on P.						
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.						

	Topic 8: Quadratic Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	gest P	ed l' acir	Mod 1g	lule	
8-1	Key Features of a Quadratic Function	2	HSA.CED.A.2 HSF.IF.B.4 HSF.IF.B.6	HSF.BF.B.3 HSA.REI.D.10	S 2	M 3	March T 4*	1/Apr W	il 202 5 TH 6	F 7	S 8
8-2	Quadratic Functions in Vertex Form	3	HSF.IF.C.7 HSF.BF.B.3	HSF.IF.C.7a	9 16	10 17	11 18	12 19	13 20	14 21	15 22
8-3	Quadratic Functions in Standard Form (analyze and convert between vertex and standard form)	3	HSF.IF.B.4	HSF.IF.C.7a HSF.IF.C.8a HSF.IF.C.9	23 30 6	24 31 7	25 1 8	26 2 9	27 3 10	28 4 11	29 5 12
8-4	Modeling with Quadratic Functions (Ex. 1 & 2, No Regression)	2	HSF.IF.A.2 HSS.ID.B.6a	HSF.BF.A.1 HSS.ID.B.6b	13 20	14 21	15 22	16 23	17 24	18 25	19 26
8-5	Linear, Exponential and Quadratic Models (Ex. 1 & 3, Examine Graphs and Tables-first and second differences and ratios)	2	HSF.LE.A.3 HSS.ID.B.6a			*3/4:	Tentat	ive A	CT Test	Date	
Flex I	Days: Review, reteach, extend, assess	6									ľ

Create equat	tions that describe numbers or relationships.							
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph							
	equations on coordinate axes with labels and scales.							
Represent an	Represent and solve equations and inequalities graphically.							
HSA.REI.D.10	Understand that the graph of an equations in two variables is the set of all its solutions plotted in the coordinate plane, often forming a curve (which could be a line).							
Build new fu	nctions from existing functions.							
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x+k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing even and odd functions from their graphs and algebraic expressions for them.							
Understandi	ng the concept of a function and use function notation.							
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domain, and interpret statements that use function notation in terms of a context.							
Interpret fur	ictions that arise in applications in terms of the context.							
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity							
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph.							
Analyze func	tions using different representations.							
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases. a. Graph linear and quadratic functions and show intercepts, maxima, and minima.							
HSF.IF.C.8	 Write a function defined by an expression in different but equivalent forms to reveal and explain different properties of the function. a. Use the process of factoring and completing the square in a quadratic function to show zeros, extreme values, and symmetry of the graph, and interpret these in terms of a context. 							
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically and in table or a verbal description.							

Construct and compare linear, quadratic and exponential models and solve problems.								
HSF.LE.A.3	Observe using graphs and tables that a quantity increasing exponentially eventually exceeds							
	a quantity increasing linearly, quadratically, or (more generally) as a polynomial function.							
Summarize,	Summarize, represent, and interpret data on two categorical and quantitative variables							
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot, and describe how the variables are							
	related.							
	a. Fit a function to the data; use functions fitted to data to solve problems in the context of the data.							
	Use given functions or choose a function suggested by the context. Emphasize linear, quadratic, and							
	exponential models.							
	b. Informally assess the fit of a function by plotting and analyzing residuals.							

Module 9: Solving Quadratic Equations											
Envision Lesson and Tonic	Suggested	Primary	Secondary	Suggested Module							
Envision Lesson and Topic	Pacing	Standard(s)	Standard(s)			Ρ	acir	ng			
9-1 Solving Quadratic Equations Using Graphs	2		HSACED.A.1			Apri	/May	/ 2025	;		
and Tables	2	HSA.REI.11	HSA.CED.A.2 HSA.REI.B.4b	S	М	Т	W	TH	F	S	
0.2. Solving Quadratic Equations by Eastering		HSA.SSE.B.3.a	HSA.REI.B.4b	13	14	15	16	17	18	19	
9-2 Solving Quadratic Equations by Factoring	4	HSA.APR.B.3	HSF.IF.C.8a	20	21	22	23	24	25	26	
Supplement: Practice with radial properties,	2			27	28	29	30	1	2	3	
simplifying square roots	2			4	5	6 12	/	8	9	10	
9-3 Rewriting Radical Expressions	2	HSN.RN.A.2	HSA.SSE.A.2	11	12	20	21	22	23	24	
9-4 Solving Quadratic Equations Using Square	2	HSA.SSE.A.2									
Roots	2	HSA.REI.B.4b	ISA.CED.A.I								
9-5 Completing the Square $a = 1$ only	2	HSA.REI.B.4a									
	2	HSA.SSE.B.3b	nor.ir.c.oa								
		HSA.REI.B.4a									
9-6 The Quadratic Formula and the Discriminant	2	HSA.REI.B.4b									
		HSA.SSE.B.3									
Graphing Only - Solving Systems of Linear	2	HSA.REI.C.7									
and Quadratic Equations	2	HSA.REI.D.11									
Flex Days: Review, reteach, extend, assess	6										

Extend the	Extend the properties of exponents to rational exponents.							
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.							
Perform ari	Perform arithmetic operations on polynomials.							
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a							
	rough graph of the function defined by the polynomial.							
Create equa	itions that describe numbers or relationships.							
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations							
	arising from linear and quadratic functions, and simple rational and exponential functions.							
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations							
	on coordinate axes with labels and scales.							

ions and inequalities in one variable.
 Solve quadratic equations in one variable. a. Use the method of completing the square to transform any quadratic equation in x into an equation of the form (x - p)² = q that has the same solutions. Derive the quadratic formula from this form. b. Solve quadratic equations by inspection (e.g., for x² = 49), taking square roots, completing the square, the quadratic formula and factoring, as appropriate to the initial form of the equation.
ns of equations.
Solve a system consisting of a linear equation and a quadratic equation in two variables algebraically and graphically.
and solve equations and inequalities graphically.
Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial (quadratic), rational, absolute value, exponential, and logarithmic functions.
e structure of expressions.
Use the structure of an expression to identify ways to rewrite it.
Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression. a. Factor a quadratic expression to reveal the zeros of the function it defines.
b. Complete the square in a quadratic expression to reveal the maximum or minimum value of a function.
 Write a function defined by an expression in different but equivalent forms to reveal and explain different properties of the function. a. Use the process of factoring and completing the square in a quadratic function to show zeros, extreme values, and symmetry of the graph, and interpret these in terms of a context.

2024-2025

Geometry Course Guide

#2211/2212 Geometry #7771/7772 Foundations in Geometry

Geometry Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic.

Chapter - Topic		Chapter - Topic	Days				
1 - Tools of Geometry	12	6 - Quadrilaterals	10				
2 - Logical Arguments and Line Relationships	17	7 - Similarity	13				
3 - Rigid Transformations and Symmetry	10	8 - Right Triangles and Trigonometry	12				
4 - Triangles and Congruence		9 - Circles	11				
5 - Relationships in Triangles	14	10 - Extending Area	13				
Flex/Review Days		11 - Extending Volume	10				
Final Exams	4	12 – Probability (optional)	12				
		Flex/Review Days	10				
		Final Exams	4				
Be here by end of Semeste	Be here by end of Semest	er Two					

	Chapter 1: Tools of Geometry (Only use Chapter 0 in remediation)										
McGraw Hill Lesson and Topic Suggested Primary Secondary Suggested McGraw Hill Lesson and Topic Pacing Standard(s) Standard(s) Pacing					Moo ng	dule	:				
1-1	Points, Lines, and Planes	1	HSG.CO.A.1		August 2024						
1-2	Line Segments and Distance	2	HSG.CO.A.1 HSG.CO.D.12		S	м	Т	W	TH 1	F 2	S 3
1-3	Locating Points and Midpoints	2	HSG.CO.A.1 HSG.GPE.B.6	HSG.CO.D.12	4	5 12	6 13	7 14	8 15	9 16	10 17
1-4	Angle Measure	1	HSG.CO.A.1 HSG.CO.D.12		18 25	19 26	20 27	21 28	22 29	23 30	24 31
1-5	Angle Relationships	2	HSG.CO.A.1	HSG.CO.D.12							
Flex	Days: Review, reteach, extend, assess	4									

Experiment v	with transformations in the plane.									
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on									
	the undefined notions of point, line, distance along a line, and distance around a circular arc.									
Make geome	etric constructions.									
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,									
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying									
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and constructing a line percendicular bisector of a line segment; and segment a line segment bisector of a l									
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point									
	not on the line.									
Use coordina	ites to prove simple geometric theorems algebraically.									
HSG.GPE.B.6	Find the point on a directed line segment between two given points that partitions the segment in a given									
	ratio.									

	Chapter 2: Logical Arguments and Line Relationships												
	McGraw Hill Lesson and Topic	Suggested	Primary Standard(s)	Secondary		Sug	gest	ted	Mo	dule	:		
2-3	Deductive Reasoning	2	Prep for HSG.CO.C.9	Stanuaru(S)	5	September 2024					5		
2.4			HSG.CO.C.10							30	31		
2-4	Writing Proofs (write small proofs and practice 'fill in the blank' steps for larger proofs)	2	HSG.CO.C.9 HSG.MG.A.3		1 8	2 9	3 10	4	5 12	6 13	7		
2-5	Proving Segment Relationships	2	HSG.CO.C.9	HSG.CO.D.12	15 22	16 23	17 24	18 25	19 26	20 27	21 28		
2-6	Proving Angle Relationships	2	HSG.CO.C.9	HSG.CO.D.12	29	30							
2-7	Parallel Lines and Transversals	2	HSG.CO.A.1 HSG.CO.C.9										
2-8	Slope and Equations of Lines	1	HSG.GPE.B.5										
2-9	Proving Lines Parallel	1	HSG.CO.C.9 HSG.CO.D.12	HSG.GPE.B.5									
2-10	Perpendiculars and Distance (Less emphasis here, it will be revisited in 6.1)	1	HSG.CO.D.12 HSG.MG.A.3										
Flex [Days: Review, reteach, extend, assess	4											

Experiment v	vith transformations in the plane.
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on the
	undefined notions of point, line, distance along a line, and distance around a circular arc.
Prove geome	tric theorems.
HSG.CO.C.9	Prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a
	transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are
	congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the
	segment's endpoints.
Make geome	tric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point
	not on the line.
Use coordina	tes to prove simple geometric theorems algebraically.
HSG.GPE.B.5	Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems
	(e.g., find the equation of a line parallel or perpendicular to a given line that passes through a given
	point).
Apply geome	tric concepts in modeling situations.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy
	physical constraints or minimize cost; working with typographic grid systems based on ratios).

	Chapter 3: Rigid Transformations Symmetry													
	McCurry Hill Lesson and Tania	Suggested	Primary	Secondary	y Suggested Module									
	NicGraw Hill Lesson and Topic	Pacing	Standard(s)	Standard(s)	Pacing									
			HSG.CO.A.2		September/October 2024									
3-1	Reflections	1	HSG.CO.A.5	HSG.CO.A.4	S	М	Т	W	TH	F	S			
			HSG.CO.B.6		22	23	24	25	26	27	28			
3-2	Translations	1	HSG.CO.A.2	HSG.CO.A.4	29	30	1	2	3	4	5			
			HSG.CO.A.5		6	7	8	9	10	11	12			
			HSG.CO.B.6		13	14	15	16	17	18	19			
			HSG.CO.A.4	HSG.CO.A.2	20	21	22	23	24	25	26			
3-3	Rotations	1	HSG.CO.A.5		27	28	29	30	31					
			HSG.CO.B.6											
2.4	Compositions of Transformations	2	HSG.CO.A.2											
3-4	compositions of transformations	Z	HSG.CO.A.5											
3-5	Symmetry	1	HSG.CO.A.3											
Flex	Days: Review, reteach, extend, assess	4												

Experiment	with transformations in the plane.
HSG.CO.A.2	Represent transformations in the plane using, e.g., transparencies and geometry software; describe
	transformations as functions that take points in the plane as inputs and give other points as outputs.
	Compare transformations that preserve distance and angle to those that do not (e.g., translation versus
	horizontal stretch).
HSG.CO.A.3	Given a rectangle, parallelogram, trapezoid, or regular polygon, describe the rotations and reflections that
	carry it onto itself.
HSG.CO.A.4	Develop definitions of rotations, reflections, and translations in terms of angles, circles, perpendicular
	lines, parallel lines, and line segments.
HSG.CO.A.5	Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure using, e.g.,
	graph paper, tracing paper, or geometry software. Specify a sequence of transformations that will carry a
	given figure on to another.
Understand	congruence in terms of rigid transformations.
HSG.CO.B.6	Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid
	motion on a given figure; given two figures, use the definition of congruence in terms of rigid motions to
	decide if they are congruent.

	Chapter 4: Triangles and Congruence												
	McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								
4-1	Angles of Triangles	2	HSG.CO.C.10			Oct	ober/	'Nove	mber	2024			
			HSG.CO.B.7		S	м	Т	w	TH	F	S		
4-2	Congruent Triangles	2	HSG.CO.C.10		6	7	8	9	10	11	12		
			HSG.SRT.B.5		13	14	15	16	17	18	19		
4.2	Proving Triangles Congruent-SSS, SAS	2	HSG.CO.B.8	HSG.CO.C.10	20	21	22	23	24	25	26		
4-3			HSG.SRT.B.5	HSG.CO.D.12	27	28	29	30	31	1	2		
	Proving Triangles Congruent-ASA, AAS	2	HSG.CO.B.8	HSG.CO.C.10	5 10	4	5	13	1/	0 15	9		
4-4		2	HSG.SRT.B.5	HSG.CO.D.12	17	18	19	20	21	22	23		
4 5	Drewing Dight Triangles Congruent	1	HSG.CO.C.10										
4-5	Proving Right Triangles Congruent	1	HSG.SRT.B.5										
16	Isospolos and Equilatoral Triangles	1	HSG.CO.C.10										
4-0	isosceles and Equilateral mangles	1	HSG.CO.D.12										
4 7	Ontionaly Triangles and Coordinate Dreaf	2	HSG.CO.C.10										
4-7	Optional: mangles and Coordinate Proof	2	HSG.GPE.B.4										
Flex	Days: Review, reteach, extend, assess	4											

Understand	congruence in terms of rigid motions.									
HSG.CO.B.7	Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if									
	and only if corresponding pairs of sides and corresponding pairs of angles are congruent.									
HSG.CO.B.8	Explain how the criteria for triangle congruence (ASA, SAS, and SSS) follow from the definition of									
	congruence in terms of rigid motions.									
Prove geom	etric theorems.									
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to									
	180° ; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a									
	triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.									
Make geom	etric constructions.									
HSG.CO.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,									
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying									
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the									
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point									
	not on the line.									
Use coordin	ates to prove simple geometric theorems algebraically.									
HSG.GPE.B.4	Use coordinates to prove simple geometric theorems algebraically. For example, prove or disprove that									
	figure defined by four given points in the coordinate plane is a rectangle; prove or disprove that the									
	point $(1,\sqrt{3})$ lies on the circle centered at the origin and containing the point $(0,2)$.									
Prove theor	ems involving similarity.									
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.									

	Chapter 5: Relationships in Triangles												
	McGrow Hill Losson and Tonic	Suggested	Primary	Secondary		Sug	ges	ted	Mo	dule			
		Pacing	Standard(s)	Standard(s)	Pacing								
5-1	Bisectors of Triangles	2	HSG.CO.C.10	HSG.CO.C.9		Nove	embe	r/Dec	embe	r 2024	ł		
7-1	Disectors of mangles	2	HSG.MG.A.3	HSG.CO.D.12	S	М	Т	W	TH	F	S		
5-2	Medians & Altitudes of Triangles	2	HSG.CO.C.10	HSG CO D 12	10) 11	12	13	14	15	16		
J-Z	(No emphasis on points of concurrency)	2	HSG.MG.A.3	1150.00.0.12	17	7 18	19	20	21	22	23		
5-3	Inequalities in One Triangle	2	HSG.CO.C.10		24	25	26	27	28	29	30		
					1	2	3	4	5	6	7		
5-5	The Triangle Inequality	2		HSG.CO.D.12	8	9	10	11	12	13	14		
			HSG.IVIG.A.3		15	5 16	17	18	19	20	21		
5-6	Optional: Inequalities in Two Triangles	1	HSG.CO.C.10		22	2 23	24	25	26	27	28		
Flex	Days: Review, reteach, extend, assess	5											

Prove geome	etric theorems.											
HSG.CO.C.9	Prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the segment's endpoints.											
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to											
	180°; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a											
	triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.											
Make geome	etric constructions.											
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,											
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying											
	triangle is parallel to the third side and half the length; the medians of a triangle meet at a point. Make geometric constructions. ISG.CO.D.12 Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point											
	CO.D.12 Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point											
	not on the line.											
Apply geome	etric concepts in modeling situations.											
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy											
	physical constraints or minimize cost; working with typographic grid systems based on ratios).											

	Chapter 6: Quadrilaterals													
	McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing									
6-1	Angles of Polygons	1	HSG.MG.A.1			1	Jar	uary	2025					
2 10	Povisit Perpendiculars and Distance	1	HSG.CO.D.12		S	м	Т	W	TH	F	S			
2-10		L L	HSG.MG.A.3		5	6	7	8	9	10	11			
6.2	Parallelograms	1	HSG.CO.C.11		12	13	14	15	16	17	18			
0-Z		L L	HSG.GPE.B.4		19	20	21	22	23	24	25			
			HSG.CO.C.11		26	27	28	29	30	31				
6-3	Tests for Parallelograms	2	HSG.CO.D.12	HSG.GPE.B.5										
			HSG.GPE.B.4											
6-4	Special Parallelograms, Bectangles	1	HSG.CO.C.11	HSG.CO.D.12										
0-4	Special ratalielograms. Rectangles	1	HSG.GPE.B.4											
6-5	Special Parallelograms, Rhombi, Squares	1	HSG.CO.C.11	HSG.CO.D.12										
05	special rataliciograms. Miomol, squares	-	HSG.GPE.B.4											
6-6	Tranezoids and Kites	1	HSG.GPE.B.4											
0-0	napezoius anu kites	L	HSG.MG.A.3											
Flex [Days: Review, reteach, extend, assess	3												

Prove geome	etric theorems.
HSG.CO.C.11	Prove theorems about parallelograms. Theorems include: opposite sides are congruent, opposite angles
	are congruent, the diagonals of a parallelogram bisect each other, and conversely, rectangles are
	parallelograms with congruent diagonals.
Make geome	etric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point
	not on the line.
Use coordina	ates to prove simple geometric theorems algebraically.
HSG.GPE.4	Use coordinates to prove simple geometric theorems algebraically. For example, prove or disprove that
	figure defined by four given points in the coordinate plane is a rectangle.
HSG.GPE.5	Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems
	(e.g., find the equation of a line parallel or perpendicular to a given line that passes through a given
	point).
Apply geome	etric concepts in modeling situations.
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy
	physical constraints or minimize cost; working with typographic grid systems based on ratios).

	Chapter 7: Similarity													
	McCrow Hill Losson and Tonia	Suggested	Primary	Secondary	Suggested Module									
	MicGraw Hill Lesson and Topic	Pacing	Standard(s)	Standard(s)			Ρ	acir	ng					
			HSG.CO.A.2			Jar	nuary	/Febr	uary 2	2025				
7-1	Dilations	2	HSG.SRT.A.1a		S	М	Т	w	TH	F	S			
			HSG.SRT.A.1b		19	20	21	22	23	24	25			
7-2	Similar Polygons	1	HSG.SRT.A.2		26	27	28	29	30	31	1			
			HSG.SRT.A.2		2	3	4	5	6	7	8			
7-3	Similar Triangles AA Similarity	1	HSG.SRT.A.3		9	10	11	12	13	14	15			
	C <i>i</i>		HSG.SRT.B.5											
			HSG.SRT.A.2											
7-4	Similar Triangles SSS and SAS Similarity	1	HSG.SRT.B.4											
			HSG.SRT.B.5											
7-5	Parallel Lines and Proportional Parts	2	HSG.SRT.B.4											
7-5		2	HSG.SRT.B.5	1130.00.0.12										
7-6	Parts of Similar Triangles	2	HSG.SRT.B.4											
7-0		Ζ	HSG.SRT.B.5											
Flex	Days: Review, reteach, extend, assess	4												

Experiment	with transformations in the plane.
HSG.CO.A.2	Represent transformations in the plane using, e.g., transparencies and geometry software; describe transformations as functions that take points in the plane as inputs and give other points as outputs. Compare transformations that preserve distance and angle to those that do not (e.g., translation versus horizontal stretch).
Make geom	etric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.
Understand	similarity in terms of similarity transformations.
HSG.SRT.A.1	 Verify experimentally the properties of dilations given by a center and a scale factor: a. A dilation takes a line not passing through the center of the dilation to a parallel line, and leaves a line passing through the center unchanged. b. The dilation of a line segment is longer or shorter in the ratio given by the scale factor.
HSG.SRT.A.2	Given two figures, use the definition of similarity in terms of similarity transformations to decide if they are similar; explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and proportionality of all corresponding pairs of sides.
HSG.SRT.A.3	Use the properties of similarity transformations to establish the AA criterion for two triangles to be similar.
Prove theor	ems involving similarity.
HSG.SRT.B.4	Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the other two proportionally, and conversely; the Pythagorean Theorem proved using triangle similarity.
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.

Chapter 8: Right Triangles and Trigonometry											
McGraw Hill Lesson and Topic Suggested Primary Secondary Suggested McGraw Hill Lesson and Topic Pacing Standard(s) Standard(s) Pacing				ted Module Pacing							
Review simplifying radicals and rationalizing					February 2025						
denominator $\frac{3}{\sqrt{2}} = \frac{3\sqrt{2}}{2}$	1			S	м	Т	w	TH	F	S	
VZ Z		HSG.SRT.B.4		2	3	4	5	6	7	8	
8-1 Optional: Geometry Mean	1	HSG.SRT.B.5		9	10	11	12	13	14	15	
9.2 The Duthegereen Theorem and Its Converse	2	HSG.SRT.C.8		16	17	18	19	20	21	22	
8-2 The Pythagorean Theorem and its Converse	Z	HSG.MG.A.3	HSG.CO.C.10	23	24	25	26	27	28	1	
8-3 Special Right Triangles	2	HSG.SRT.B.6									
8-4 Trigonometry	2	HSG.SRT.C.7	HSG.SRT.B.6								
8-5 Angles of Elevation and Depression	2	HSG.SRT.C.8									
Flex Days: Review, reteach, extend, assess	2										

Prove geome	etric theorems.
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to
	180° ; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of
	a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.
Apply geome	tric concepts in modeling situations.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy
	physical constraints or minimize cost; working with typographic grid systems based on ratios).
Prove theore	ems involving similarity.
HSG.SRT.B.4	Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the
	other two proportionally, and conversely; the Pythagorean Theorem proved using triangle similarity.
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in
	geometric figures.
Define trigor	ometric ratios and solve problems involving right triangles.
HSG.SRT.C.6	Understand that by similarity, side ratios in right triangles are properties of the angles in the triangle,
	leading to definitions of trigonometric ratios for acute angles.
HSG.SRT.C.7	Explain and use the relationship between the sine and cosine of complementary angles.
HSG.SRT.C.8	Use trigonometric ratios and the Pythagorean Theorem to solve right triangles in applied problems.

Chapter 9: Circles												
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing								
9-1 Circles and Circumference	1	HSG.CO.A.1 HSG.C.A.2		February/March 2025					S			
9-2 Measuring Angles and Arcs	1	HSG.C.A.2 HSG.C.B.5		23	24	25	26	27	28	1		
9-3 Arcs and Chords	1	HSG.C.A.2	HSG.CO.D.12 HSG.MG.A.3	9	10	4	12	13	14	15		
9-4 Inscribed Angles	2	HSG.C.A.2 HSG.C.A.3	HSG.CO.D.13	16	17 *Ter	18 Itative	19 e: ACT	20 Test D	21 Date	22		
9-5 Tangents	1	HSG.C.A.2 HSG.C.A.4	HSG.CO.D.12									
9-6 Secants, Tangents and Angle Measures	1	HSG.C.A.2										
Flex Days: Review, reteach, extend, assess	4											

Experiment v	with transformations in the plane.
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on the undefined notions of point, line, distance along a line, and distance around a circular arc.
Make geome	etric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.
HSG.CO.D.13	Construct an equilateral triangle, a square, and a regular hexagon inscribed in a circle.
Understand	and apply theorems about circles.
HSG.C.A.2	Identify and describe relationships among inscribed angles, radii, and chords. Include the relationship between central, inscribed, and circumscribed angles; inscribed angles on a diameter are right angles; the radius of a circle is perpendicular to the tangent where the radius intersects the circle.
HSG.C.A.3	Construct the inscribed and circumscribed circles of a triangle and prove properties of angles for a quadrilateral inscribed in a circle.
HSG.C.A.4	(+) Construct a tangent line from a point outside a given circle to the circle.
HSG.C.A.5	Derive using similarity the fact that the length of the arc intercepted by an angle is proportional to the radius and define the radian measure of the angle as the constant of proportionality; derive the formula for the area of a sector.
Apply geome	etric concepts in modeling situations.
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.
HSG.MG.A.3	Apply geometric methods to solve design problems (designing an object or structure to satisfy physical constraints or minimize cost; working with typographic grid systems based on ratios).

Chapter 10: Extending Area													
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					Suggested Module Pacing				2
10-1 Areas of Parallelograms and Triangles	1	HSG.GPE.B.7 HSG.MG.A.1		S	М	А Т	pril 2 W	025 TH	F	S			
10-2 Areas of Trapezoids, Rhombi, and Kites	1	HSG.MG.A.3		30	31	1	2	3	4	5			
10-3 Areas of Circles and Sectors	2	HSG.C.B.5 HSG.GMD.A.1		6 13	7 14	8 15	9 16	10 17	11 18	12 19			
10-4 Areas of Regular Polygons and Composite Figures (Focus on understanding-hexagons or given apothem)	2	HSG.MG.A.3		20 27	21 28	22 29	23 30	24	25	26			
10-5 Area of Nonrigid Transformations	1	HSG.GMD.A.1 HSG.MG.A.1											
10-6 Surface Area	2	HSG.MG.A.1 HSG.MG.A.3	HSG.GMD.A.1										
Flex Days: Review, reteach, extend, assess	4												

Understand a	nd apply theorems about circles.
HSG.C.B.5	Derive using similarity the fact that the length of the arc intercepted by an angle is proportional to the radius and define the radian measure of the angle as the constant of proportionality; derive the formula for the area of a sector.
Explain volum	e formulas and use them to solve problems.
HSG.GMD.A.1	Give an informal argument for the formulas for the circumference of a circle, area of a circle, volume of a cylinder, pyramid, and cone. Use dissections arguments, Cavalieri's Principle, and informal limit arguments.
Use coordinat	es to prove simple geometric theorems algebraically.
HSG.GPE.B.7	Use coordinates to compute perimeters of polygons and areas of triangles and rectangles, e.g., using the distance formula.
Apply geomet	ric concepts in modeling situations.
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy physical constraints or minimize cost; working with typographic grid systems based on ratios).

Chapter 11: Extending Volume													
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing					Suggested Module Pacing				•
11-1 Cross Sections and Solids of Revolution	1	HSG.GMD.B.4				Α	pril 20)25					
11.2 Values of Drives and Culinders	1	HSG.GMD.A.1		S	М	Т	W	TH	F	S			
11-2 Volumes of Prisms and Cylinders	1	HSG.GMD.A.3	HSG.IVIG.A.3	30	31	1	2	3	4	5			
11-3 Volumes of Pyramids and Cones	2	HSG.GMD.A.1	HSG.MG.A.3	6 13	/ 14	8 15	9 16	10 17	11 18	12 19			
		HSG.GIVID.A.3		20	21	22	23	24	25	26			
11-4 Spheres	1	HSG.GMD.A.3	HSG.MG.A.3	27	28	29	30	1	2	3			
11-6 Volume and Nonrigid Transformations	1	HSG.GMD.A.1											
Flex Days: Review, reteach, extend, assess	4												

Explain volume	Explain volume formulas and use them to solve problems.									
HSG.GMD.A.1	Give an informal argument for the formulas for the circumference of a circle, area of a circle, volume of									
	a cylinder, pyramid, and cone. Use dissections arguments, Cavalieri's Principle, and informal limit-									
	arguments.									
HSG.GMD.A.3	Use volume formulas for cylinders, pyramids, cones, and spheres to solve problems.									
Visualize relati	ons between two-dimensional and three-dimensional objects.									
HSG.GMD.B.4	Identify the shapes of two-dimensional cross-sections of three-dimensional objects, and identify three-									
	dimensional objects generated by rotations of two-dimensional objects.									
Apply geometr	ic concepts in modeling situations.									
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy									
	physical constraints or minimize cost; working with typographic grid systems based on ratios).									

Chapter 12: Probability (Optional)											
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing							
12-1 Representing Sample Spaces	1	HSS.CP.A.1				N	1ay 20	025			
12-2 Probability and Counting	1	HSS.CP.A.1		S	M	T 20	W 30	TH	F	S 3	
12-3 Probability with Permutations and Combinations	1	HSS.CP.B.9		4	5	6 13	7 14	8 15	9 16	10 17	
12-4 Geometric Probability	1	HSS.MD.B.7		18	19	20	21	22	23	24	
12-5 Probability and the Multiplication Rule	2	HSS.CP.A.2 HSS.CP.B.8		25 1	26 2	27 3	28 4	29 5	30 6	31 7	
12-6 Probability and the Addition Rule	2	HSS.CP.A.1 HSS.CP.B.7									
12-7 Conditional Probability	2	HSS.CP.A.3 HSS.CP.A.5	HSS.CP.B.6								
Flex Days: Review, reteach, extend, assess	2										

Understand	independence and conditional probability and use them to interpret data.
HSS.CP.A.1	Describe events as subsets of a sample space (the set of outcomes) using characteristics (or categories) of
	the outcomes, or as unions, intersections, or complements of other events ("or," "and," "not").
HSS.CP.A.2	Understand that two events A and B are independent if the probability of A and B occurring together is
	the product of their probabilities and use this characterization to determine if they are independent.
HSS.CP.A.3	Understand the conditional probability of A given B as $P(A \text{ and } B)/P(B)$, and interpret independence of
	A and B as saying that the conditional probability of A given B is the same as the probability of A, and the
	conditional probability of B given A is the same as the probability of B.
HSS.CP.A.5	Recognize and explain the concepts of conditional probability and independence in everyday language and
	everyday situations.
Use the rule	s of probability to compute probabilities of compound events in a uniform probability model.
HSS.CP.B.6	Find the conditional probability of A given B as the fraction of B's outcomes that also belong to A, and
	interpret the answer in terms of the model.
HSS.CP.B.7	Apply the Addition Rule, $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$, and interpret the answer in terms of
	the model.
HSS.CP.B.8	(+) Apply the general Multiplication Rule in a uniform probability model, $P(A \text{ and } B)=P(A)P(B A)=$
	P(B)P(A B), and interpret the answer in terms of the model.
HSS.CP.B.9	Use permutations and combinations to compute probabilities of compound events and solve problems.
Use probab	ility to evaluate outcomes of decisions.
HSS.MD.B.7	(+) Analyze decisions and strategies using probability concepts.

2024-2025 Formal Geometry Course Guide

#2215/2216 Formal Geometry

Formal Geometry Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic.

Chapter - Topic	Days	Chapter - Topic	Days		
1 - Tools of Geometry	12	6 - Quadrilaterals	10		
2 - Logical Arguments and Line Relationships	22	7 - Similarity	13		
3 - Rigid Transformations and Symmetry	10	8 - Right Triangles and Trigonometry	15		
4 - Triangles and Congruence	15	9 - Circles	11		
5 - Relationships in Triangles	13	10 - Extending Area	13		
Semester Flex/Review Days	5	11 - Extending Volume	10		
Final Exams	4	12 – Probability	12		
		Semester Flex/Review Days	8		
		Final Exams	4		
Be here by end of Semeste	Be here by end of Semester Two				

	Chapter 1: Tools of Geometry (Only use Chapter 0 in remediation)										
	McGraw Hill Lesson and Topic Suggested Pacing Primary Secondary Suggested Module McGraw Hill Lesson and Topic Pacing Standard(s) Standard(s) Pacing						•				
1-1	Points, Lines, and Planes	1.5	HSG.CO.A.1		August 2024						
1_2	Line Segments and Distance	2	HSG.CO.A.1		S	М	Т	w	TH	F	S
1-2	Line Segments and Distance	2	HSG.CO.D.12						1	2	3
1 2	Locating Points and Midpoints	2	HSG.CO.A.1	4	5	6	7	8	9	10	
1-2		2	HSG.GPE.B.6	пзб.со.р.12	11	12	13	14	15	16	17
4 4			HSG.CO.A.1		18	19	20	21	22	23	24
1-4	Angle Measure	T	HSG.CO.D.12		25	26	27	28	29	30	31
1-5	Angle Relationships	2.5	HSG.CO.A.1	HSG.CO.D.12							j
Flex	Days: Review, reteach, extend, assess	3									

Experiment with transformations in the plane.								
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on							
	the undefined notions of point, line, distance along a line, and distance around a circular arc.							
Make geome	etric constructions.							
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.							
Use coordina	ates to prove simple geometric theorems algebraically.							
HSG.GPE.B.6	Find the point on a directed line segment between two given points that partitions the segment in a given							
	ratio.							

	Chapter 2: Logical Arguments and Line Relationships								
	McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				
2-1	Conjectures and Counterexamples	1	Prep for		September 2024				
2-2	Statements, Conditionals and Biconditionals	1	HSG.CO.C.9		S M T W TH F S				
2-3	Deductive Reasoning	1	HSG.CO.C.10		$\begin{array}{c ccccccccccccccccccccccccccccccccccc$				
2-4	Writing Proofs (Students should be able to write proofs of any size)	5	HSG.CO.C.9 HSG.MG.A.3		8 9 10 11 12 13 14 15 16 17 18 19 20 21				
2-5	Proving Segment Relationships	2	HSG.CO.C.9	HSG.CO.D.12	22 23 24 25 26 27 28 29 30				
2-6	Proving Angle Relationships	2	HSG.CO.C.9	HSG.CO.D.12					
2-7	Parallel Lines and Transversals	2	HSG.CO.A.1 HSG.CO.C.9						
2-8	Slope and Equations of Lines	1	HSG.GPE.B.5						
2-9	Proving Lines Parallel	2	HSG.CO.C.9 HSG.CO.D.12	HSG.GPE.B.5					
2-10	Perpendiculars and Distance (Less emphasis here, it will be revisited in 6.1)	1	HSG.CO.D.12 HSG.MG.A.3						
Flex I	Days: Review, reteach, extend, assess	4							

Experiment v	with transformations in the plane.						
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on the						
	undefined notions of point, line, distance along a line, and distance around a circular arc.						
Prove geome	etric theorems.						
HSG.CO.C.9	Prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a						
	transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are						
	congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the						
	segment's endpoints.						
Make geome	etric constructions.						
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,						
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying						
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the						
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point						
	not on the line.						
Use coordina	ites to prove simple geometric theorems algebraically.						
HSG.GPE.B.5	Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems						
	(e.g., find the equation of a line parallel or perpendicular to a given line that passes through a given						
	point).						
Apply geome	etric concepts in modeling situations.						
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy						
	physical constraints or minimize cost; working with typographic grid systems based on ratios).						

Chapter 3: Rigid Transformations Symmetry										
McGraw Hill Losson and Tonic	NaCrow Will Lesson and Tania Suggested Primary Secondary Suggested Module									
	Pacing	Standard(s)	Standard(s)			Ρ	aciı	ng		
		HSG.CO.A.2				Oc	ober	2024		
3-1 Reflections	1	HSG.CO.A.5	HSG.CO.A.4	S	М	Т	w	TH	F	S
		HSG.CO.B.6		29	30	1	2	3	4	5
		HSG.CO.A.2		6	7	8	9	10	11	12
3-2 Translations	1	HSG.CO.A.5	HSG.CO.A.4	13	14	15	16	17	18	19
		HSG.CO.B.6		20	21	22	23	24	25	26
		HSG.CO.A.4		27	28	29	30	31		
3-3 Rotations	1	HSG.CO.A.5	HSG.CO.A.2							
		HSG.CO.B.6								
2.4. Compositions of Transformations	2	HSG.CO.A.2								
3-4 Compositions of transformations	Z	HSG.CO.A.5								
3-5 Symmetry 2 HSG.CO.A.3										
-lex Days: Review, reteach, extend, assess 3										

Experiment	with transformations in the plane.
HSG.CO.A.2	Represent transformations in the plane using, e.g., transparencies and geometry software; describe
	transformations as functions that take points in the plane as inputs and give other points as outputs.
	Compare transformations that preserve distance and angle to those that do not (e.g., translation versus
	horizontal stretch).
HSG.CO.A.3	Given a rectangle, parallelogram, trapezoid, or regular polygon, describe the rotations and reflections that
	carry it onto itself.
HSG.CO.A.4	Develop definitions of rotations, reflections, and translations in terms of angles, circles, perpendicular
	lines, parallel lines, and line segments.
HSG.CO.A.5	Given a geometric figure and a rotation, reflection, or translation, draw the transformed figure using, e.g.,
	graph paper, tracing paper, or geometry software. Specify a sequence of transformations that will carry a
	given figure on to another.
Understand	congruence in terms of rigid transformations.
HSG.CO.B.6	Use geometric descriptions of rigid motions to transform figures and to predict the effect of a given rigid
	motion on a given figure; given two figures, use the definition of congruence in terms of rigid motions to
	decide if they are congruent.

	Chapter 4: Triangles and Congruence										
	McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
4-1	Angles of Triangles	2	HSG.CO.C.10			Oct	ober/	Nove	mber	2024	
4-2	Congruent Triangles	2	HSG.CO.B.7 HSG.CO.C.10 HSG.SRT.B.5		S 20 27	M 21 28	T 22 29	W 23 30	TH 24 31	F 25 1	S 26 2
4-3	Proving Triangles Congruent-SSS, SAS	2	HSG.CO.B.8 HSG.SRT.B.5	HSG.CO.C.10 HSG.CO.D.12	3 10	4	5 12 19	6 13 20	7 14 21	8 15 22	9 16 23
4-4	Proving Triangles Congruent-ASA, AAS	2	HSG.CO.B.8 HSG.SRT.B.5	HSG.CO.C.10 HSG.CO.D.12	1,	10	15	20			23
4-5	Proving Right Triangles Congruent	1	HSG.CO.C.10 HSG.SRT.B.5								
4-6	Isosceles and Equilateral Triangles	1	HSG.CO.C.10 HSG.CO.D.12								
4-7	Triangles and Coordinate Proof	1	HSG.CO.C.10 HSG.GPE.B.4								
Flex	Days: Review, reteach, extend, assess	4									

Understand	congruence in terms of rigid motions.					
HSG.CO.B.7	Use the definition of congruence in terms of rigid motions to show that two triangles are congruent if					
	and only if corresponding pairs of sides and corresponding pairs of angles are congruent.					
HSG.CO.B.8	Explain how the criteria for triangle congruence (ASA, SAS, and SSS) follow from the definition of					
	congruence in terms of rigid motions.					
Prove geom	etric theorems.					
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to					
	180° ; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a					
	triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.					
Make geom	etric constructions.					
HSG.CO.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,					
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying					
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the					
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point					
	not on the line.					
Use coordin	ates to prove simple geometric theorems algebraically.					
HSG.GPE.B.4	Use coordinates to prove simple geometric theorems algebraically. For example, prove or disprove that					
	figure defined by four given points in the coordinate plane is a rectangle; prove or disprove that the					
	point $(1,\sqrt{3})$ lies on the circle centered at the origin and containing the point $(0,2)$.					
Prove theorems involving similarity.						
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in					
	geometric figures.					

	Chapter 5: Relationships in Triangles												
	McGraw Hill Lesson and Topic	Suggested	Primary	Secondary	Suggested Module								
	•	Pacing	Standard(s)	Standard(s)			P	acır	ng				
5_1	Risoctors of Triangles	2	HSG.CO.C.10	HSG.CO.C.9	November/December 2024								
7-1		2	HSG.MG.A.3	HSG.CO.D.12	S	М	Т	w	TH	F	S		
E 2	Medians & Altitudes of Triangles	2	HSG.CO.C.10		10	11	12	13	14	15	16		
J-2	(No emphasis on points of concurrency)		HSG.MG.A.3	1150.00.0.12	17	18	19	20	21	22	23		
5-3	Inequalities in One Triangle	1	HSG.CO.C.10		24	25	26	27	28	29	30		
Г Л		-			1	2	3	4	5	6	7		
5-4	Indirect Proof	1	HSG.CO.C.10		8	9	10	11	12	13	14		
	The The second states and the	2	HSG.CO.C.10		15	16	16 17 18	18	19	20	21		
5-5	The Triangle Inequality	2	HSG.MG.A.3	HSG.CO.D.12	22	23	24	25	26	27	28		
5-6 Inequalities in Two Triangles 2 HSG.CO.C.10													
Flex Days: Review, reteach, extend, assess3													

Prove geome	etric theorems.										
HSG.CO.C.9	Prove theorems about lines and angles. Theorems include: vertical angles are congruent; when a										
	transversal crosses parallel lines, alternate interior angles are congruent and corresponding angles are										
	congruent; points on a perpendicular bisector of a line segment are exactly those equidistant from the										
	segment's endpoints.										
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to										
	180° ; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a										
	triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.										
Make geome	etric constructions.										
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,										
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying										
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the										
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point										
	not on the line.										
Apply geome	etric concepts in modeling situations.										
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy										
	physical constraints or minimize cost; working with typographic grid systems based on ratios).										
	Chapter 6: Quadrilaterals										
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McGraw Hill Lesson and Topic Suggested Primary Secondary Suggested Me Pacing Standard(s) Standard(s) Pacing							Moo 1g	Jule	9		
6-1	Angles of Polygons	1	HSG.MG.A.1			1	Jar	uary	2025		
<u> </u>	Devellelegreene	1	HSG.CO.C.11		S	м	т	w	TH	F	S
6-2	Parallelograms	L	HSG.GPE.B.4		5	6	7	8	9	10	11
			HSG.CO.C.11		12	13	14	15	16	17	18
6-3	Tests for Parallelograms	2	HSG.CO.D.12	HSG.GPE.B.5	19	20	21	22	23	24	25
	C C		HSG.GPE.B.4		26	27	28	29	30	31	
61	Special Parallelograms: Postangles	1	HSG.CO.C.11	HSG.CO.D.12							
0-4	Special Parallelograms. Rectangles	1	HSG.GPE.B.4								
6-5	Special Parallelograms: Phombi Squares	1	HSG.CO.C.11	HSG.CO.D.12							
0-5	Special Farallelograms. Rhombl, Squares	1	HSG.GPE.B.4								
6-6	Trapezoids and Kites	1	HSG.GPE.B.4								
0-0		-	HSG.MG.A.3								
Flex D	Flex Days: Review, reteach, extend, assess 3										

Prove geome	etric theorems.
HSG.CO.C.11	Prove theorems about parallelograms. Theorems include: opposite sides are congruent, opposite angles
	are congruent, the diagonals of a parallelogram bisect each other, and conversely, rectangles are
	parallelograms with congruent diagonals.
Make geome	etric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge,
	string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying
	an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the
	perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point
	not on the line.
Use coordina	ates to prove simple geometric theorems algebraically.
HSG.GPE.4	Use coordinates to prove simple geometric theorems algebraically. For example, prove or disprove that
	figure defined by four given points in the coordinate plane is a rectangle.
HSG.GPE.5	Prove the slope criteria for parallel and perpendicular lines and use them to solve geometric problems
	(e.g., find the equation of a line parallel or perpendicular to a given line that passes through a given
	point).
Apply geome	etric concepts in modeling situations.
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy
	physical constraints or minimize cost; working with typographic grid systems based on ratios).

	Chapter 7: Similarity										
	McGraw Hill Losson and Tonic Suggested Primary Secondary Suggested Module										
	Nicoraw Hill Lesson and Topic	Pacing	Standard(s)	Standard(s)			Ρ	acir	ng		
			HSG.CO.A.2			Jar	nuary	/Febr	uary 2	2025	
7-1	Dilations	2	HSG.SRT.A.1a		S	М	Т	w	TH	F	S
			HSG.SRT.A.1b		19	20	21	22	23	24	25
7-2	Similar Polygons	1	HSG.SRT.A.2		26	27	28	29	30	31	1
			HSG.SRT.A.2		2	3	4	5	6	7	8
7-3	Similar Triangles AA Similarity	1	HSG.SRT.A.3		9	10	11	12	13	14	15
			HSG.SRT.B.5								
			HSG.SRT.A.2								
7-4	Similar Triangles SSS and SAS Similarity	1	HSG.SRT.B.4								
			HSG.SRT.B.5								
7-5	Parallel Lines and Proportional Parts	2	HSG.SRT.B.4								
7-5		2	HSG.SRT.B.5	1150.00.0.12							
7.6 Darts of Similar Triangles		2	HSG.SRT.B.4								
/-0		2	HSG.SRT.B.5								
Flex	Days: Review, reteach, extend, assess	4									

Experiment	with transformations in the plane.
HSG.CO.A.2	Represent transformations in the plane using, e.g., transparencies and geometry software; describe transformations as functions that take points in the plane as inputs and give other points as outputs. Compare transformations that preserve distance and angle to those that do not (e.g., translation versus horizontal stretch).
Make geom	etric constructions.
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.
Understand	similarity in terms of similarity transformations.
HSG.SRT.A.1	 Verify experimentally the properties of dilations given by a center and a scale factor: a. A dilation takes a line not passing through the center of the dilation to a parallel line, and leaves a line passing through the center unchanged. b. The dilation of a line segment is longer or shorter in the ratio given by the scale factor.
HSG.SRT.A.2	Given two figures, use the definition of similarity in terms of similarity transformations to decide if they are similar; explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and proportionality of all corresponding pairs of sides.
HSG.SRT.A.3	Use the properties of similarity transformations to establish the AA criterion for two triangles to be similar.
Prove theor	ems involving similarity.
HSG.SRT.B.4	Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the other two proportionally, and conversely; the Pythagorean Theorem proved using triangle similarity.
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.

	Chapter 8: Right Triangles and Trigonometry										
	McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	ges [.] P	ted 'acir	Mo ng	dule	9
Revie	ew simplifying radicals and rationalizing	1				1	Feb	ruary	2025		
denc	minator $\frac{3}{\sqrt{2}} = \frac{3\sqrt{2}}{2}$	T			S	М	Т	W	TH	F	S
0 1	Ontional: Coomatry Maan	1	HSG.SRT.B.4		2	3	4	5	6	7	8
8-1	Optional. Geometry Mean	L	HSG.SRT.B.5		9	10	11	12	13	14	15
8-2	The Pythagorean Theorem and Its Converse	2	HSG.SRT.C.8	HSG.CO.C.10	16	1/	18	19	20	21	22
0 -		_	HSG.MG.A.3		23	24	25	20	27	20	1
8-3	Special Right Triangles	1	HSG.SRT.B.6								
8-4	Trigonometry	2	HSG.SRT.C.7	HSG.SRT.B.6							
8-5	Angles of Elevation and Depression	1	HSG.SRT.C.8								
8-6	The Law of Sines	2	HSG.SRT.D.10								
		_	HSG.SRT.D.11								
8-7	The Law of Cosines	2	HSG.SRT.D.10								
			HSG.SRT.D.11								
Flex	Days: Review, reteach, extend, assess	2									

Prove geome	etric theorems.
HSG.CO.C.10	Prove theorems about triangles. Theorems include: measures of interior angles of a triangle sum to 180°; base angles of isosceles triangles are congruent; the segment joining midpoints of two sides of a triangle is parallel to the third side and half the length; the medians of a triangle meet at a point.
Apply geome	etric concepts in modeling situations.
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy physical constraints or minimize cost; working with typographic grid systems based on ratios).
Prove theore	ems involving similarity.
HSG.SRT.B.4	Prove theorems about triangles. Theorems include: a line parallel to one side of a triangle divides the other two proportionally, and conversely; the Pythagorean Theorem proved using triangle similarity.
HSG.SRT.B.5	Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures.
Define trigon	ometric ratios and solve problems involving right triangles.
HSG.SRT.C.6	Understand that by similarity, side ratios in right triangles are properties of the angles in the triangle, leading to definitions of trigonometric ratios for acute angles.
HSG.SRT.C.7	Explain and use the relationship between the sine and cosine of complementary angles.
HSG.SRT.C.8	Use trigonometric ratios and the Pythagorean Theorem to solve right triangles in applied problems.
HSG.SRT.C.10	Prove the Laws of Sines and Cosines and use them to solve problems.
HSG.SRT.C.11	Understand and apply the Law of Sines and the Law of Cosines to find unknown measurements in right and non-right triangles (e.g., surveying problems, resultant forces).

Chapter 9: Circles												
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						2		
9-1 Circles and Circumference	1	HSG.CO.A.1 Ma					arch 2	rch 2025				
9-2 Measuring Angles and Arcs	1	HSG.C.A.2		2	3	۱ 4*	5	6	F 7	8		
9-3 Arcs and Chords	1	HSG.C.B.5 HSG.C.A.2	HSG.CO.D.12	9 16	10 17	11 18	12 19	13 20	14 21	15 22		
9-4 Inscribed Angles	2	HSG.C.A.2	HSG.CO.D.13	23	24	25 1	26 2	27 3	28 4	29 5		
9-5 Tangents	1	HSG.C.A.3 HSG.C.A.2 HSG.C.A.4	HSG.CO.D.12	*Tentative: ACT Test Date					-			
9-6 Secants, Tangents and Angle Measures	1	HSG.C.A.2										
Flex Days: Review, reteach, extend, assess	4											

Experiment	with transformations in the plane.							
HSG.CO.A.1	Know precise definitions of angle, circle, perpendicular line, parallel line, and line segment, based on the undefined notions of point, line, distance along a line, and distance around a circular arc.							
Make geome	Make geometric constructions.							
HSG.CO.D.12	Make formal geometric constructions with a variety of tools and methods (compass and straightedge, string, reflective devices, paper folding, dynamic geometric software, etc.). Copying a segment; copying an angle; bisecting a segment; bisecting an angle; constructing perpendicular lines, including the perpendicular bisector of a line segment; and constructing a line parallel to a given line through a point not on the line.							
HSG.CO.D.13	Construct an equilateral triangle, a square, and a regular hexagon inscribed in a circle.							
Understand	and apply theorems about circles.							
HSG.C.A.2	Identify and describe relationships among inscribed angles, radii, and chords. Include the relationship between central, inscribed, and circumscribed angles; inscribed angles on a diameter are right angles; the radius of a circle is perpendicular to the tangent where the radius intersects the circle.							
HSG.C.A.3	Construct the inscribed and circumscribed circles of a triangle and prove properties of angles for a quadrilateral inscribed in a circle.							
HSG.C.A.4	(+) Construct a tangent line from a point outside a given circle to the circle.							
HSG.C.A.5	Derive using similarity the fact that the length of the arc intercepted by an angle is proportional to the radius and define the radian measure of the angle as the constant of proportionality; derive the formula for the area of a sector.							
Apply geome	etric concepts in modeling situations.							
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.							
HSG.MG.A.3	Apply geometric methods to solve design problems (designing an object or structure to satisfy physical constraints or minimize cost; working with typographic grid systems based on ratios).							

Chapter 10: Extending Area										
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Suggested Module Pacing					
10-1 Areas of Parallelograms and Triangles	1	HSG.GPE.B.7 HSG.MG.A.1		S	м	А Т	pril 20 W	025 TH	F	S
10-2 Areas of Trapezoids, Rhombi, and Kites	1	HSG.MG.A.3		30	31	1	2	3	4	5
10-3 Areas of Circles and Sectors	2	HSG.C.B.5 HSG.GMD.A.1		6 13	7 14	8 15	9 16	10 17	11 18	12 19
10-4 Areas of Regular Polygons and Composite Figures (Focus on understanding-hexagons given apothem)	2	HSG.MG.A.3		20 27	21 28	22 29	23 30	24	25	26
10-5 Area of Nonrigid Transformations	1	HSG.GMD.A.1 HSG.MG.A.1								
10-6 Surface Area	2	HSG.MG.A.1 HSG.MG.A.3	HSG.GMD.A.1							
Flex Days: Review, reteach, extend, assess	4									

Understand and apply theorems about circles.								
HSG.C.B.5	Derive using similarity the fact that the length of the arc intercepted by an angle is proportional to the							
	radius and define the radian measure of the angle as the constant of proportionality; derive the							
	formula for the area of a sector.							
Explain volum	e formulas and use them to solve problems.							
HSG.GMD.A.1	Give an informal argument for the formulas for the circumference of a circle, area of a circle, volume of a							
	cylinder, pyramid, and cone. Use dissections arguments, Cavalieri's Principle, and informal limit							
	arguments.							
Use coordinat	es to prove simple geometric theorems algebraically.							
HSG.GPE.B.7	Use coordinates to compute perimeters of polygons and areas of triangles and rectangles, e.g., using the							
	distance formula.							
Apply geomet	ric concepts in modeling situations.							
HSG.MG.A.1	Use geometric shapes, their measures, and their properties to describe objects.							
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy							
	physical constraints or minimize cost; working with typographic grid systems based on ratios).							

Chapter 11: Extending Volume										
McGraw Hill Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
11-1 Cross Sections and Solids of Revolution	1	HSG.GMD.B.4				Α	pril 20	025		
		HSG.GMD.A.1		S	м	Т	W	TH	F	S
11-2 Volumes of Prisms and Cylinders	1	HSG.GMD.A.3	HSG.MG.A.3	30	31	1	2	3	4	5
11.2 Volumes of Duramids and Conos	2	HSG.GMD.A.1		6	7	8	9	10	11	12
11-5 Volumes of Pyramius and Colles	Ζ	HSG.GMD.A.3	nsd.wid.A.s	20	21	22	23	24	25	26
11-4 Spheres	1	HSG.GMD.A.3	HSG.MG.A.3	27	28	29	30	1	2	3
11-6 Volume and Nonrigid Transformations	1	HSG.GMD.A.1		4	5	6	7	8	9	10
Flex Days: Review, reteach, extend, assess	4									

Explain volume	Explain volume formulas and use them to solve problems.								
HSG.GMD.A.1	Give an informal argument for the formulas for the circumference of a circle, area of a circle, volume of								
	a cylinder, pyramid, and cone. Use dissections arguments, Cavalieri's Principle, and informal limit								
	arguments.								
HSG.GMD.A.3	Use volume formulas for cylinders, pyramids, cones, and spheres to solve problems.								
Visualize relati	ons between two-dimensional and three-dimensional objects.								
HSG.GMD.B.4	Identify the shapes of two-dimensional cross-sections of three-dimensional objects, and identify three-								
	dimensional objects generated by rotations of two-dimensional objects.								
Apply geometr	ic concepts in modeling situations.								
HSG.MG.A.3	Apply geometric methods to solve design problems (e.g., designing an object or structure to satisfy								
	physical constraints or minimize cost; working with typographic grid systems based on ratios).								

	Chapter 12: Probability										
	McGraw Hill Lesson and Topic Suggested Primary Secondary Suggested Module Pacing Standard(s) Standard(s) Pacing						dule				
12-4	Geometric Probability	1	HSS.MD.B.7				N	1ay 20	025		
	Optional Topics I	Below			S	М	Т	W	TH 1	F 2	S 2
12-1	Representing Sample Spaces	1	HSS.CP.A.1		4	5	6	7	8	9	10
12-2	Probability and Counting	1	HSS.CP.A.1		11	12	13	14	15	16	17
12-3	Probability with Permutations and Combinations	1	HSS.CP.B.9		18 25	19 26 2	20 27 3	21 28 4	22 29 5	23 30	24 31 7
12-5	Probability and the Multiplication Rule	2	HSS.CP.A.2 HSS.CP.B.8		-	-	5	7	5	0	,
12-6	Probability and the Addition Rule	2	HSS.CP.A.1 HSS.CP.B.7								
12-7	Conditional Probability	2	HSS.CP.A.3 HSS.CP.A.5	HSS.CP.B.6							
Flex	Days: Review, reteach, extend, assess	2									

Understand	independence and conditional probability and use them to interpret data.
HSS.CP.A.1	Describe events as subsets of a sample space (the set of outcomes) using characteristics (or categories) of
	the outcomes, or as unions, intersections, or complements of other events ("or," "and," "not").
HSS.CP.A.2	Understand that two events A and B are independent if the probability of A and B occurring together is
	the product of their probabilities and use this characterization to determine if they are independent.
HSS.CP.A.3	Understand the conditional probability of A given B as $P(A \text{ and } B)/P(B)$, and interpret independence of
	A and B as saying that the conditional probability of A given B is the same as the probability of A, and the
	conditional probability of B given A is the same as the probability of B.
HSS.CP.A.5	Recognize and explain the concepts of conditional probability and independence in everyday language and
	everyday situations.
Use the rule	es of probability to compute probabilities of compound events in a uniform probability model.
HSS.CP.B.6	Find the conditional probability of A given B as the fraction of B's outcomes that also belong to A, and
	interpret the answer in terms of the model.
HSS.CP.B.7	Apply the Addition Rule, $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$, and interpret the answer in terms of
	the model.
HSS.CP.B.8	(+) Apply the general Multiplication Rule in a uniform probability model, $P(A \text{ and } B)=P(A)P(B A)=$
	P(B)P(A B), and interpret the answer in terms of the model.
HSS.CP.B.9	Use permutations and combinations to compute probabilities of compound events and solve problems.
Use probab	ility to evaluate outcomes of decisions.
HSS.MD.B.7	(+) Analyze decisions and strategies using probability concepts.

2024-2025

Algebra 2 Course Guide

#2221/2222 Algebra 2 #7779/7780 Foundations in Algebra 2

Algebra 2 Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

Final Exams

Be here by end of Semester Two

4

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic. Topic Days Topic Days 1 – Linear Functions & Systems 4 – Rational Functions 25 12 5 - Rational Exponents & Radical Functions 10 - Matrices 12 21 2 – Quadratic Functions & Equations 23 6 – Exponential & Logarithmic Functions 25 3 – Polynomial Functions 23 11 – Statistics (optional) 10 Semester Flex/Review Days 7 Semester Flex/Review Days 10

➢ If time allows, look at STEM Projects and Math in 3 Acts

4

Final Exams

Be here by end of Semester One

Topic 1: Linear Functions and Systems										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	/ Suggested Module s) Pacing						
Supplement 1-1 Key Features: Domain/Range, relative Max/Min, end		HSF.BF.B.3			Au	gust/S	Septe	mber	2024	
behavior	3	HSF.IF.B.5		S	м	Т	w	TH	F	S
Use interval notation and inequalities for Domain & Range. Transformations of Absolute Value Functions	5	HSF.IF.B.6						1	2	3
		HSF.IF.B.7b		4	5	6	7	8	9	10
1-3 Piecewise-Defined Functions	2	HSF.IF.B.7b	HSF.IF.B.5 HSF.IF.A.2	11	12	13	14	15	16	17
1 E Solving Equations and Inequalities by		1135.10.0.00	101.22	18	19	20	21	22	23	24
1-5 Solving Equations and mequalities by	2	HSA.CED.A.1	HSA.REI.D.11	25	26	27	28	29	30	31
Graphing				1	2	3	4	5	6	7
1-6 Linear Systems		Ηςα σεία 3		8	9	10	11	12	13	14
solve (2 equations, 2 unknowns) by graphing, substitution and elimination, no matrices	3	HSA.REI.C.6	HSA.CED.A.2							
Flex Days: Review, reteach, extend, assess	2									

Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph
	equations on coordinate axes with labels and scales.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and
	interpret solutions as viable or non-viable options in a modeling context.
Solve system	is of equations.
HSA.REI.C.6	Solve systems of linear equations exactly and approximately (e.g., with graphs), focusing on pairs of
	linear equations in two variables.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$
	intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using
	technology to graph the functions, make tables of values, or find successive approximations. Include
	cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and
	logarithmic functions.
Build new fu	nctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific
	values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and
	illustrate an explanation of the effects on the graph using technology.
Interpret fun	ctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts, relative maximums and minimums; symmetries; end
	behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and the quantitative relationship it describes.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table)
	over a specified interval. Estimate the rate of change from a graph.

Analyze fund	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	b. Graph square root, cube root, and piecewise-defined functions, including step functions and absolute
	value functions.
Interpret ex	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph,
	a description of a relationship, or two input-output pairs (including from a table).
Summarize,	represent, and interpret data on two categorical and quantitative variables
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot, and describe how the variables are related.
	a. Fit a function to the data; use functions fitted to data to solve problems in the context of the data. Use
	given functions or choose a function suggested by the context. Emphasize linear, quadratic, and
	exponential models.

	Topic 10: Matrices										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	gest P	ted acir	Mo ng	dule	2
10-1	Operations with Matrices (Calculate all operations (and determinants) by hand	2	HSN.VM.C.6(+) HSN.VM.C.7(+)		6	M	Sept	embe	er 2024	1	
	and with technology.)		HSN.VM.C.8(+)		3	IVI	-	vv	п	г 30	31
10-2	Matrix Multiplication	2	HSN.VM.C.8(+) HSN.VM.C.10(+)	HSN.VM.C.9(+)	1	2	3	4	5	6	7
10-4	Inverses and Determinants (2x2 matrices only)	2	HSA.REI.C.9(+) HSN.VM.C.10(+)		8 15	9 16	10 17	11 18	12 19	13 20	14 21
10-5	Inverse Matrices & System of Equations (2x2 matrices only, Calculate all operations (and determinants) by hand and with technology.)	3	HSA.REI.C.8(+) HSA.REI.C.9(+)	HSA.CED.A.3	22 29	23 30	24	25	26	27	28
Flex [Days: Review, reteach, extend, assess	3									

Create equat	ions that describe numbers or relationships.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and
	interpret solutions as viable or non-viable options in a modeling context.
Solve system	s of equations.
HSA.REI.C.8	(+) Represent a system of linear equations as a single matrix equation in a vector variable.
HSA.REI.C.9	(+) Find the inverse of a matrix if it exists and use it to solve system of linear equations (use technology
	for matrices of dimensions 3 x 3 or greater).
Perform ope	rations on matrices and use matrices in applications.
HSN.VM.C.6	(+) Use matrices to represent and manipulate data.
HSN.VM.C.7	(+) Multiply matrices by scalars to produce new matrices.
HSN.VM.C.8	(+) Add, subtract, and multiply matrices of appropriate dimensions.
HSN.VM.C.9	(+) Understand that, unlike multiplication of numbers, matrix multiplication for square matrices is not a
	commutative operation, but still satisfies the associative and distributive properties.
HSN.VM.C.10	(+) Understand that the zero and identity matrices play a role in matrix addition and multiplication
	similar to the role of 0 and 1 in the real numbers. The determinant of

	Topic 2: Quadratic Functions and Equations										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	ges [:] P	ted acir	Moo ng	dule	2
2-1	Vertex Form of a Quadratic Function (No horizontal stretch/compressions for any families)	3	HSA.CED.A.2 HSF.IF.B.4	HSF.BF.B.3 HSF.IF.C.7a	S	Sep M	temb T	er /O o W	tober TH	2024 F	S
2-2	Standard Form of a Quadratic Function	3	HSA.CED.A.2 HSF.IF.B.4	HSF.IF.C.7a HSS.ID.B.6	15	16	17	18	19 26	20	21
2-3	Factored Form of a Quadratic Function	3	HSA.APR.B.3 HSA.SSE.B.3a	HSF.IF.C.7a HSA.SSE.A.2	29	30 7	1 8	2	3 10	4	5
2-4	Complex Numbers and Operations (Perform addition, subtraction, and multiplication)	3	HSN.CA.1 HSN.CN.A.2	HSN.CN.A.3	13 20	14 21	15 22	16 23	17 24	18 25	19 26
2-5	Completing the Square ($a = 1$ only)	3	HSA.REI.B.4a HSA.SSE.B.3b	HSA.REI.B.4b HSN.CN.C.7	27	28	29	30	31		
2-6	The Quadratic Formula	2	HSA.REI.B.4b HSN.CN.C.7	HSA.REI.B.4a							
2-7	Linear-Quadratic Systems	2	HSA.REI.C.7 HSA.REI.D.11	HSN.CN.C.7							
Flex	Days: Review, reteach, extend, assess										

Perform arith	metic operations with complex numbers.
HSN.CN.A.1	Know there is a complex number <i>i</i> such that $i^2 = -1$, and every complex number has the form $a + bi$ with <i>a</i> and <i>b</i> real.
HSN.CN.A.2	Use the relation $i^2 = -1$ and the commutative, associative, and distributive properties to add, subtract, and multiply complex numbers.
HSN.CN.A.3	(+) Find the conjugate of a complex number; use conjugates to find moduli ($ a + bi = \sqrt{a^2 + b^2}$) and quotients of complex numbers.
Use complex	numbers and their operations on the complex plane.
HSN.CN.C.7	Solve quadratic equations with real coefficients that have complex solutions.
Perform arith	imetic operations on polynomials.
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Solve equation	ons and inequalities in one variable.
HSA.REI.B.4	 Solve quadratic equations in one variable. a. Use the method of completing the square to transform any quadratic equation in x into an equation of the form (x - p)² = q that has the same solutions. Derive the quadratic formula from this form. b. Solve quadratic equations by inspection (e.g., for x² = 49), taking square roots, completing the square, the quadratic formula and factoring, as appropriate to the initial form of the equation. Recognize when the quadratic formula gives complex solutions and write them as a ± bi for real numbers a and b. s of equations
HSA.REI.C.7	Solve a simple system consisting of a linear equation and a quadratic equation in two variables algebraically and graphically.

Represent a	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.
Interpret th	e structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Write expre	ssions in equivalent forms to solve problems.
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression.
	 b. Complete the square in a quadratic expression to reveal the maximum or minimum value of the function it defines.
Build new fu	unctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing even and odd functions from their graphs and algebraic expressions for them.
Interpret fu	nctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
Analyze fun	ctions using different representations.
HSF.IF.C.7a	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases. a. Graph linear and quadratic functions and show intercepts, maxima, and minima.

	Topic 3: Polynomial Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	ges [.] P	ted acir	Mo ng	dule	•
3-1	Graphing Polynomial Functions	4	HSF.IF.B.4 HSF.IF.B.7c	HSF.IF.B.6		Nove	embe	r/Dec	embe	r 2024	•
3-2	Adding, Subtracting and Multiplying Polynomials	2	HSA.APR.A.1 HSF.IF.C.9	HSF.BF.A.1b	S 27	M 28	T 29	W 30	TH 31 7	F 1	S 2
3-3	Dividing Polynomials	2	HSA.APR.C.4	HSA.SSE.A.2	10	4	12	13	14	15	16
3-4	Polynomial Identities	4	HSA.APR.B.2 HSA.APR.D.6	HSA.SSE.A.2	17 24	18 25	19 26	20 27	21 28	22 29	23 30
3-5	Zeros of Polynomial Functions	4	HSA.APR.B.3 HSF.IF.C.7c	HSA.SSE.A.2	1 8	2 9	3 10	4	5 12	6 13	7
3-6	Theorems About Roots of Polynomial Equations (Graph focus, no Rational Root or Remainder Theorems)	2	HSN.CN.C.9(+)	HSN.CN.C.8(+) HSA.APR.B.2 <mark>HSA.APR.B.3</mark>	15 22	16 23	17 24	18 25	19 26	20 27	21 28
3-7	Transformations of Polynomial Functions (Cubic only)	1	HSF.BF.B.3								
Flex	Days: Review, reteach, extend, assess	4									

Use complex	numbers in polynomial identities and equations.
HSN.CN.C.8	(+) Extend polynomial identities to the complex numbers. For example, rewrite $x^2 + 4 = (x + 2i)(x - 2i)$
HSN.CN.C.9	(+) Know the Fundamental Theorem of Algebra; show that it is true for quadratic polynomials.
Perform arith	metic operations on polynomials.
HSA.APR.A.1	Understand that polynomials form a system analogous to the integers, namely, they are closed under the operations of addition, subtraction, and multiplication; add, subtract, and multiply polynomials.
Understand t	he relationship between zeros and factors of polynomials.
HSA.APR.B.2	Know and apply the Remainder Thm: For a polynomial $p(x)$ and a number a , the remainder on division by $x - a$ is $p(a)$, so $p(a) = 0$ iff $(x - a)$ is a factor of $p(x)$.
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial.
Use polynomi	al identities to solve problems.
HSA.APR.C.4	Prove polynomial identities and use them to describe numerical relationships. For example, the polynomial identity $(x^2 + y^2)^2 = (x^2 - y^2)^2 + (2xy)^2$ can be used to generate Pythagorean triples.
HSA.APR.D.6	Rewrite simple rational expressions in different forms; write $a(x)/b(x)$ in the form $q(x) + r(x) / b(x)$, where $a(x)$, $b(x)$, $q(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ less than the degree of $b(x)$, using inspection, long division, or computer algebra system.
Create equati	ons that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Interpret the	structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it. For example, see $x^4 - y^4$ as $(x^2)^2 - (y^2)^2$, thus recognizing the difference of squares that can be factored as $(x^2 - y^2)(x^2 + y^2)$.
Build a function	on that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities. b. Combine standard function types using arithmetic operations.

Build new f	unctions from existing functions.
HSF.BF.A.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing even and odd functions from their graphs and algebraic expressions for them.
Interpret fu	nctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph.
Analyze fun	ctions using different representations.
HSF.IF.C.7	 Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases. Graph polynomial functions identifying zeros when suitable factorizations are available, and showing end behavior.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically and in table or a verbal description).

Topic 4: Rational Functions										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						2
Review Fractions and Factoring Quadratics	1				January/February 2025					
4-1 Inverse Variation and the Reciprocal Function	4	HSF.BF.B.3	HSA.CED.A.2 HSF.IF.C.7d	S 5	M 6	Т 7	W 8	TH 9	F 10	S 11
 4-2 Graphing Rational Functions (Transformation of rational functions) 	2	HSF.BF.B.3 HSF.IF.C.7d HSA APR D 6	HSA.REI.D.11	12 19	13 20	14 21	15 22	16 23	17 24	18 25
4-3 Multiplying and Dividing Rational Expressions (Denominators with degree 1 or 2)	4	HSA.APR.D.6	HSA.APR.D.7 HSA.SSE.A.2	26 2	27 3	28 4	29 5	30 6	31 7	1 8
4-4 Adding and Subtracting Rational Expressions (Denominators with degree 1 or 2)	5	HSA.SSE.A.2 HSA.APR.D.7		9	10	11	12	13	14	15
4-5 Solving Rational Equations	5	HSA.REI.A.1 HSA.REI.A.2	HSA.CED.A.1							
Flex Days: Review, reteach, extend, assess	4									

Rewrite ratio	nal expressions.
HSA.APR.D.6	Rewrite simple rational expressions in different forms; write $a(x)/b(x)$ in the form $q(x) + r(x) / b(x)$, where $a(x), b(x), q(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ less than the degree of b(x), using inspection, long division, or computer algebra system.
HSA.APR.D.7	Rewrite rational expressions. Understand that rational expressions form a system analogous to the rational numbers, closed under addition, subtraction, multiplication, and division by a nonzero rational expression; add, subtract, multiply, and divide rational expressions.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Understand s	olving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method.
HSA.REI.A.2	Solve simple rational and radical equations in one variable, and give examples
Represent a	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.
Interpret the	structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it. For example, see $x^4 - y^4$ as $(x^2)^2 - (y^2)^2$, thus recognizing the difference of squares that can be factored as $(x^2 - y^2)(x^2 + y^2)$.

Build new f	functions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values of
	k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an
	graphs and algebraic expressions for them.
Analyze fu	nctions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	d. Graph rational functions, identifying zeros and asymptotes when suitable factorizations are available,
	and showing end behavior.

Topic 5: Rational Exponents and Radical Functions	
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	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
5-1	nth Roots, Radicals, and Rational Exponents					February/March 2025					
	(Use absolute value when simplifying expressions,	4		HSA.REI.A.1	S	М	Т	W	TH	F	S
	$\sqrt[4]{625x^{24}y^{28}} = 5x^{6}y' $. Use ± when solving		nsin.kin.a.z		9	10	11	12	13	14	15
	equations, if $x^2 = 36$, then $x = \pm 6$.)				16	17	18	19	20	21	22
5-2	Properties of Exponents and Radicals	4	HSA.SSE.A.1 HSA.SSE.A.2		23	24	25	26	27	28	1
			HSF.IF.B.4		2	3	4*	5	6	7	8
5-3	Graphing Radical Functions	3	HSF.IF.C.7b		9	10	11	12	13	14	15
			HSF.BF.B.3		16	17	18	19	20	21	22
5-4	Solving Radical Equations	2	HSA.REI.A.1 HSA.REI.A.2	HSA.CED.A.4	*Tentative: ACT Test Date		Date				
55	Function Operations	2	HSF.BF.A.1b								
5-5	Function Operations	5	HSF.BF.A.1c								
5-6	Inverse Relations and Euroctions	2	HSF.BF.B.4a	HSF.BF.B.4c							
5-0		5	HSF.BF.B.4b	HSF.BF.B.4d							
Flex	Days: Review, reteach, extend, assess	2									

Extend the p	roperties of exponents to rational exponents.
HSN.RN.A.1	Explain how the definitions of the meaning of rational exponents follows from extending the properties
	of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents.
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations.
Understand s	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the
	previous step, starting from the assumption that the original equation has a solution. Construct a viable
	argument to justify a solution.
HSA.REI.A.2	Solve simple rational and radical equations in one variable, and give examples showing how extraneous
	solutions may arise.
Interpret the	structure of expressions.
HSA.SSE.A.1	Interpret expressions that represent a quantity in terms of its context.
	a. Interpret parts of an expression, such as terms, factors, and coefficients.
	b. Interpret complicated expressions by viewing one or more of their parts as a single entity. For
	example, interpret P(1+r)n as the product of P and a factor not depending on P.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Build a funct	ion that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities.
	b. Combine standard function types using arithmetic operations. For example, build a function that
	models the temperature of a cooling body by adding a constant function to a decaying exponential,
	and relate these functions to the model.
	c. Compose functions. For example, if $T(y)$ is the temperature in the atmosphere as a function of height,
	and $n(t)$ is the neight of a weather balloon as a function of time, then $I(n(t))$ is the temperature at the

nctions from existing functions.
Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k f(x)$, $f(kx)$, and $f(x + k)$ for specific values of
k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate
an explanation of the effects on the graph using technology. Include recognizing even and odd
functions from their graphs and algebraic expressions for them.
Find inve <u>rse fu</u> nctions.
a. Solve an equation of the form $f(x) = c$ for a simple function f that has an inverse and write an expression for
the inverse. For example, $f(x) = 2x^3$ or $f(x) = \frac{x+1}{x-1}$ for $x \neq 1$.
b. (+) Verify by composition that one function is the inverse of another.
c. (+) Read values of an inverse function from a graph or a table, given the function has an inverse.
d. (+) Produce an invertible function from a non-invertible function by restricting the domain.
ictions that arise in applications in terms of the context.
For a function that models a relationship between two quantities, interpret key features of graphs and
tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
tions using different representations.
Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
using technology for more complicated cases.
b. Graph square root, cube root, and piecewise-defined functions, including step functions and absolute
value functions.

	Topic 6: Exponential and Logarithmic Functions											
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Modul Pacing							
6-1	Key Features of Exponential Functions (supplement transformations with (h,k) and $f(x) = ab^{x-h} + k$, Algebra 1 Topic 6-5)	4	HSF.BF.B.3 HSF.IF.B.4 HSF.IF.C.7e HSF.LE.B.5	HSF.IF.B.6 HSF.IF.C.9 HSF.LE.A.2	S 30	M 31	А Т 1	pril 2 W 2	025 TH 3	F 4	S 5	
6-2	Exponential Models	3	HSF.IF.C.8b HSF.LE.B.5 HSS.ID.B.6a	HSA.SSE.B.3c	6 13 20	7 14 21	8 15 22	9 16 23	10 17 24	11 18 25	12 19 26	
6-3	Logarithms	4	HSF.BF.B.4a HSF.BF.B.5 HSF.LE.A.4		27	28	29	30	1	2	3	
6-4	Logarithmic Functions	3	HSF.BF.B.3	HSF.BF.B.5 HSF.IF.B.5 HSF.IF.B.6 HSF.IF.C.7e HSF.IF.C.9								
6-5	Properties of Logarithms	3	HSA.SSE.A.2	HSF.LE.A.4 HSA.REI.A.1								
6-6	Exponential and Logarithmic Equations	3	HSA.SSE.A.2 HSA.CED.A.1	HSA.REI.A.1 HSA.REI.D.11 HSF.LE.A.4								
Flex	Days: Review, reteach, extend, assess	4										

Create equat	tions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
Understand	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution.
Represent an	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.
Interpret the	e structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Write expres	ssion in equivalent forms to solve problems.
HSA.SSE.B.3	 Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression. c. Use the properties of exponents to transform expressions for exponential functions. For example, the expression 1.15^t can be rewritten as (1.15^{1/12})^{12t} ≈ 1.012^{12t} to reveal the approximate equivalent monthly interest rate if the annual rate is 15%.
Build new fu	nctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing even and odd functions from their graphs and algebraic expressions for them.

HSF.BF.B.4	Find inverse functions.
	a. Solve an equation of the form $f(x) = c$ for a simple function f that has an inverse and write an expression for
	the inverse. For example, $f(x) = 2x^3$ or $f(x) = \frac{x+1}{x-1}$ for $x \neq 1$.
HSF.BF.B.5	(+) Understand the inverse relationship between exponents and logarithms and use this
Interpret fun	ictions that arise in applications in terms of context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and, to the quantitative relationship it describes.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function over a specified interval.
Analyze fund	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	e. Graph exponential and logarithmic functions, showing intercepts and end behavior, and trigonometric
	functions, showing period, midline, and amplitude.
HSF.IF.C.8	Write a function defined by an expression in different but equivalent forms to reveal and explain
	different properties of the function.
	b. Use the properties of exponents to interpret expressions for exponential functions. For example,
	identify percent rate of change in functions such as $y = (1.02)^t$, $y = (0.97)^t$, $y = (1.01)12^t$, $y = (1.2)^t/10$,
	and classify them as representing exponential growth or decay.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically in tables, or by verbal descriptions). For example, given a graph of one quadratic function
	and an algebraic expression for another, say which has the larger maximum.
Interpret exp	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph,
	a description of a relationship, or two input-output pairs (including reading these from a table).
HSF.LE.A.4	For exponential models, express as a logarithm the solution to $ab^{ct} = d$ where a, c , and d are numbers
	and the base b is 2, 10, or e; evaluate the logarithm using technology.
Interpret exp	pression for functions in terms of the situation they model.
HSF.LE.B.5	Interpret the parameters in a linear or exponential function in terms of a context.

	Topic 11: Statistics (Optional)										
Envision Lesson and Topic Suggested Primary Secondary Suggested Mod Pacing Standard(s) Standard(s) Pacing					Module Ig						
11-1	Statistical Questions and Variables	2	HSN.Q.A.2 HSN.IC.A.1	May 2025					F	ç	
11-2	Statistical Studies and Sampling Methods	2	HSN.IC.A.1 HSS.IC.B.3		4	5	6	7	1	2	3
11-2	Statistical Statics and Sampling Methods		HSS.IC.B.6		11	12	13	14	15	16	17
11-3	Data Distributions	2	HSS.ID.A.1 HSS.ID.A.2	HSS.IC.A.2	18 25	19 26	20 27	21 28	22 29	23 30	24 31
11-4	Normal Distributions	2	HSS.ID.A.4 HSS.IC.B.6		1	2	3	4	5	6	7
Flex I	Days: Review, reteach, extend, assess	2									

Understan	d and evaluate random processes underlying statistical experiments.
HSS.IC.A.1	Understand statistics as a process for making inferences about population parameters based on a random
	sample from that population.
HSS.IC.A.2	Decide if a specified model is consistent with results from a given data-generating process, e.g., using
	simulation. For example, a model says a spinning coin falls heads up with probability 0.5.
Make infer	ences and justify conclusions from sample surveys, experiments, and observational studies.
HSS.IC.B.3	Recognize the purposes of and differences among sample surveys, experiments, and observational studies;
	explain how randomization relates to each.
HSS.IC.B.6	Evaluate reports based on data.
Summarize	e, represent, and interpret data on a single count or measurement variable.
HSS.ID.A.1	Represent data with plots on the real number line (dot plots, histograms, and box plots).
HSS.ID.A.2	Use statistics appropriate to the shape of the data distribution to compare center (median,
HSS.ID.A.4	Use the mean and standard deviation of a data set to fit it to a normal distribution and to estimate population
	percentages. Recognize that there are data sets for which such a procedure is not appropriate. Use calculators,
	spreadsheets, and tables to estimate areas under the normal curve.

2024-2025

Algebra 2 Honors Course Guide

#2227/2228 Algebra 2 Honors

Algebra 2 Honors Pacing

(Days in Q1-44, Q2-39, Q3-48, Q4-49)

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic.

assessment as needed throughout the topic.								
Торіс	Days	Торіс	Days					
1 – Linear Functions & Systems	12	4 – Rational Functions	25					
10 - Matrices	14	5 – Rational Exponents & Radical Functions	22					
2 – Quadratic Functions & Equations	24	6 – Exponential & Logarithmic Functions	22					
3 – Polynomial Functions	20	11 – Statistics (optional)	10					
Semester Flex/Review Days	7	7-Trigonometry (optional)	10					
Final Exams	4	Semester Flex/Review Days	3					
		Final Exams	4					
Be here by end of Semeste	er One	Be here by end of Semeste	er Two					

If time allows, look at STEM Projects and Math in 3 Acts

Topic 1: Linear Functions and Systems										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	gest P	ted acir	Moo ng	dule	•
Supplement 1-1 Key Features: Domain/Range, relative Max/Min, end behavior Use interval notation and inequalities for Domain & Range. Transformations of Absolute Value Functions	3	HSF.BF.B.3 HSF.IF.B.4 HSF.IF.B.5 HSF.IF.B.7b	HSF.IF.B.6	August/September 2024 S M T W TH F Image: Image of the second secon				S 3		
1-3 Piecewise-Defined Functions	2	HSF.IF.B.7b HSS.ID.B.6a	HSF.IF.B.5 HSF.LE.A.2	4	5	6	7	8	9	10
1-5 Solving Equations and Inequalities by Graphing	2	HSA.CED.A.1	HSA.REI.D.11	11 18 25	19 26	20	21 28	22 29	23 30	24
1-6 Linear Systems solve (3 equations, 3 unknowns) by graphing, substitution and elimination, no matrices	3	HSA.CED.A.3 HSA.REI.C.6	HSA.CED.A.2	1 8	29	3 10	4	5 12	6 13	7
Flex Days: Review, reteach, extend, assess	2									

Create equa	tions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context.
Solve system	ns of equations.
HSA.REI.C.6	Solve systems of linear equations exactly and approximately (e.g., with graphs), focusing on pairs of linear equations in two variables.
Represent a	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.
Build new fu	inctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology.
Interpret fur	nctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts, relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and the quantitative relationship it describes.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table) over a specified interval. Estimate the rate of change from a graph.
Analyze fund	ctions using different representations.
HSF.IF.C.7	 Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases. b. Graph square root, cube root, and piecewise-defined functions, including step functions and absolute value functions.
Interpret ex	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including from a table).
Summarize,	represent, and interpret data on two categorical and quantitative variables
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot, and describe how the variables are related. a. Fit a function to the data; use functions fitted to data to solve problems in the context of the data. Use given functions or choose a function suggested by the context. Emphasize linear, quadratic, and exponential models.

	Topic 10: Matrices										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	y Suggested Module s) Pacing						
10-1	Operations with Matrices (Calculate all operations (and determinants) by hand and with technology.)	2	HSN.VM.C.6(+) HSN.VM.C.7(+) HSN.VM.C.8(+)		S	М	Sept T	embe W	e r 202 4 TH	F	S
10-2	Matrix Multiplication	2	HSN.VM.C.8(+) HSN.VM.C.10(+)	HSN.VM.C.9(+)	1	2	3	4	5	6	7
10-3	Vectors	2	HSN.VM.A.1 HSN.VM.B.4 HSN.VM.B.5	HSN.VM.C.11	8	9 5 16 2 23	10 17 24	11 18 25	12 19 26	13 20 27	14 21 28
10-4	Inverses and Determinants (Ex. 1-5)	2	HSA.REI.C.9(+) HSN.VM.C.10(+)		2	ə 30		20	20	/	
10-5	Inverse Matrices & System of Equations (Calculate all operations (and determinants) by hand and with technology.)	3	HSA.REI.C.8(+) HSA.REI.C.9(+)	HSA.CED.A.3							
Flex I	Days: Review, reteach, extend, assess	3									

Create equa	tions that describe numbers or relationships.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context.
Solve system	ns of equations.
HSA.REI.C.8	(+) Represent a system of linear equations as a single matrix equation in a vector variable.
HSA.REI.C.9	(+) Find the inverse of a matrix if it exists and use it to solve system of linear equations (use technology for matrices of dimensions 3 x 3 or greater).
Represent a	nd model with vector quantities.
HSN.VM.A.1	(+) Recognize vector quantities as having both magnitude and direction. Represent vector quantities by directed line segments, and use appropriate symbols for vectors and their magnitude.
Perform ope	rations on vectors.
HSN.VM.B.4	 (+) Add and subtract vectors. a. Add vectors end-to-end component wise, and by the parallelogram rule. Understand that the magnitude of a sum of the magnitudes. b. Given two vectors in magnitude and direction form, determine the magnitude and direction of their sum. c. Understand vector subtraction v - w, as v + (-w), where - w is the additive inverse of w, with the same magnitude as w and pointing in the opposite direction. Represent vector subtraction graphically by connecting the tips in the appropriate order, and perform vector subtraction component-wise. Compute the magnitude of a scalar multiple cy using cy = c y. Compute the direction of cy knowing that
11314. 4141.5.5	when $ c v \neq 0$, the direction of cv is either along v (for $c > 0$) or against v (for $c < 0$).
Perform ope	rations on matrices and use matrices in applications.
HSN.VM.C.6	(+) Use matrices to represent and manipulate data.
HSN.VM.C.7	(+) Multiply matrices by scalars to produce new matrices.
HSN.VM.C.8	(+) Add, subtract, and multiply matrices of appropriate dimensions.
HSN.VM.C.9	(+) Understand that, unlike multiplication of numbers, matrix multiplication for square matrices is not a commutative operation, but still satisfies the associative and distributive properties.
HSN.VM.C.10	(+) Understand that the zero and identity matrices play a role in matrix addition and multiplication similar to the role of 0 and 1 in the real numbers. The determinant of

	Topic 2: Quadratic Functions and Equations										
Envision Lesson and Topic Suggested Primary Secondary Suggested M Pacing Standard(s) Standard(s) Pacing					Moo ng	dule	9				
2-1	Vertex Form of a Quadratic Function (No horizontal stretch/compressions for any families)	3	HSA.CED.A.2 HSF.IF.B.4	HSF.BF.B.3	S	Sep M	temb	er/Oo W	tober	2024 F	s
2-2	Standard Form of a Quadratic Function	3	HSA.CED.A.2 HSF.IF.B.4	HSS.ID.B.6	15	5 16	17	18	19	20	21
2-3	Factored Form of a Quadratic Function	3	HSA.APR.B.3 HSA.SSE.B.3a	HSA.SSE.A.2 HSA.SSE.B.3b	29	30	1	2	3	4	5
2-4	Complex Numbers and Operations	3	HSN.CA.1 HSN.CN.A.2	HSN.CN.A.3(+)	6 13	7 3 14	8 15	9 16	10 17	11 18	12 19
2-5	Completing the Square	3	HSA.REI.B.4 HSA.SSE.B.3b	HSA.REI.B.4b HSN.CN.C.7	20	21 28	22 29	23 30	24 31	25 1	26 2
2-6 The Quadratic Formula		3	HSA.REI.B.4b HSN.CN.C.7	HSA.REI.B.4a							
2-7 Linear-Quadratic Systems			HSA.REI.C.7 HSA.REI.D.11	HSN.CN.C.7							
Flex	Flex Days: Review, reteach, extend, assess 4										

Perform arith	metic operations with complex numbers.
HSN.CN.A.1	Know there is a complex number <i>i</i> such that $i^2 = -1$, and every complex number has the form $a + bi$ with <i>a</i> and <i>b</i> real.
HSN.CN.A.2	Use the relation $i^2 = -1$ and the commutative, associative, and distributive properties to add, subtract, and multiply complex numbers.
HSN.CN.A.3	(+) Find the conjugate of a complex number; use conjugates to find moduli ($ a + bi = \sqrt{a^2 + b^2}$) and quotients of complex numbers.
Use complex	numbers and their operations on the complex plane.
HSN.CN.C.7	Solve quadratic equations with real coefficients that have complex solutions.
Perform arith	metic operations on polynomials.
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a rough graph of the function defined by the polynomial.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Solve equation	ons and inequalities in one variable.
HSA.REI.B.4	 Solve quadratic equations in one variable. a. Use the method of completing the square to transform any quadratic equation in x into an equation of the form (x - p)² = q that has the same solutions. Derive the quadratic formula from this form. b. Solve quadratic equations by inspection (e.g., for x² = 49), taking square roots, completing the square, the quadratic formula and factoring, as appropriate to the initial form of the equation. Recognize when the quadratic formula gives complex solutions and write them as a ± bi for real numbers a and b. s of equations
HSA.REI.C.7	Solve a simple system consisting of a linear equation and a quadratic equation in two variables algebraically and graphically.

Represent a	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$
	intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using
	technology to graph the functions, make tables of values, or find successive approximations. Include
	cases where f(x) and/or g(x) are linear, polynomial, rational, absolute value, exponential, and
	logarithmic functions.
Interpret th	e structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Write expre	ssions in equivalent forms to solve problems.
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity
	represented by the expression.
	a. Factor a quadratic expression to reveal the zeros of the function it defines.
	b. Complete the square in a quadratic expression to reveal the maximum or minimum value of the
	function it defines.
Build new f	unctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values of
	k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an
	explanation of the effects on the graph using technology. Include recognizing even and odd functions from
	their graphs and algebraic expressions for them.
Interpret fu	nctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in
	terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship.
	Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative;
	relative maximums and minimums; symmetries; end behavior; and periodicity.
Analyze fun	ctions using different representations.
HSF.IF.C.7a	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	a. Graph linear and quadratic functions and show intercepts, maxima, and minima.

	Topic 3: Polynomial Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
3-1	Graphing Polynomial Functions	3	HSF.IF.B.4 HSF.IF.C.7c	HSF.IF.A.2 HSF.IF.B.6		Nove	embei	/Dec	embe	r 2024	
3-2	Adding, Subtracting and Multiplying Polynomials	2	HSA.APR.A.1 HSF.IF.C.9	HSF.BF.A.1b	27 3	M 28 4	1 29 5	W 30 6	1H 31 7	F 1 8	2
3-3	Dividing Polynomials	2	HSA.APR.C.4	HSA.SSE.A.2	10	11	12	13	14	15	16
3-4	Polynomial Identities	4	HSA.APR.B.2 HSA.APR.D.6	HSA.SSE.A.2	17 24	18 25	19 26	20 27	21 28	22 29	23 30
3-5	Zeros of Polynomial Functions	4	HSA.APR.B.3 HSF.IF.C.7c	HSF.IF.A.2 HSA.SSE.A.2	1 8	2 9	3 10	4 11	5 12	6 13	7 14
3-6	Theorems About Roots of Polynomial Equations (Graph focus, no Rational Root or Remainder Theorems)	2	HSN.CN.C.9(+)	HSN.CN.C.8(+) HSA.APR.B.2 <mark>HSA.APR.B.3</mark>	15 22	16 23	17 24	18 25	19 26	20 27	21 28
3-7	Transformations of Polynomial Functions (Cubic only)	1	HSF.BF.B.3								
Flex	Days: Review, reteach, extend, assess	2	2								

Use complex	numbers in polynomial identities and equations.
HSN.CN.C.8	(+) Extend polynomial identities to the complex numbers. For example, rewrite $x^2 + 4$ as
	(x+2i)(x-2i).
HSN.CN.C.9	(+) Know the Fundamental Theorem of Algebra; show that it is true for quadratic polynomials.
Perform arit	nmetic operations on polynomials.
HSA.APR.A.1	Understand that polynomials form a system analogous to the integers, namely, they are closed under
	the operations of addition, subtraction, and multiplication; add, subtract, and multiply polynomials.
Understand	the relationship between zeros and factors of polynomials.
HSA.APR.B.2	Know and apply the Remainder Theorem: For polynomial p(x) and number a, the remainder of division
	by $(x - a)$ is $p(a)$, so $p(a) = 0$ if and only if $(x - a)$ is a factor of $p(x)$.
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a
	rough graph of the function defined by the polynomial.
Use polynom	ial identities to solve problems.
HSA.APR.C.4	Prove polynomial identities and use them to describe numerical relationships. For example, the
	polynomial identity $(x^2 + y^2)^2 = (x^2 - y^2)^2 + (2xy)^2$ can be used to generate Pythagorean triples.
HSA.APR.D.6	Rewrite simple rational expressions in different forms; write $a(x)/b(x)$ in the form $q(x) + r(x)/b(x)$, where $a(x)$,
	b(x), $q(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ less than the degree of $b(x)$, using inspection, long
	division, or computer algebra system.
Interpret the	structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it. For example, see $x^4 - y^4$ as $(x^2)^2 - (y^2)^2$, thus
	recognizing the difference of squares that can be factored as $(x^2 - y^2)(x^2 + y^2)$.
Build a funct	ion that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities.
	b. Combine standard function types using arithmetic operations.

Build new functions from existing functions.						
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values					
	of k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an					
	explanation of the effects on the graph using technology. Include recognizing even and odd functions from					
	their graphs and algebraic expressions for them.					
Understand	the concept of a function and use function notation.					
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret					
	statements that use function notation in terms of a context.					
Interpret fur	actions that arise in applications in terms of the context.					
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and					
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of					
	the relationship. Key features include: intercepts; intervals where the function is increasing,					
	decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and					
	periodicity.					
HSE IE B 6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table)					
1131.11.10.0	over a specified interval. Estimate the rate of change from a graph.					
Analyze fund	tions using different representations.					
HSF.IF.C.7	Granh functions expressed symbolically and show key features of the granh, by hand in simple cases and					
	using technology for more complicated cases					
	• Grand networking terminal functions, identifying zeros when suitable factorizations are available, and showing					
	and behavior					
	Compare properties of two functions each represented in a different way (algebraically, graphically,					
EDF.IF.C.9	compare properties of two functions each represented in a different way (algebraically, graphically, numerically and in table or a verbal description)					
	numericany and in table of a verbal description.					

Topic 4: Rational Functions										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				:		
Review Fractions and Factoring Quadratics	1			January/February 2025						
4-1 Inverse Variation and the Reciprocal Function	2	HSF.BF.B.3	HSA.CED.A.2 HSF.IF.C.7d	S 5	M 6	Т 7	W 8	ТН 9	F 10	S 11
4-2 Graphing Rational Functions	4	HSF.BF.B.3 HSF.IF.C.7d	HSA.REI.D.11	12	13	14	15	16	17	18
(Transformation of rational functions)	•	HSA.APR.D.6		19	20	21	22	23	24	25
4-3 Multiplying and Dividing Rational Expressions	4	HSA.APR.D.6	HSA.APR.D.7	26	27	28	29	30	31	1
	•		HSA.SSE.A.2	2	3	4	5	6	7	8
4-4 Adding and Subtracting Rational Expressions	5	HSA.SSE.A.2 HSA.APR.D.7		9	10	11	12	13	14	15
4-5 Solving Rational Equations	5	HSA.REI.A.1 HSA.REI.A.2	HSA.CED.A.1							
Flex Days: Review, reteach, extend, assess	4									

Rewrite ratio	nal expressions.						
HSA.APR.D.6	Rewrite simple rational expressions in different forms; write $a(x)/b(x)$ in the form $q(x) + r(x) / b(x)$, where $a(x)$, $b(x)$, $q(x)$, and $r(x)$ are polynomials with the degree of $r(x)$ less than the degree of $b(x)$, using inspection, long division, or computer algebra system.						
HSA.APR.D.7	Rewrite rational expressions. Understand that rational expressions form a system analogous to the rational numbers, closed under addition, subtraction, multiplication, and division by a nonzero rational expression; add, subtract, multiply, and divide rational expressions.						
Create equat	ions that describe numbers or relationships.						
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and simple rational and exponential functions.						
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.						
Understand s	olving equations as a process of reasoning and explain the reasoning.						
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method.						
HSA.REI.A.2	Solve simple rational and radical equations in one variable, and give examples						
Represent an	d solve equations and inequalities graphically.						
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.						
Interpret the	structure of expressions.						
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it. For example, see $x^4 - y^4$ as $(x^2)^2 - (y^2)^2$, thus recognizing the difference of squares that can be factored as $(x^2 - y^2)(x^2 + y^2)$.						

Build new fu	nctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for specific values
	of <i>k</i> (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate an explanation of the effects on the graph using technology. Include recognizing even and odd functions from their graphs and algebraic expressions for them.
Analyze fund	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases.

	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing							
5-1	nth Roots, Radicals, and Rational Exponents				Fe	bruar	y/Ma	rch 2	025			
	(Use absolute value when simplifying expressions,	4	HSN.RN.A.1	HSA RFLA 1	S	М	Т	W	TH	F	S	
	$\sqrt[4]{625x^{24}y^{28}} = 5x^6y^7 $. Use± when solving HSN.RN.A.2		9	10	11	12	13	14	15			
	equations, if $x^2 = 36$, then $x = \pm 6$.)				16	17	18	19	20	21	22	
5-2	Properties of Exponents and Radicals	4	HSA.SSE.A.1		23	24	25	26	27	28	1	
	• •	-	HSA.SSE.A.2		2	з	4*	5	6	7	8	
5-3	Graphing Radical Functions	3	HSFIFC 7h		9	10	11	12	13	14	15	
5-2		5	HSF.BF.B.3		16	17	10	10	20	21	22	
с <i>и</i>	Colving Rodical Equations	2	HSA.REI.A.1		10	17 *To	10 atatiw	19	20 Toct I		22	
5-4	Solving Radical Equations	3	HSA.REI.A.2	HSA.CED.A.4	Tientative: ACT Test Date							
5-5	Function Operations	2	HSF.BF.A.1b									
5-5		5	HSF.BF.A.1c									
5-6	Inverse Relations and Functions	3	HSF.BF.B.4a	HSF.BF.B.4c								
50		5	HSF.BF.B.4b	HSF.BF.B.4d								
Flex	Days: Review, reteach, extend, assess	2										

Extend the p	roperties of exponents to rational exponents.
HSN.RN.A.1	Explain how the definitions of the meaning of rational exponents follows from extending the properties
	of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents.
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.
Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations.
Understand	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the
	previous step, starting from the assumption that the original equation has a solution. Construct a viable
	argument to justify a solution.
HSA.REI.A.2	Solve simple rational and radical equations in one variable, and give examples showing how extraneous
	solutions may arise.
Interpret the	structure of expressions.
HSA.SSE.A.1	Interpret expressions that represent a quantity in terms of its context.
	a. Interpret parts of an expression, such as terms, factors, and coefficients.
	b. Interpret complicated expressions by viewing one or more of their parts as a single entity. For
	example, interpret P(1+r)n as the product of P and a factor not depending on P.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Build a funct	ion that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities.
	b. Combine standard function types using arithmetic operations. For example, build a function that
	models the temperature of a cooling body by adding a constant function to a decaying exponential,
	and relate these functions to the model.
	c. Compose functions. For example, if T(y) is the temperature in the atmosphere as a function of height,
	and h(t) is the height of a weather balloon as a function of time, then T(h(t)) is the temperature at the
	location of the weather balloon as a function of time.

Build new fu	nctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k f(x)$, $f(kx)$, and $f(x + k)$ for specific values of
	k (both positive and negative); find the value of k given the graphs. Experiment with cases and illustrate
	an explanation of the effects on the graph using technology. Include recognizing even and odd
	functions from their graphs and algebraic expressions for them.
HSF.BF.B.4	Find inve <u>rse fu</u> nctions.
	a. Solve an equation of the form $f(x) = c$ for a simple function f that has an inverse and write an expression for
	the inverse. For example, $f(x) = 2x^3$ or $f(x) = \frac{x+1}{x-1}$ for $x \neq 1$.
	b. (+) Verify by composition that one function is the inverse of another.
	c. (+) Read values of an inverse function from a graph or a table, given the function has an inverse.
	d. (+) Produce an invertible function from a non-invertible function by restricting the domain.
Interpret fur	ictions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
Analyze func	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	b. Graph square root, cube root, and piecewise-defined functions, including step functions and absolute
	value functions.

	Topic 6: Exponential and Logarithmic Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
6-1	Key Features of Exponential Functions (supplement transformations with (h,k) and $f(x) = ab^{x-h} + k$, Algebra 1 Topic 6-5)	4	HSF.BF.B.3 HSF.IF.B.4 HSF.IF.C.7e HSF.LE.B.5	HSF.IF.B.6 HSF.IF.C.9 HSF.LE.A.2	S 30	M 31	A T 1	pril 20 W 2	025 TH 3	F 4	S 5
6-2	Exponential Models	3	HSF.IF.C.8b HSF.LE.B.5 HSS.ID.B.6a	HSA.SSE.B.3c	6 13 20	7 14 21	8 15 22	9 16 23	10 17 24	11 18 25	12 19 26
6-3	Logarithms	4	HSF.BF.B.4a HSF.BF.B.5 HSF.LE.A.4		27	28	29	30	1	2	3
6-4	Logarithmic Functions	3	HSF.BF.B.3	HSF.BF.B.5 HSF.IF. B.5 HSF.IF.B.6 HSF.IF. C.7e HSF.IF.C.9							
6-5	Properties of Logarithms	4	HSA.SSE.A.2	HSF.LE.A.4 HSA.REI.A.1							
6-6	Exponential and Logarithmic Equations	2	HSA.SSE.A.2 HSA.CED.A.1	HSA.REI.A.1 HSA.REI.D.11 HSF.LE.A.4							
Flex	Days: Review, reteach, extend, assess	2									

Create equat	ions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
Understand s	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the
	previous step, starting from the assumption that the original equation has a solution. Construct a viable
	argument to justify a solution.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$
	intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using
	technology to graph the functions, make tables of values, or find successive approximations. Include
	cases where f(x) and/or g(x) are linear, polynomial, rational, absolute value, exponential, and logarithmic
	functions.
Interpret the	structure of expressions.
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.
Write expres	sion in equivalent forms to solve problems.
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the
	quantity represented by the expression.
	c. Use the properties of exponents to transform expressions for exponential functions. For example,
	the expression 1.15^{t} can be rewritten as $(1.15^{1/12})^{12t} \approx 1.012^{12t}$ to reveal the approximate equivalent
	monthly interest rate if the annual rate is 15%.
Build new fu	nctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, k $f(x)$, $f(kx)$, and $f(x + k)$ for specific values
	of k (both positive and negative); find the value of k given the graphs. Experiment with cases and
	illustrate an explanation of the effects on the graph using technology. Include recognizing even and
	odd functions from their graphs and algebraic expressions for them.

HSF.BF.B.4	Find inve <u>rse fu</u> nctions.
	a. Solve an equation of the form $f(x) = c$ for a simple function f that has an inverse and write an expression for
	the inverse. For example, $f(x) = 2x^3$ or $f(x) = \frac{x+1}{x-1}$ for $x \neq 1$.
HSF.BF.B.5	(+) Understand the inverse relationship between exponents and logarithms and use this
Interpret fur	nctions that arise in applications in terms of context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and, to the quantitative relationship it describes.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function over a specified interval.
Analyze fund	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	e. Graph exponential and logarithmic functions, showing intercepts and end behavior, and trigonometric
	functions, showing period, midline, and amplitude.
HSF.IF.C.8	Write a function defined by an expression in different but equivalent forms to reveal and explain
	different properties of the function.
	b. Use the properties of exponents to interpret expressions for exponential functions. For example,
	identify percent rate of change in functions such as $y = (1.02)^t$, $y = (0.97)^t$, $y = (1.01)12^t$, $y = (1.2)^t/10$,
	and classify them as representing exponential growth or decay.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically in tables, or by verbal descriptions). For example, given a graph of one quadratic function
	and an algebraic expression for another, say which has the larger maximum.
Interpret ex	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph,
	a description of a relationship, or two input-output pairs (including reading these from a table).
HSF.LE.A.4	For exponential models, express as a logarithm the solution to $ab^{ct} = d$ where a, c , and d are numbers
	and the base b is 2, 10, or e; evaluate the logarithm using technology.
Interpret ex	pression for functions in terms of the situation they model.
HSF.LE.B.5	Interpret the parameters in a linear or exponential function in terms of a context.

Topic 11: Statistics (Optional)										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing				:		
¹¹⁻¹ Statistical Questions and Variables	2	HSN.Q.A.2	May 2025							
		HSN.IC.A.1		S	М	Т	W	TH	F	S
11.2. Chatistical Chudica and Consuling Mathematic	2	HSN.IC.A.1						1	2	3
11-2 Statistical Studies and Sampling Methods	Z	HSS.IC.B.6		4	5	6	7	8	9	10
	-	HSS.ID.A.1		11	12	13	14	15	16	17
11-3 Data Distributions	2	HSS.ID.A.2	HSS.IC.A.2	18	19	20	21	22	23	24
11.4 Normal Distributions	2	HSS.ID.A.4		25	26	27	28	29	30	31
11-4 Normal Distributions	2	HSS.IC.B.6		1	2	3	4	5	6	7
Flex Days: Review, reteach, extend, assess	2									

Understand	and evaluate random processes underlying statistical experiments.
HSS.IC.A.1	Understand statistics as a process for making inferences about population parameters based on a random sample from that population.
HSS.IC.A.2	Decide if a specified model is consistent with results from a given data-generating process, e.g., using simulation. For example, a model says a spinning coin falls heads up with probability 0.5.
Make infere	nces and justify conclusions from sample surveys, experiments, and observational studies.
HSS.IC.B.3	Recognize the purposes of and differences among sample surveys, experiments, and observational studies; explain how randomization relates to each.
HSS.IC.B.6	Evaluate reports based on data.
Summarize,	represent, and interpret data on a single count or measurement variable.
HSS.ID.A.1	Represent data with plots on the real number line (dot plots, histograms, and box plots).
HSS.ID.A.2	Use statistics appropriate to the shape of the data distribution to compare center (median,
HSS.ID.A.4	Use the mean and standard deviation of a data set to fit it to a normal distribution and to estimate population percentages. Recognize that there are data sets for which such a procedure is not appropriate. Use calculators, spreadsheets, and tables to estimate areas under the normal curve.

Topic 7: Trigonometry (Optional)											
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
7-1	Trigonometric Functions and Acute Angles	2	HSF.TF.A.3(+)	HSF.TF.A.2 HSF.TF.C.8	May 2025						
7-2	Angles and the Unit Circle	2	HSF.TF.A.1		S 4	M 5	Т 6	W 7	TH 8	F 9	S 10
7-3	Trigonometric Functions and Real Numbers	2	HSF.TF.A.2 HSF.TF.C.8	HSF.TF.A.3(+)	11 18	12 19	13 20	14 21	15 22	16 23	17 24
Flex Days: Review, reteach, extend, assess		2			25 1	26 2	27 3	28 4	29 5	30 6	31 7

Extend the domain of trigonometric functions using the unit circle.					
HSF.TF.A.1	Understand radian measure of an angle as the length of the arc on the unit circle subtended by the angle.				
HSF.TF.A.2	Explain how the unit circle in the coordinate plane enables the extension of trigonometric functions to all real				
	numbers, interpreted as radian measures of angles traversed counterclockwise around the unit circle.				
HSF.TF.A.3	(+) Use special triangles to determine geometrically the values of sine, cosine, tangent for $\pi/3$, $\pi/4$ and $\pi/6$, and use				
	the unit circle to express the values of sine, cosine, and tangent for x, π + x, and 2π - x in terms of their values for x,				
	where x is any real number.				
Prove and apply trigonometric identities.					
HSF.TF.C.8	Prove the Pythagorean identity $sin2(\theta) + cos2(\theta) = 1$ and use it to find $sin(\theta)$, $cos(\theta)$, or $tan(\theta)$ given $sin(\theta)$, $cos(\theta)$, or				
	$tan(\theta)$ and the quadrant of the angle.				
Introductory PreCalculus Course Guide

#2049/2050 Introductory Pre-Calculus

Course Description

This is a one-year course designed to follow Algebra 2. The major topics of semester one of study are polynomials and rational functions, exponential and logarithmic functions, domain and range of advanced functions, the use of notation in set, interval and inequality, composition of functions, complex numbers, powers and roots, polynomial equations and inequalities, rational equations and inequalities. The major topics of semester two are matrix operations and applications, system of linear equations in two and three variables, conic sections, sequences and series, probability, and limits. At this time this course is not endorsed by the NCAA, if you have questions about this please contact your school counselor.

Introductory PreCalculus - Semester 1			
	Торіс	Resource	
	Basics of Functions and Their Graphs	1.2	
	More on Functions and Their Graphs	1.3	
lear .	Linear Functions	1.4	
ic Lir Ch. 1	Transformations of Functions	1.6	
Top	Combinations of Functions; Composite Functions	1.7	
	Inverse Functions	1.8	
	Modeling with Functions	1.10	
	Polynomials	p4	
ons	Factoring Polynomials	p5	
uncti	Complex Numbers	2.1	
nal Fr	Quadratic Functions	2.2	
ation	Polynomial Functions and Their Graphs	2.3	
and R Ch. 2	Dividing Polynomials; Remainder and Factor Theorems	2.4	
niala	Zeros of Polynomial Functions	2.5	
ynor	Rational Expressions	p6	
c Pol	Rational Functions and Their Graphs	2.6	
Topi	Solving Rational Equations		
	Polynomial and Rational Inequalities	2.7	
	Exponents and Scientific Notation	p2	
als c	Radical and Rational Exponents	р3	
ientiä thmi	Exponential Functions	3.1	
xpon ogari Ch. 3	Logarithmic Functions	3.2	
pic E nd Lc	Properties of Logarithms	3.3	
a	Exponential and Logarithmic Equations	3.4	
	Exponential Growth and Decay; Modeling Data	3.5	
Final Review and Final Exams			

Introductory PreCalculus - Semester 2		
	Торіс	Resource
	Systems of Linear Equations in Two and Three Variables	7.1 – 7.2
su	Partial Fractions	7.3
yster . 7	Systems of Nonlinear Equations in Two Variables	7.4
pic S Ch	Systems of Inequalities (supplement with nonlinear)	7.5
To	Linear Programming	7.6
	Review-Distance and Midpoint Formulas; Circles	1.9
	Matrix Solutions to Linear Systems	8.1
rrices	Inconsistent and Dependent Systems and their Applications	8.2
: Mat Ch. 8	Matrix Operations and Their Applications	8.3
Topic	Multiplicative Inverses of Matrices and Matrix Equations	8.4
	Determinants and Cramer's Rule	8.5
S	The Ellipse Circles	9.1
Conic	The Hyperbola	9.2
pic Ch.	The Parabola	9.3
Tc	Parametric Equations - optional	9.5
ty	Sequences and Summation Notation	10.1
ces, abili	Arithmetic Sequences and Series	10.2
quen Prob 10	Geometric Sequences and Series	10.3
c Sec and Ch.	The Binomial Theorem - optional	10.5
Topi rries,	Counting Principles, Permutations and Combinations	10.6
Se	Probability	10.7
S	Finding Limits Using Tables and Graphs	11.1
Limit 11 onal	Finding Limits Using Properties of Limits	11.2
opic Ch. opti	Limits and Continuity	11.3
F	Introduction to Derivatives	11.4
Final Review and Final Exams		

PreCalculus w/Trigonometry Course Guide

#2231/2232 PreCalculus w/Trig

Course Description

This is a one-year honors level course designed to teach the basic fundamentals of pre-calculus with the trigonometry. The major topics of study are: domain and range of advanced functions; composition of functions; rational and polynomial inequalities; complex numbers; powers and roots; exponential and logarithmic functions; trigonometric and circular functions; Cartesian and polar forms of equations; vectors; sequences and series; conics sections; systems of nonlinear equations; and limits. Throughout the year, students will continue to develop the ability to reason and communicate mathematically, apply learned concepts to new problem-solving situations, and exhibit increased confidence in their ability to solve mathematical problems. Graphing calculators are required. Pre-requisite into this class is Algebra 2 with a C or better.

PreCalculus w/Trig - Semester 1			
	Торіс	Resource	
.1	Basics of Functions and Their Graphs	1.2	
	More on Functions and Their Graphs	1.3	
- Cl	Linear Functions	1.4	
viev 1 v	Transformations of Functions	1.6	
Rey	Combinations of Functions; Composite Functions	1.7	
	Modeling with Functions	1.10	
	Quadratic Functions	2.2	
۲. ۲ ۲. ۲	Polynomial Functions and Their Graphs	2.3	
- Cl	Dividing Polynomials; Remainder and Factor Theorems	2.4	
viev 3 v e	Zeros of Polynomial Functions	2.5	
Rev	Rational Functions and Their Graphs	2.6	
	Polynomial and Rational Inequalities	2.7	
	Radical and Rational Exponents	р3	
ю. Г. ч.	Exponential Functions	3.1	
- CF	Logarithmic Functions	3.2	
view 2 x 6	Properties of Logarithms	3.3	
Rev	Exponential and Logarithmic Equations	3.4	
	Exponential Growth and Decay; Modeling Data	3.5	
. 4 دلا	Angles and Radian Measure	4.1	
сh Ј (Trigonometric Functions: The Unit Circle	4.2	
	Be Here by Fall Break		
	Trigonometric Functions: The Unit Circle	4.2	
	Right Triangle Trig	4.3	
ont) eks	Trigonometric Functions of Any Angle	4.4	
4 (c Ve	Graphs of Sine and Cosine Functions	4.5	
СҺ. 5.5	Graphs of Other Trig Functions	4.6	
	Inverse Trig Functions	4.7	
	Applications of Trig Functions	4.8	
	The Law of Sines	6.1	
. 6 eeks	The Law of Cosines	6.2	
ی د ک	Vectors	6.6	
	The Dot Product (optional)	6.7	
Final Review and Final Exams			

PreCalculus w/Trig - Semester 2			
	Торіс	Resource	
	Verifying Trig Identities	5.1	
. 5 Seks	Sum and Difference Formulas	5.2	
с р	Double-Angle, Power Reducing, and Half-Angle Formulas	5.3	
2,	Trigonometric Equations	5.5	
ks ()	Polar Coordinates	6.3	
ch. 6 cont vee	Graphs of Polar Equations	6.4	
, s	Complex Numbers in Polar Form; DeMoivre's Theorem.	6.5	
	Review - Systems of Linear Equations in Two and Three Variables	7.1 – 7.2	
	Partial Fractions	7.3	
. 7 eeks	Systems of Nonlinear Equations in Two Variables	7.4	
3 Č C	Systems of Inequalities (supplement with nonlinear)	7.5	
	Linear Programming	7.6	
	Review-Distance and Midpoint Formulas; Circles	1.9	
Be Here by Spring Break			
í	The Ellipse Circles?	9.1	
eek:	The Hyperbola	9.2	
ы м С	The Parabola	9.3	
	Parametric Equations	9.5	
	Sequences and Summation Notation	10.1	
. 10 eeks	Arithmetic Sequences and Series	10.2	
Gh.	Geometric Sequences and Series	10.3	
	The Binomial Theorem	10.5	
	Finding Limits Using Tables and Graphs	11.1	
. 11 eeks	Finding Limits Using Properties of Limits	11.2	
Ch.	Limits and Continuity	11.3	
	Introduction to Derivatives	11.4	
Final Review and Final Exams			

Advanced Algebra 3 Course Guide

#2241/2242 Advanced Algebra 3

Course Description

This is a one-year non-honors level course designed to build upon the concepts presented in Algebra 2. Students will apply Algebra 2 concepts in real-life contexts to strengthen and expand problem solving, numerical literacy and application skills in preparation for post-secondary choices including the world of work, college, technical training or the military. Mathematics topics that will be imbedded into the modules include: Functions (Linear, Quadratics, Exponentials, Logarithms, Rational, and Polynomial); Geometry and Measurement, Linear Programming, Probability and Data Analysis. Financial Math is a strong second semester focus. Teacher and student materials can be found in the Math Resources SharePoint. Graphing Calculators are required.

Advanced Algebra 3 – Semester 1		
Topics		Resource
	Arithmetic-Numbers and Operations	S1-Q1, week #1
reer	Pre-Algebra	S1-Q1, week #2
nd Ca iness eeks	Elementary Algebra	S1-Q1, week #3
ege al Read 7 w	Intermediate Algebra	S1-Q1, week #4
Colle	Coordinate Geometry	S1-Q1, week #5
	Plane Geometry/Trigonometry	S1-Q1, week #6-7
	Number Basics	S1-Q2, Ch 1
	Key Calculations	S1-Q2, Ch 2
Medica Mat	Measurement Systems	S1-Q2, Ch 3
	Medications	S1-Q2, Ch 4
	Temperature and Time	S1-Q2, Ch 5
	Charts and Graphs	S1-Q2, Ch 6

Advanced Algebra 3 – Semester 2			
	Topics	Resource	
	Earning Money	S2-Q3, Ch 1	
	Buying Food	S2-Q3, Ch 2	
	Shopping for Clothes	S2-Q3, Ch 3	
/ath	Managing a Household	S2-Q3, Ch 4	
ner N ks	Buying and Maintaining a Car	S2-Q3, Ch 5	
onsur wee	Working with Food	S2-Q3, Ch 6	
12 12	Improving your Home	S2-Q3, Ch 7	
Finar	Traveling	S2-Q3, Ch 8	
	Budgeting your Money	S2-Q3, Ch 9	
	Interest	S2-Q3, Ch 10	
	Taxes	S2-Q3, Ch 11	
	Life After High School		
	 Job possibilities immediately after HS 		
	o Summer School Opportunities		
	o Community Volunteering		
	o Career Choices*		
	o College/trade/certification for those career choices		
nce ers	Location		
nar eake	 Cost of living around the nation 		
d Fi Spe	o Population statistics		
ase	o Renting an Apartment		
ct B Gue	o Cost of moving		
oje 1d (Budgeting		
Fi Fi	 Salary comparison with different education levels 		
	 Grocery shopping budgeting 		
	o Monthly luxury budgeting		
	Buying a Car		
	o Cost of a car		
	Scenarios (Students are given 4 scenarios of different lives:		
	 education level, careers, location, and budget) 		

Advanced Algebra 3

Possible Optional Topics and Resources – Semester 2			
	Overview of Personal Finance	Ch. 1	
	The Financial Plan	Ch. 2	
	Financial Decision Making	Ch. 3	
a	Budget and balance Sheets – Your Personal Financial Statements	Ch. 4	
inano eeks	Obtaining and Protecting your Credit	Ch. 5	
nit - F 12 w	Exponential and Logarithmic Functions	Ch. 6	
5	The Value of Money	Ch. 7	
	Personal Loans and Purchasing Decisions	Ch. 8	
	Financial Assets and Liabilities	Ch. 9	
	Credit Cards and Other Forms of Credit	Ch. 10	
es	Statistics	Ch. 22	
lssu ks	Metric System	Ch. 23	
lealth wee	Human Body Math	Ch. 24	
it – F 10	Optimizing with Linear Programming	Ch. 25	
Π	Set Theory	Ch. 26	
	Systems of Equations	Ch. 16	
ogy	Equation of a Circle	Ch. 17	
chnol	Modular Arithmetic	Ch. 18	
: - Te	Random Numbers	Ch. 19	
Unit	Cryptography and Check Digits	Ch. 20	
	Functions and Their Graphs	Ch. 21	
	Polynomials	Ch. 11	
e Arts	Matrices	Ch. 12	
- Fine	Patterns and Series	Ch. 13	
Unit -	Fractals	Ch. 14	
	Parametric Equations and Polar Equations of Conics	Ch. 15	

Probability/Statistics/Discrete Course Guide

#2243/2244 Prob/Stat/DM

Course Description

This is a one-year non honors level course designed to provide students with opportunities to explore concrete concepts, probability, statistics and discrete mathematics. The first semester is spent studying set theory, probability and statistics; experimental design, sampling techniques, distributions, measures of center, spread and position. Students will be provided with opportunities to collect and analyze data relevant to students and draw conclusions based on this analysis. The second semester will involve a confidence intervals, hypothesis testing, correlation, linear regression, linear programming, finance, and number representations. Throughout the course, emphasis will be given to providing students with numerous opportunities to model problem situations using hands-on materials, graphing calculators, and computers. The pre-requisite into this class is passing both semesters of Algebra 2.

Probability/Statistics/Discrete Math

Prob/Stat/DM – Semester 1		
	Торіс	Resource
Unit 1 3 weeks	Basic Set Concepts Subsets Venn Diagrams and Set operations Set operations and Venn Diagrams with three sets Survey problems	Chapter 2 Thinking Mathematically
Unit 2 3.5 weeks	The fundamental counting principal Permutations and Combinations Fundamentals of probability Probability with the counting Events involving NOT and OR Events involving AND Conditional probability	Chapter 11 Thinking Mathematically
Unit 3 2 week	Overview of statistics Data classification (no Levels of Measurement, students need Types of Data only) Experimental design	Chapter 1.1-1.3 Elementary Statistics
Unit 4 2.5 weeks	Frequency distributions and their graphs More graphs and displays Measures of central tendency, spread and position	Chapter 2.1-2.5 Elementary Statistics
Unit 5 1 week	Probability distributions Binomial distributions Expected value	Chapter 4.1-4.2 Elementary Statistics
Unit 6 4 weeks	Normal distributions Normal distributions: finding probabilities Normal distributions: finding Values Sampling distributions and the Central Limit Theorem Normal approximation to Binomial distributions	Chapter 5.1-5.4, 5.5 Elementary Statistics

Probability/Statistics/Discrete Math

Prob/Stat/DM – Semester 2			
	Торіс	Resource	
Unit 7 3 weeks	Confidence Intervals for the mean (large samples) Confidence Intervals for the mean (small samples) Confidence Intervals for population proportions	Chapter 6.1-6.3 Elementary Statistics	
Unit 8 3 weeks	Introduction to Hypothesis Testing Hypothesis Testing for the mean (large samples) Hypothesis Testing for the mean (small samples) Hypothesis Testing for proportions	Chapter 7.1-7.4 Elementary Statistics	
Unit 9 2.5 weeks	Correlation Linear Regression (include the meaning of r^2 in this topic)	Chapter 9.1-9.2, r^2 - p.499 Elementary Statistics	
Unit 10 4 weeks	Percent, sales tax, and income tax Simple interest Compound interest Annuities, stocks and bonds (Introduce Stocks and Bonds but leave out the mathematics of them) Installment buying Amortization and the cost of home ownership	Chapter 8.1-8.6 Thinking Mathematically	
	options for final five weeks		
Unit 11 3 weeks	Graphs, Paths and Circuits Euler Paths and Euler Circuits Hamilton Paths and Hamilton Circuits Trees	Chapter 14.1-14.4 Thinking Mathematically	
Unit 12 2 weeks	Number bases in positional systems Computation in positional systems	Chapter 4 Thinking Mathematically	
Unit 13 5 weeks	Statements, Negation and Quantified Statements Compound Statements and Connectives Truth Tables for Negation, Conjunction and Disjunction Truth Tables for the Conditional and Biconditional Equivalent Statements, Variation of Conditional Statements and DeMorgans Laws Arguments and Truth Tables Arguments and Euler Diagrams	Chapter 3 Thinking Mathematically	

PreCollege Math Course Guide

#2229/2230 Pre-College Math

Course Description

PreCollege Math is intended to provide the students the opportunity to engage in the content in Units 1-7. There is an optional Matrices Unit that you could put in after Unit 4 and additional units if students are finding more success. Please encourage the students that achieve success in Units 1-7 to take a college placement test before enrolling in college.

PreCollege Math

PreCollege Math – Semester One			
	Topics	Book Reference	
	Fractions	1.1	
	Order of Operations	1.2	
	Variables, Expressions and Equations	1.3	
it 1 lays	Real Numbers and the Number Line	1.4	
Uni 25 c	Adding and Subtracting Real Numbers	1.5	
	Multiplying and Dividing Real Numbers	1.6	
	Properties of Real Numbers	1.7	
	Simplifying Expressions	1.8	
	The Addition Property of Equality	2.1	
	The Multiplication Property of Equality	2.2	
	More on Solving Linear Equations	2.3	
t 2 lays	An Introduction to Applications of Linear Equations	2.4	
Uni 18 d	Formulas and Additional Applications from Geometry	2.5	
	Ratio, Proportion, and Percent	2.6	
	Further Applications of Linear Equations	2.7	
	Solving Linear Inequalities	2.8	
	Linear Equations in Two Variable; Coordinate System	3.1	
	Graphing Linear Equations in Two Variable	3.2	
t 3 lays	Slope of the Line	3.3	
Uni 18 d	Writing and Graphing Equations of Lines	3.4	
	Graphing Linear Inequalities in two Variables	3.5	
	Introduction to Functions	3.6	
	Solving Systems of Linear Equations by Graphing	4.1	
4 VS	Solving Systems of Linear Equations by Substitution	4.2	
Init 3 day	Solving Systems of Linear Equations by Elimination	4.3	
U 18	Applications of Linear Systems	4.4	
	Solving Systems of Linear Inequalities	4.5	

PreCollege Math

PreCollege Math – Semester Two			
	Topics	Book References	
Optional Unit on Matrices	Matrix operations and system solving	Math Resources	
	The Product Rule and Power Rules for Exponents	5.1	
	Integer Exponents and the Quotient Rule	5.2	
S S	An Application of Exponents: Scientific Notation	5.3	
nit.) day	Adding and Subtracting Polynomials: Graphing	5.4	
20 20	Multiplying Polynomials	5.5	
	Special Products	5.6	
	Dividing Polynomials	5.7	
	The Greatest Common Factor; Factor by Grouping	6.1	
	Factoring Trinomials	6.2	
t 6 lays	More on Factoring Trinomials	6.3	
Uni 20 d	Special Factoring Techniques	6.4	
	Solving Quadratic Equations by Factoring	6.5	
	Applications of Quadratic Equations	6.6	
	The Fundamental Property of Rational Expressions	7.1	
	Multiplying and Dividing Rational Expressions	7.2	
	Least Common Denominators	7.3	
t 7 ays	Adding and Subtracting Rational Expressions	7.4	
Uni 20 d	Complex Fractions	7.5	
	Solving Equations with Rational Expressions	7.6	
	Applications of Rational Expressions	7.7	
	Variation	7.8	
	Evaluating Roots	8.1	
	Multiplying, Dividing, and Simplifying Radicals	8.2	
8 /s ial	Adding and Subtracting Radicals	8.3	
nit 8 day tion	Rationalizing the Denominator	8.4	
15 U	More Simplifying and Operations with Radicals	8.5	
	Solving Equations with Radicals	8.6	
	Using Rational Numbers as Exponents	8.7	
	Solving Quadratic Equations by the Square Root Property	9.1	
al s	Solving Quadratic Equations by Completing the Square	9.2	
nit 9 day tion	Solving Quadratic Equations by the Quadratic Formula	9.3	
15 0p:	Complex Numbers	9.4	
	More on Graphing Quadratic Equations	9.5	

Special Education Mathematics - Course Guides

The Secondary Math Course Guides provide the standards aligned to topics and resources available in the currently adopted text. It is the teacher's professional responsibility to ensure that their students are prepared for the next course in the Pathway. This can only be accomplished when all grade level/course standards are taught with student engagement and an expectation of rigor in mathematics.

Excellence in Education, Every Student, Every Day, to Graduation



Grades 7-12, Pathways to a Standard Diploma for Students in the Special Education program



* Equivalent Algebra 1 courses use the same curriculum and common District Final S1 and S2.

** Equivalent Geometry courses use the same curriculum and common District Final S1 and S2

***Equivalent Algebra 2 courses use the same curriculum and common District Final S1 and S2

NOTE: Not all course sequences are offered at every High School

Special Education Bridge to Algebra Course Guide

#7767/7768 Bridge to Algebra

(This is a one-year course offered by the Special Education Department to prepare Special Education students for Algebra 1)

Bridge to Algebra Pacing

Days in Q1-39, Q2-44, Q3-48, Q4-49)

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as needed throughout the topic.

Chapter - Topic	Days	Chapter - Topic	Days
2 – Operations with Integers	17	4 – Powers and Roots	18
3 – Operations w/Rational Numbers	27	5/6 – Ratio, Proportion, & Percents	17
1 – The Language of Algebra	26	7 – Algebraic Expressions	22
Semester Flex/Review Days	7	8 – Equations and Inequalities	28
Final Exams	4	Semester Flex/Review Days	6
		Final Exams	4
End of Sen	nester 1	End of Sen	nester 2

	Chapter 2: Operations with Integers														
	Envision Lesson and Topic	Suggested Pacing	Stand	lards	Suggested Module Pacing										
2-1	Integers and Absolute Value	2	Prep for 7	.NS.A.1 &	August/September 2024										
2-2	Inquiry Lab: Adding Integers (Algebra Tiles)		7.NS.A.1	7.NS.A.1d	S	М	Т	w	TH	F	S				
	Adding Integers	3	7.NS.A.1a	7.NS.A.3		-	6	7	1 。	2	3				
2-3	Inquiry Lab: Subtracting Integers (Algebra Tiles)		7.NS.A.1	7.NS.A.1d	4	12	13	14	0 15	16	10				
23	Subtracting Integers	3	7.NS.A.1a 7.NS.A.1c	7.NS.A.3 7.EE.B.3	18	19	20	21	22	23	24				
2-4	Inquiry Lab: Multiplying Integers (Algebra Tiles)		7.NS.A.2	7 NS A 3	25	26	27	28	29	30	31				
	Multiplying Integers	3	7.NS.A.2a	7.EE.B.3	1	2	3 10	4	5 12	6 13	/				
2-5	Dividing Integers	2	7.NS.A.2 7.NS.A.2B 7.NS.A.2c	7.NS.A.3 7.EE.B.3			10			10					
Revi	ew and Assess	2													
Esser	ntial Standards Reteach and Intervention	2													

Apply an	d extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational
numbers	
7.NS.A.1	Apply and extend previous understandings of addition and subtraction to add and subtract rational numbers;
	represent addition and subtraction on a horizontal or vertical number line diagram.
	a. Describe situations in which opposite quantities combine to make 0. For example, a hydrogen atom has 0
	charge because its two constituents are oppositely charged.
	b. Understand p + q as the number located a distance q from p, in the positive or negative direction depending
	on whether q is positive or negative. Show that a number and its opposite have a sum of 0 (are additive
	inverses). Interpret sums of rational numbers by describing real- world contexts.
	c. Understand subtraction of rational numbers as adding the additive inverse, p – q = p + (–q). Show that the
	distance between two rational numbers on the number line is the absolute value of their difference, and apply
	this principle in real-world contexts.
	d. Apply properties of operations as strategies to add and subtract rational numbers.
7.NS.A.2	Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide
	rational numbers.
	a. Understand that multiplication is extended from fractions to rational numbers by requiring that operations
	continue to satisfy the properties of operations, particularly the distributive property, leading to products
	such as (-1)(-1) = 1 and the rules for multiplying signed numbers. Interpret products of rational numbers by
	describing real-world contexts.
	b. Understand that integers can be divided, provided that the divisor is not zero, and every quotient of integers
	(with non-zero divisor) is a rational number. If p and q are integers, then – (p/q) = (–p)/q = p/(–q). Interpret
	quotients of rational numbers by describing real world contexts.
	c. Apply properties of operations as strategies to multiply and divide rational numbers.
	d. Convert a rational number to a decimal using long division; know that the decimal form of a rational number
	terminates in 0s or eventually repeats.
7.NS.A.3	Solve real-world and mathematical problems involving the four operations with rational numbers.
Solve rea	I-life and mathematical problems using numerical and algebraic expressions and equations.
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any
	form (whole numbers, fractions, and decimals), using tools strategically.

	Chapter 3: Operations with Rational Numbers													
	Envision Lesson and Topic	Suggested Pacing	Stand	ards	Suggested Module Pacing									
3-1	Inquiry Lab: Fractions and Decimals					Sep	temb	er/Oc	tober	2024				
	Fractions and Decimals	6	7.NS.A.2d	7.NS.A.2 7.NS.A.2d	, 7.NS.A.2 7.NS.A.2d	8.NS.A.1 7.EE.B.3	S	м	Т	w	TH	F	S	
	(practice by hand and with a calculator)				1	2	3	4	5	6	7			
3-2	Rational Numbers	4	7.NS.A.2 7.NS.A.2d	8.NS.A.1	8	9	10	11	12	13	14			
	(positive/negative fractions, decimals & integers)	4		7.EE.B.3	15	16	17	18	19	20	21			
3-3	Multiplying Rational Numbers		7.NS.A.2	7.NS.A.3	22	23	24	25	26	27	28			
	(use area models, not tricks)	4	7.NS.A.2a 7.NS.A.2c	7.EE.B.3	29	30	1	2	3	4	5			
3-4	Dividing Rational Numbers	_	7.NS.A.2	7.NS.A.3	13	14	ð 15	9	10	11	12			
0.	(use strategies for division, not tricks)	3	7.NS.A.2a 7.NS.A.2c	7.EE.B.3	20	21	22	23	24	25	26			
3-5	Adding and Subtracting like Fractions	2	7.NS.A.1 7.NS.A.1d	7.NS.A.3 7.EE.B.3	27	28	29	30	31					
3-6	Adding and Subtracting unlike Fractions	5	7.NS.A.2 7.NS.A.2a 7.NS.A.2c	7.NS.A.3 7.EE.B.3										
Revi	ew and Assess	3												

Apply and numbers	d extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational
7.NS.A.1	 Apply and extend previous understandings of addition and subtraction to add and subtract rational numbers; represent addition and subtraction on a horizontal or vertical number line diagram. a. Describe situations in which opposite quantities combine to make 0. For example, a hydrogen atom has 0 charge because its two constituents are oppositely charged. b. Understand p + q as the number located a distance q from p, in the positive or negative direction depending on whether q is positive or negative. Show that a number and its opposite have a sum of 0 (are additive inverses). Interpret sums of rational numbers by describing real- world contexts. c. Understand subtraction of rational numbers as adding the additive inverse, p – q = p + (-q). Show that the distance between two rational numbers on the number line is the absolute value of their difference, and apply this principle in real-world contexts.
	d. Apply properties of operations as strategies to add and subtract rational numbers.
7.NS.A.2	 Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide rational numbers. a. Understand that multiplication is extended from fractions to rational numbers by requiring that operations continue to satisfy the properties of operations, particularly the distributive property, leading to products such as (-1)(-1) = 1 and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world contexts. b. Understand that integers can be divided, provided that the divisor is not zero, and every quotient of integers (with non-zero divisor) is a rational number. If p and q are integers, then - (p/q) = (-p)/q = p/(-q). Interpret quotients of rational numbers by describing real world contexts. c. Apply properties of operations as strategies to multiply and divide rational numbers. d. Convert a rational number to a decimal using long division; know that the decimal form of a rational number terminates in 0s or eventually repeats.
7.NS.A.3	Solve real-world and mathematical problems involving the four operations with rational numbers.
Know tha	at there are numbers that are not rational, and approximate them by rational numbers.
8.NS.A.1	Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; rational numbers show that the decimal expansions repeats eventually, and convert a decimal expansion which repeats eventually into a rational number.

SPED Bridge to Algebra

	Chapter 1: The Language of Algebra												
	Envision Lesson and Topic	Suggested Pacing	Standards	Suggested Module Pacing									
1-1	A Plan for Problem Solving	1	7.NS.A.3 7.EE.B.3	Octo	ber/N	Nover	nber/	Decer	nber 2	2024			
1-2	Words and Expressions	3	7.NS.A.3	S	M	T 15	W 16	TH 17	F 18	S 19			
1-3	Inquiry Lab: Rules and Exponents (Toothpicks)	Δ	7.NS.A.3	20	21	22	23	24	25	26			
	Variables and Expressions	4	7.EE.B.3	27	28	29	30	31	1	2			
1-4	Properties of numbers	2	7.EE.A.1 7.FE.A.2	3 10	4	5	6 13	7 14	8 15	9 16			
1-5	Problem Solving Strategies	2	7.NS.A.3	17	18	19	20	21	22	23			
-	5 5		7.EE.B.3 7 RP Δ 2a 7 RP Δ 2d	24	25	26	27	28	29	30			
1-6	Ordered Pairs and Relations	4	7.RP.A.2b 8.EE.B.5	1	2	3	4	5	6	/			
1-7	Words, Equations, Tables	4	7.EE.B.4	8 15	9 16	10	11	12	20	21			
2-6	Graphing in Four Quadrants	2	7.RP.A.2a 7.RP.A.2d	22	23	24	25	26	27	28			
Revi	eview and Assess 4												

Apply and numbers.	l extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational
7.NS.A.3	Solve real-world and mathematical problems involving the four operations with rational numbers.
Use prope	erties of operations to generate equivalent expressions.
7.EE.A.1	Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with rational coefficients.
7.EE.A.2	Understand that rewriting an expression in different forms in a problem context can shed light on the problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by 5%" is the same as "multiply by 1.05."
Solve real	-life and mathematical problems using numerical and algebraic expressions and equations.
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations as strategies to calculate with numbers in any form; convert between forms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies. For example: If a woman making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2 inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a check on the exact computation.
7.EE.B.4	 Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities. a. Solve word problems leading to equations of the form px+q=r and p(x+q)=r, where p, q, and r are specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an arithmetic solution, identifying the sequence of the operations used in each approach. For example, the perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?
Analyze p	roportional relationships and use them to solve real-world and mathematical problems.
7.RPA.2	 Recognize and represent proportional relationships between quantities. a. Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios in a table or graphing on a coordinate plane and observing whether the graph is a straight line through the origin. b. Identify the constant of proportionality (unit rate) in tables, graphs, equations, diagrams, and verbal descriptions of proportional relationships.
	d. Explain what a point (x, y) on the graph of a proportional relationship means in terms of the situation, with special attention to the points (0, 0) and (1, r) where r is the unit rate.
Understa	nd the connections between proportional relationships, lines, and linear equations.
8.EE.B.5	Graph proportional relationships, interpreting the unit rate as the slope of the graph. Compare two different proportional relationships represented in different ways. For example, compare a distance-time graph to a distance-time equation to determine which of two moving objects has greater speed.

SPED Bridge to Algebra

	Chapter 4: Powers and Roots															
Envision Lesson and Topic Suggested Pacing Standards								Suggested Module Pacing								
4-1	Powers and Exponents	2	8.EE.A.1				Jan	uary	2025							
4-2	Negative Exponents	2	8.EE.A.1		S	м	т	W	TH	F	S					
4-3	Multiplying and Dividing Monomials	2	8.EE.A.1		5	6	7	8	9	10	11					
4-4	Scientific Notation	2	<mark>8.EE.A.1</mark> 8.EE.A.3	8.EE.A.4	19	20	21	22	23	24	25					
4-5	Compute with Scientific Notation Inquiry Lab: Scientific Notation Using Technology	4	8.EE.A.3 8.EE.A.4		26	27	28	29	30	31						
4-6	Square Roots	2	8.NS.A.2 8.EE.A.2													
4-7	The Real Number System	2	8.NS.A.1 8.NS.A.2	8.EE.A.2												
Revi	ew and Assess															

Know th	at there are numbers that are not rational, and approximate them by rational numbers.
8.NS.A.1	Know that numbers that are not rational are called irrational. Understand informally that every number has a
	decimal expansion; rational numbers show that the decimal expansions repeats eventually, and convert a
	decimal expansion which repeats eventually into a rational number.
8.NS.A.2	Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them
	approximately on a number line diagram, and estimate the value of expressions (e.g., π^2). For example, by
	truncating the decimal expansion of $\sqrt{2}$, show that $\sqrt{2}$ is between 1 and 2, then between 1.4 and 1.5, and
	explain how to continue on to get better approximations.
Work wi	th radicals and integer exponents.
8.EE.A.1	Know and apply the properties of integer exponents to generate equivalent numerical expressions. For
	example, $3^2 \times 3^{-5} = 3^{-3} = 1/3^3 = 1/27$.
8.EE.A.2	Use the square foot and cube root symbols to represent solutions to equations of the form $x^2 = p$ and $x^3 = p$,
	where p is a positive rational number. Evaluate square roots of small perfect squares and cube roots of
	small perfect cubes. Know that $\sqrt{2}$ is irrational.
8.EE.A.3	Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or
	very small quantities, and to express how many times as much one is than the other. For example, estimate
	the population of the United States as $3 imes 10^8$ and the population of the world as $7 imes 10^9$, and determine
	that the world population is more than 20 times larger.
8.EE.A.4	Perform operations with numbers expressed in scientific notation, including problems where both decimal
	and scientific notation are used. Use scientific notation and choose units of appropriate size for
	measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading).
	Interpret scientific notation that has been generated by technology.

	Chapter 5/6: Ratio, Proportion, & Percent														
	Envision Lesson and Topic	Suggested Pacing	Stand	lards	Suggested Module Pacing										
5-1	Ratios	2	3 7.RP.A.1				Feb	ruary	2025						
	(discuss equivalence , ex: 12 inches = 1 foot)	5	7.NF.A.1		S	М	Т	w	TH	F	S				
5-2	Unit Rates	4	7.RP.A.1		2	3	4	5	6	7	8				
	(Use double number lines (Grade 6) to assist with reasoning)	4	7.NF.A.1		9	10	11	12	13	14	15				
5-5	Proportional and Nonproportional Relationships	2	7.RP.A.2	7.RP.A.2b	16	17	18	19	20	21	22				
		-	7.RP.A.2a	7.RP.A.2c	23	24	25	26	27	28	1				
5-7	Solving Proportions	Д	7.RP.A.2	7.RP.A.2c											
	(Use double number lines (Grade 6) to assist with reasoning)	-	7.RP.A.2b	7.RP.A.3											
6-1	Using the Percent Proportion	2	7.RP.A.2 7.RP.A.2c	7.RP.A.3 7.EE.B.3											
Revi	ew and Assess	2													

Analyze	proportional relationships and use them to solve real-world and mathematical problems.
7.RP.A.1	Compute unit rates associated with ratios of fractions, including ratios of lengths, areas and other
	quantities measured in like or different units. For example, if a person walks 1/2 mile in each 1/4 hour,
	compute the unit rate as the complex fraction 1/2/1/4 miles per hour, equivalently 2 miles per hour
7.RP.A.2	Recognize and represent proportional relationships between quantities.
	a. Decide whether two quantities are in a proportional relationship, e.g., by testing for equivalent ratios in
	a table or graphing on a coordinate plane and observing whether the graph is a straight line through
	the origin.
	b. Identify the constant of proportionality (unit rate) in tables, graphs, equations, diagrams, and verbal
	descriptions of proportional relationships.
	c. Represent proportional relationships by equations. For example, if total cost t is proportional to the
	number n of items purchased at a constant price p, the relationship between the total cost and the
	number of items can be expressed as t = pn.
7.RP.A.3	Use proportional relationships to solve multistep ratio and percent problems.
Use prop	erties of operations to generate equivalent expressions.
7.EE.B.3	Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in
	any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations
	to calculate with numbers in any form; convert between forms as appropriate; and assess the
	reasonableness of answers using mental computation and estimation strategies. For example: If a woman
	making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a
	new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27
	1/2 inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as
	a check on the exact computation.

SPED Bridge to Algebra

	Chapter 7: Algebraic Expressions															
	Envision Lesson and Topic Suggested Pacing Standards						Suggested Module Pacing									
7-1	The Distributive Property	1	7.NS.A.2 7.NS.A.2a		Febru	uary/I	Marc	h/Apr	il 202	5						
7-2	Inquiry Lab: Simplifying Algebraic Expressions Simplifying Algebraic Expression	6	7.EE.A.1 7.EE.A.2		S 23	M 24	T 25	W 26	TH 27	F 28	5 1					
7-3	Adding Linear Expressions (Algebra Tiles)	3	7.EE.A.1		9	5 10	11	12	13	14	° 15					
7-4	Subtracting Linear Expressions (Algebra Tiles)	3	7.EE.A.1		16	17	18	19	20	21	22					
7-5	Inquiry Lab: Factoring Linear Expressions (undistribute) Factoring Linear Expressions (Algebra Tiles)	6	7.EE.A.1		23 30 6	24 31 7	25 1 8	26 2 9	27 3 10	28 4 11	29 5 12					
Revi	Review and Assess 3				13	14	15	16	17	18	19					

Apply and extend previous understandings of operations with fractions to add, subtract, multiply, and divide rational numbers. Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide 7.NS.A.2 rational numbers. a. Understand that multiplication is extended from fractions to rational numbers by requiring that operations continue to satisfy the properties of operations, particularly the distributive property, leading to products such as (-1)(-1) = 1 and the rules for multiplying signed numbers. Interpret products of rational numbers by describing real-world contexts. Use properties of operations to generate equivalent expressions. 7.EE.A.1 Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with rational coefficients. 7.EE.A.2 Understand that rewriting an expression in different forms in a problem context can shed light on the problem and how the quantities in it are related. For example, a + 0.05a = 1.05a means that "increase by 5%" is the same as "multiply by 1.05."

	Chapter 8: Equations and Inequalities														
	Envision Lesson and Topic	Suggested Pacing	Stand	lards	Suggested Module Pacing										
8-1	Solving Equations with Rational Coefficients	3	7.EE.B.4	8.EE.C.7 8.EE.C.7b			April/May 2025								
8-2	Inquiry Lab: Solving Two-Step Equations Solving Two-Step Equations (Algebra Tiles)	6	7.EE.B.4 7.EE.B.4a	8.EE.C.7 8.EE.C.7b	S 6	M 7	T 1 8	W 2 9	TH 3 10	F 4 11	S 5				
8-3	Writing Equations	3	7.EE.B.4 7 EE B 4a	8.EE.C.7	13	, 14	15	16	17	18	19				
8-4	Inquiry Lab: More Two-Step Equations More Two-Step Equations (Algebra Tiles)	3	7.EE.B.4 7.EE.B.4a	8.EE.C.7 8.EE.C.7 8.EE.C.7b	20 27	21 28	22 29	23 30	24 1	25 2	26 3				
8-5	Inquiry Lab: Solving Equations with Variables on Each Side	4	7.EE.B.4 7.EE.B.4a	<mark>8.EE.C.7</mark> 8.EE.C.7b	4 11 18	5 12 19	6 13 20	7 14 21	8 15 22	9 16 23	10 17 24				
	(Algebra Tiles)				1	20	3	4	29 5	6	7				
8-6	Inequalities (with Number Lines)	2	7.EE.B.4												
8-7	Solving Inequalities (with Number Lines)	2	7.EE.B.4 7.EE.B.4b												
8-8	Solving Multi-Step Equations	3	7.EE.B.4 7.EE.B.4a 7.EE.B.4b	8.EE.C.7 8.EE.C.7a 8.EE.C.7b											
Revi	ew and Assess	2													

Solve rea	al-life and mathematical problems using numerical and algebraic expressions and equations.
7.EE.B.4	Use variables to represent quantities in a real-world or mathematical problem, and construct simple
	equations and inequalities to solve problems by reasoning about the quantities.
	 a. Solve word problems leading to equations of the form px+q=r and p(x+q)=r, where p, q, and r are specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an arithmetic solution, identifying the sequence of the operations used in each approach. For example, the perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width? b. Solve word problems leading to inequalities of the form px+q>r or px+q<r, \$100.="" \$3="" \$50="" a="" an="" and="" are="" as="" at="" be="" context="" describe="" example:="" for="" graph="" in="" inequality="" interpret="" it="" least="" li="" make,="" need="" number="" numbers.="" of="" p,="" paid="" pay="" per="" plus="" problem.="" q,="" r="" rational="" sale.="" sales="" salesperson,="" set="" solution="" solutions.<="" specific="" the="" this="" to="" want="" week="" where="" write="" you="" your=""> </r,>
Analyze	and solve linear equations and pairs of simultaneous linear equations.
8.EE.C.7	Solve linear equations in one variable.
	 Give examples of linear equations in one variable with one solution, infinitely many solutions, or no solutions. Show which of these possibilities is the case by successively transforming the given equation into simpler forms, until an equivalent equation of the form x=a, a=a, or a=b results (where a and b are different numbers).
	b. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like terms

SPED Two - Year Algebra 1

Course Guide

Special Education Two–Year Algebra 1 #7824/7825 Year One Algebra 1

#7826/7827 Year Two Algebra 1

(This is a two-year Algebra 1 Course offered by the Special Education Department.)

#7824/7825 Year One Algebra 1 Pacing

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as
needed throughout the topic.S1-TopicsDaysS2-TopicsDays1 - Solving Equations & Inequalities214 - Systems of Equations & Inequalities31

2 - Linear Equations	26	5 – Piecewise Functions	28
3 - Linear Functions	22	Semester Flex/Review Days	32
Semester Flex/Review Days	6	Final Exams	4
Final Exams	4		
End of Semester 1 Y	End of Semester 2 Y	ear One	

#7826/7827 Year Two Algebra 1 Pacing

*Each topic has flexible days included in the schedule for review, reteaching, extension, or assessment as							
needed throughout the topic.							
S1-Topics	Days	S2-Topics	Days				
6 – Exponents & Exponential Functions	33	8 - Quadratic Functions	28				
7 - Polynomials and Factoring	33	9 – Solving Quadratic Equations	42				
Semester Flex/Review Days	11	Semester Flex/Review Days	22				
Final Exams	4	Final Exams	4				
End of Semester 1 Y	ear Two	End of Semester 2 Y	ear Two				

	Topic 1: Solving Linear Equations and Inequalities										
Envision Lesson and Topic Suggested Primary Secondary Suggested Mo Pacing Standard(s) Standard(s) Pacing						Mo ng	dule	9			
1-2	Solving Linear Equations	3	HSA.CED.A.1			Au	gust/9	Septe	mber	2024	
	with more fractions.	5	HSA.REI.B.3		S	M	Т	W	TH 1	F 2	S 3
1-3	Solving Equations with a Variable on Both	3	HSA.CED.A.1	HSA.REI.A.1	4	5	6	7	8	9	10
1.4	Sides		HSA.KEI.B.3	11514.Q.A.2	11	12	13	14	15	16	17
1-4	Prioritize transforming equations to slope-intercept form	3	HSA.CED.A.1 HSA.CED.A.4	HSN.Q.A.1	18 25	19 26	20	21	22	30	31
1-5	Solving Inequalities in One Variable	3	HSA.CED.A.1 HSA.CED.A.3		1 8	2 9	3 10	4	5 12	6 13	7
			HSA.REI.B.3								
1-6 Compound Inequalities 3 HSA.CED.A.3 HSA.REI.B.3											
Revi	ew and Test	4									
Esser	ssential Standards Reteach and Intervention 2										

Reason quan	ititatively and use units to solve problems.
HSN.Q.A.1	Use units as a way to understand problems and to guide the solution of multi-step problems; choose and
	interpret units consistently in formulas; choose and interpret the scale and the origin in graphs.
HSN.Q.A.2	Define appropriate quantities for the purpose of descriptive modeling.
Create equat	tions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations
	arising from linear and quadratic functions, and simple rational and exponential functions.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities,
	and interpret solutions as viable or non-viable options in a modeling context. For example, represent
	inequalities describing nutritional and cost constraints on combinations of different foods.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations.
	For example, rearrange Ohm's Law $V = IR$ to highlight resistance R.
Understand	solving equations as a process of reasoning and explain the reasoning.
HSA.REI.A.1	Explain each step in solving a simple equation as following from the equality of numbers asserted at the
	previous step, starting from the assumption that the original equation has a solution. Construct a viable
	argument to justify a solution method.
Solve equati	ons and inequalities in one variable.
HSA.REI.B.3	Solve linear equations and inequalities in one variable, including equations with coefficients represented
	by letters.

SPED Year One Algebra 1 (S1)

	Topic 2: Linear Equations												
	Envision Lesson and Tonic	Suggested	Primary	Secondary	Suggested Module								
	Envision Lesson and Topic	Pacing	Standard(s)	Standard(s)			Ρ	acir	ng				
2 1	Slang Intercent Form	6	HSA.CED.A.2			Sep	temb	er/Oc	tober	2024			
2-1	Slope-Intercept Form	0	HSS.ID.C.7		S	М	Т	W	TH	F	S		
2-2	Point-Slope Form	6	HSS.ID.C.7		1	2	3	4	5	6	7		
	(Supplement (h, k) form)	0	HSF.LE.A.2	104.020.4.2	8	9	10	11	12	13	14		
2-3	Standard Form		HSA.CED.A.3		15	16	17	18	19	20	21		
	(Convert to other forms: slope intercept, (h,k) form and	4	4	4	HSS.ID.C.7	HSA.CED.A.Z	22	23	24	25	26	27	28
2.4	Porrellel and Pernendicular Lines				29	30	1	2	3	4	5		
Z-4	Parallel and Perpendicular Lines	4	HSA.CED.A.2	HSF.IF.C.7a	6	7	8	9	10	11	12		
	understanding slopes and graphs)		HSA.CED.A.4	HSG.GPE.B.5	13	14	15	16	17	18	19		
Review and Test		4			20	21	22	23	24	25	26		
					27	28	29	30	31	1	2		
Esse	ntial Standards Reteach and Intervention	2											

Create equat	tions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations
	on coordinate axes with labels and scales.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and
	interpret solutions as viable or non-viable options in a modeling context. For example, represent
	inequalities describing nutritional and cost constraints on combinations of different foods.
HSA.CED.A.4	Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations.
	For example, rearrange Ohm's Law $V = IR$ to highlight resistance R.
Analyze fund	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and
	using technology for more complicated cases.
	a. Graph linear and quadratic functions show intercepts, maxima and minima.
Interpret exp	pression for functions in terms of the situation they model.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph,
	a description of a relationship, or two input-output pairs (including reading these from a table).
Interpret line	ear models.
HSS.ID.C.7	Interpret the slope (rate of change) and the intercept (constant term) of a linear model in the context of
	the data.
Use coordina	ates to prove simple geometric theorems algebraically.
HSG.GPE.B.5	Use the slope criteria for parallel and perpendicular lines and use them to solve geometric problems (e.g.,
	find the slope of a line parallel or perpendicular to a given line that passes through a given point).

SPED Year One Algebra 1 (S1)

	Topic 3: Linear Functions										
	Envision Lesson and Topic Suggested Primary Secondary Suggested Module Pacing Standard(s) Standard(s) Pacing							•			
3-1	Relations and Functions	6	HSF.IF.A.1			Nove	embe	r/Dec	embe	r 2024	ł
3-2	Linear Functions	6	HSF.IF.A.2	HSF.IF.A.1	S 27	M 28	Т 29	W 30	TH 31	F 1	S 2
	with slope and intercept)	Ŭ	HSF.IF.B.5	HSF.LE.A.2	3	4	5	6	7	8	9
3-5	Optional: Scatter Plots and Lines of Fit	4	HSS.ID.B.6a	HSS.ID.B.6 HSS.ID.B.6c	10	11	12	20	21	22	23
				HSS.ID.C.7	24	25	26	27	28	29	30
3-4	Optional: Arithmetic Sequence			HSF.BF.A.1	1	2	3	4	5	6	7
	(emphasis on function notation, emphasis on explicit and	2	HSF.IF.A.3	HSF.LE.A.1	8	9	10	11	12	13	14
	how it relates to (h,k) form, expose to subscript notation	_	HSF.BF.A.2	HSF.LE.A.1b	15	16	17	18	19	20	21
	and recursive)			HJF.LE.A.Z	22	23	24	25	26	27	28
Rev	Review and Test										
Esse	ntial Standards Reteach and Intervention	2									

Build a fun	ction that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities.
	a. Determine an explicit expression, a recursive process, or steps for calculation from a context.
HSF.BF.A.2	Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to
	model situations, and translate between the two forms.
Understan	d the concept of a function and use function notation.
HSF.IF.A.1	Understand that a function from one set (called the domain) to another set (called the range) assigns to
	each element of the domain exactly one element of the range. If f is a function and x is an element of
	its domain, the $f(x)$ denotes the output of f corresponding to input x. The graph of f is $y=f(x)$.
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret statements that use
	function notation in terms of a context.
HSF.IF.A.3	Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of
	the integers.
Interpret f	unctions that arise in applications in terms of the context.
HSF.IF.B.5	Relate the domain of a function to its graph and to the quantitative relationship it describes.
Interpret e	xpression for functions in terms of the situation they model.
HSF.LE.A.1	Distinguish between situations that can be modeled with linear functions and with exponential
	functions.
	b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a
	graph, a description of a relationship, or two input-output pairs (including reading these from a table).
Summarize	e, represent and interpret data on two categorical and quantitative variables.
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot & describe how the variables are related.
	a. Fit a function to the data; use functions fitted to data to solve problems in context of data.
	c. Fit a linear function for a scatter plot that suggests a linear association.
Interpret li	near models.
HSS.ID.C.7	Interpret the slope (rate of change) and the intercept (constant term) of a linear model in context.
SPED Year One Algebra 1 (S2)

	Topic 4: Systems of Linear Equations and Inequalities										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	dary Suggested Module ard(s) Pacing						9
4-1	Solving Systems of Equations by Graphing	5	HSA.REI.C.6 HSA RELD 11	HSF.IF.C.9		Jai	nuary	/Febr	uary 2	025	
4-2	Solving Systems of Equations by Substitution	5	HSA.CED.A.3	HSA.REI.D.11	5	6	7	8	9	10	5 11
4-3	Solving Systems of Equations by Elimination	5	HSA.CED.A.3		12 19	13 20	14 21	15 22	16 23	17 24	18 25
		5	HSA.REI.C.5 HSA.CED.A.3		26	27	28	29	30	31	1
4-4	Linear inequalities in Two variables	5	HSA.REI.D.12		9	10	11	12	13	14	15
4-5	Systems of Linear Inequalities	5	HSA.CED.A.3 HSA.REI.D.12		16	17	18	19	20	21	22
Revi	ew and Test	4									
Esse	Essential Standards Reteach and Intervention 2										

Create equat	ions that describe numbers or relationships.
HSA.CED.A.3	Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non-viable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods.
Solve system	is of equations.
HSA.REI.C.5	Prove that given a system of two equations in two variables, replacing one equation by the sum of that equation and a multiple of the other produces a system with the same solutions.
HSA.REI.C.6	Solve systems of linear equations exactly and approximately (e.g., with graphs), focusing on pairs of linear equations in two variables.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include absolute value equations/functions.
HSA.REI.D.12	Graph the solutions to linear inequality in two variables as a half-plane (excluding the boundary in the case of a strict inequality), and graph the solution set to a system of linear inequalities in two variables as the intersections of the corresponding half-planes.
Analyze func	tions using different representations.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically and in table or a verbal description.

SPED Year One Algebra 1 (S2)

	Topic 5: Piecewise Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	ry Suggested Module (s) Pacing						
1-7	Absolute Value Equations	5	HSA.CED.A.1	HSA.REI.D.11		Febr	uary/	Marc	n/Apri	1 202	5
5-1	The Absolute Value Function		HSF.IF.B.4	IIST.II.A.I	S	М	Т	W	TH	F	S
51	(All notations of end behaviors)	7	HSEJE.B.6	HSF.IF.C.7b	16	17	18	19	20	21	22
5-2	Ontional: Biosowica Defined Eurotions		HSF.IF.A.2		23	24	25	26	27	28	1
<u> </u>	(linear nieces over a restricted domain absolute value	4	HSF.IF.B.4	HSF.IF.B.6	2	3	4	5	6	7	8
	as a piecewise function)		HSF.IF.C.7b		9	10	11	12	13	14	15
5-4	Transformations of (Piecewise-Defined)	_		HSF.IF.C.7b	16	17	18	19	20	21	22
	Absolute Value Functions	6	HSF.BF.B.3	HSF.IF.C.9	23	24	25	26	27	28	29
Povious and Test		Λ			30	31	1	2	3	4	5
		4			6	7	8	9	10	11	12
Esse	ntial Standards Reteach and Intervention	2			13	14	15	16	17	18	19

Create equat	tions that describe numbers or relationships.
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems.
Represent ar	nd solve equations and inequalities graphically.
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$
	intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using
	technology to graph the functions, make tables of values, or find successive approximations. Include
	absolute value equations/functions.
Build new fu	nctions form existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x + k)$ for
	specific values of k (both positive and negative); find the value of k given the graphs. Experiment with
	cases and illustrate an explanation of the effects on the graph using technology.
Understand	the concept of a function and use function notation.
HSF.IF.A.1	Understand that a function from one set (called the domain) to another set (called the range) assigns to
	each element of the domain exactly one element of the range. If f is a function and x is an element of
	its domain, the $f(x)$ denotes the output of f corresponding to input x. The graph of f is $y=f(x)$.
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domains, and interpret statements that use
	function notation in terms of a context.
Interpret fur	ctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table)
	over a specified interval. Estimate the rate of change from a graph.
Analyze func	tions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases
	and using technology for more complicated cases.
	b. Graph square root, cube root and piecewise-defined functions, including step functions and
	absolute value functions.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically,
	numerically and in table or a verbal description.

	Topic 6: Exponents and Exponential Functions										
	Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)		Sug	ges P	ted acii	Mo ng	dule	;
Sup	plement: Review 8 th Grade exponent properties.	7			Au	ugust/	/Septe	embe	r/Octo	ober 2	024
6-1	Rational Exponents and Properties of Exponents Supplement: developmentally appropriate equations with exponents	5	HSN.RN.A.1 HSN.RN.A.2		S .16 4 11	M 5 12	T 6 13	W 7 14	TH 1 8 15	F 2 9 16	S 3 10 17
6-2	Exponential Functions	5	HSF.IF.B.4 HSFL.E.A.1	HSF.IF.B.5 HSF.BF.A.1 HSF.LE.A.1a	18 25	19 26	20 27	21 28	22 29	23 30	24 31
6-3	Exponential Growth and Decay (Omit Compound Interest)	4	HSF.LE.A.2 HSF.LE.A.1a-c HSF.LE.B.5	HSF.IF.C.8b HSA.CED.A.2 HSA.SSE.A.1b HSA.SSE.B.3c	1 8 15 22	2 9 16 23	3 10 17 24	4 11 18 25	5 12 19 26	6 13 20 27	7 14 21 28
6-4	Geometric Sequences (recognize geometric sequence compared to other sequences, verify equation works for given sequence)	2	HSF.BF.A.2 HSF.LE.A.2	HSF.IF.A.3	29 6	30 7	1 8	2 9	3 10	4	5 12
6-5	Transformations of Exponential Functions (use book section as a guide)	4	HSF.BF.B.3 HSF.IF.B.4 HSF.IF.C.9								
Rev	iew and Test	5									
Esse	Essential Standards Reteach and Intervention 1										

Extend the p	properties of exponents to rational exponents.
HSN.RN.A.1	Explain how the definition of the meaning of rational exponents follows from extending the properties of integer exponents follows from extending the properties of integer properties of integer exponents to those values, allowing for a notation for radicals in terms of rational exponents. For example, we define $5^{1/3}$ to be the cube root of 5 because we want $(5^{1/3})^3 = 5^{(1/3)3}$ to hold, so $(5^{1/3})^3$ must equal 5.
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.
Create equa	tions that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales.
Interpret th	e structure of expressions.
HSA.SSE.A.1	 Interpret expressions that represent a quantity in terms of its context. Interpret complicated expressions by viewing one or more of their parts as a single entity. For ex, interpret P(1 + r)ⁿ as the product of P and a factor not depending on P.
Write expre	ssion in equivalent forms to solve problems.
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity represented by the expression. c. Use properties of exponents to transform expressions for exponential functions.
Build a func	tion that models a relationship between two quantities.
HSF.BF.A.1	Write a function that describes a relationship between two quantities. a. Determine an explicit expression, a recursive process, or steps for calculation from a context.
HSF.BF.A.2	Write arithmetic and geometric sequences both recursively and with an explicit formula, use them to model situations, and translate between the two forms.
Understand	ing the concept of a function and use function notation.
HSF.IF.A.3	Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers.

SPED Year Two Algebra 1 (S1)

Interpret f	unctions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity.
HSF.IF.B.5	Relate the domain of a function to its graph and where applicable, to the quantitative relationship it describes.
Analyze fu	nctions using different representations.
HSF.IF.C.8	Write a function defined by an expression in different but equivalent forms to reveal and explain different properties of the function. b. Use the process of exponents to interpret expressions for exponential functions. For example, identify percent rate of change in functions such as $y = 1.02^{t}$, $y = 0.97^{t}$, $y = 1.01^{12t}$, $y = 1.2^{t/10}$ and classify them as representing exponential growth and decay.
HSF.IF.C.9	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically and in table or a verbal description.
Construct	and compare linear, quadratic, and exponential models and solve problems.
HSF.LE.A.1	 Distinguish between situations that can be modeled with linear functions and with exponential functions. a. Prove that linear functions can be modeled by equal differences over equal intervals, and that exponential functions grow by equal factors over equal intervals. b. Recognize situations in which one quantity changes at a constant rate per unit interval relative to another.
	 c. Recognize situations in which one quantity grows or decays by a constant percent or rate per unit interval relative to another.
HSF.LE.A.2	Construct linear and exponential functions, including arithmetic and geometric sequences, given a graph, a description of a relationship, or two input-output pairs (including reading these from a table).
Interpret e	xpression for functions in terms of the situation they model.
HSF.LE.B.5	Interpret the parameters in a linear or exponential function in terms of a context.

SPED Year Two Algebra 1 (S1)

Topic 7: Polynomials and Factoring										
Envision Lesson and Topic	Envision Lesson and Topic Suggested Primary Secondary Suggested Module									:
	Pacing	Standard(s)	Standard(s)	-		P	acir	າg		
7-1 Adding and Subtracting Polynomials	2	HSA.APR.A.1		C	ctob	er/No	vemb	er/De	cemb	er
7-2 Multiplying Polynomials	2	HSA.APR.A.1					2024	1		
7-3 Multiplying Special Cases	2	HSA.APR.A.1		S	M	T	W	TH	F 18	S
		HSA.APR.A.1		20	21	22	23	24	25	26
7-4 Factoring Polynomials (Quadratics)	4	HSA.SSE.A.2		27	28	29	30	31	1	2
Supplement: Factor by Grouping	4			3	4	5	6	7	8	9
7-5 Factoring $x^2 + bx + c$	4	HSA.SSE.A.1a		10	11	12 19	13 20	14 21	15 22	16 23
7-6 Factoring $ax^2 + bx + c$	4	HSA.SSE.A.1a		24	25	26	27	28	29	30
		HSA.SSE.A.1		1	2	3	4	5	6	7
7-7 Factoring Special Cases	4	HSA.SSE.A.2		8	9	10	11	12	13	14
Review and Test	5			15	16	17	18	19	20	21
				22	23	24	25	26	27	28
Essential Standards Reteach and Intervention 2										

Perform arit	Perform arithmetic operations on polynomials.								
HSA.APR.A.1	Understand that polynomials form a system analogous to the integers, namely, they are closed under								
	the operations of addition, subtraction, and multiplication; add, subtract, and multiply polynomials.								
Interpret the	e structure of expressions.								
HSA.SSE.A.1	Interpret expressions that represent a quantity in terms of its context.								
	a. Interpret parts of an expression, such as terms, factors, and coefficients.								
	b. Interpret complicated expressions by viewing one or more of their parts as a single entity. For ex,								
	interpret $P(1 + r)^n$ as the product of P and a factor not depending on P.								
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.								

SPED Year Two Algebra 1 (S2)

	Topic 8: Quadratic Functions										
	Envision Lesson and Topic Suggested Primary Secondary Suggested Module										
		Pacing	Standard(s)	Standard(s)			P	acir	ng		
			HSA.CED.A.2			Jai	uary,	/Febr	uary 2	025	
8-1	Key Features of a Quadratic Function	5	HSF.IF.B.4	HSA.REI.D.10	S	М	Т	W	TH	F	S
			HSF.IF.B.6		5	6	7	8	9	10	11
8-2	Quadratic Functions in Vertex Form	5	HSF.IF.C.7	HSF.IF.C.7a	12	13	14	15	16	17	18
			HSF.BF.B.3		19	20	21	22	23	24	25
8-3	Quadratic Functions in Standard Form	F		HSF.IF.C.7a	26	27	28	29	30	31	1
	(analyze and convert between vertex and standard form)	5	H3F.IF.B.4	HSF.IF.C.9	2	3	4	5	6	7	8
8-4	Modeling with Quadratic Functions	F	HSF.IF.A.2	HSF.BF.A.1	9	10	11	12	13	14	15
	(No Regression)	5	HSS.ID.B.6a	HSS.ID.B.6b							
8-5	Linear, Exponential and Quadratic Models										
	(Examine Graphs and Tables-first and second	3									
differences and ratios)			пээ.ю.в.оа								
Revie	w and Test	3									
Esser	tial Standards Reteach and Intervention	2									

Create equati	ons that describe numbers or relationships.
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph
	equations on coordinate axes with labels and scales.
Represent and	solve equations and inequalities graphically.
HSA.REI.D.10	Understand that the graph of an equations in two variables is the set of all its solutions plotted in the
	coordinate plane, often forming a curve (which could be a line).
Build new fun	ctions from existing functions.
HSF.BF.B.3	Identify the effect on the graph of replacing $f(x)$ by $f(x) + k$, $k \cdot f(x)$, $f(kx)$, and $f(x+k)$ for
	specific values of k (both positive and negative); find the value of k given the graphs. Experiment with
	cases and illustrate an explanation of the effects on the graph using technology. Include recognizing
	even and odd functions from their graphs and algebraic expressions for them.
Understandin	g the concept of a function and use function notation.
HSF.IF.A.2	Use function notation, evaluate functions for inputs in their domain, and interpret statements that use
	function notation in terms of a context.
Interpret func	tions that arise in applications in terms of the context.
HSF.IF.B.4	For a function that models a relationship between two quantities, interpret key features of graphs and
	tables in terms of the quantities, and sketch graphs showing key features given a verbal description of
	the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing,
	positive, or negative; relative maximums and minimums; symmetries; end behavior; and periodicity
HSF.IF.B.6	Calculate and interpret the average rate of change of a function (presented symbolically or as a table)
	over a specified interval. Estimate the rate of change from a graph.
Analyze funct	ions using different representations.
HSF.IF.C.7	Graph functions expressed symbolically and show key features of the graph, by hand in simple cases
	and using technology for more complicated cases.
	a. Graph linear and quadratic functions and show intercepts, maxima, and minima.
HSF.IF.C.8	Write a function defined by an expression in different but equivalent forms to reveal and explain
	unrerent properties of the function.
	a. Use the process of factoring and completing the square in a quadratic function to snow zeros, extreme values, and symmetry of the graph, and interpret these in terms of a context.
	Compare properties of two functions each represented in a different way (algebraically, graphically)
	numerically and in table or a verbal description

Construct a	nd compare linear, quadratic and exponential models and solve problems.
HSF.LE.A.3	Observe using graphs and tables that a quantity increasing exponentially eventually exceeds
	a quantity increasing linearly, quadratically, or (more generally) as a polynomial function.
Summarize	, represent, and interpret data on two categorical and quantitative variables
HSS.ID.B.6	Represent data on two quantitative variables on a scatter plot, and describe how the variables are
	related.
	a. Fit a function to the data; use functions fitted to data to solve problems in the context of the data. Use
	given functions or choose a function suggested by the context. Emphasize linear, quadratic, and
	exponential models.
	b. Informally assess the fit of a function by plotting and analyzing residuals.

Module 9: Solving Quadratic Equations										
Envision Lesson and Topic	Suggested Pacing	Primary Standard(s)	Secondary Standard(s)	Suggested Module Pacing						
9-1 Solving Quadratic Equations Using Graphs and Tables	5	HSA.REI.11	HSACED.A.1 HSA.CED.A.2 HSA.REI.B.4b	S	Febru M	uary/I T	March W	n /Apr i TH	F	5 S
9-2 Solving Quadratic Equations by Factoring	5	HSA.SSE.B.3.a HSA.APR.B.3	HSA.REI.B.4b HSF.IF.C.8a	16 23	17 24	18 25	19 26	20 27	21 28	22 1
Supplement: Practice with radial properties, simplifying square roots	4			2 9	3 10	4	5 12	6 13	7 14	8 15
9-3 Rewriting Radical Expressions	4	HSN.RN.A.2	HSA.SSE.A.2	16	17	18	19	20	21	22
9-4 Solving Quadratic Equations Using Square Roots	4	HSA.SSE.A.2 HSA.REI.B.4b	HSA.CED.A.1	30	31	1	20	3	4	5
9-5 Completing the Square, <i>a</i> = 1 only	4	HSA.REI.B.4a HSA.SSE.B.3b	HSF.IF.C.8a	13	, 14 21	15	16 23	17	18	19
9-6 The Quadratic Formula and the Discriminant	4	HSA.REI.B.4a HSA.REI.B.4b HSA.SSE.B.3		27	28	29	30	27	23	20
9-7 Graphing Only - Solving Systems of Linear and Quadratic Equations	6	HSA.REI.C.7 HSA.REI.D.11								
Review and Test	4									
Essential Standards Reteach and Intervention	2									

Extend the properties of exponents to rational exponents.			
HSN.RN.A.2	Rewrite expressions involving radicals and rational exponents using the properties of exponents.		
Perform arithmetic operations on polynomials.			
HSA.APR.B.3	Identify zeros of polynomials when suitable factorizations are available, and use the zeros to construct a		
	rough graph of the function defined by the polynomial.		
Create equations that describe numbers or relationships.			
HSA.CED.A.1	Create equations and inequalities in one variable and use them to solve problems. Include equations		
	arising from linear and quadratic functions, and simple rational and exponential functions.		
HSA.CED.A.2	Create equations in two or more variables to represent relationships between quantities; graph equations		
	on coordinate axes with labels and scales.		

Solve equat	ions and inequalities in one variable.			
HSA.REI.B.4	Solve quadratic equations in one variable.			
	a. Use the method of completing the square to transform any quadratic equation in x into an equation of			
	the form $(x - p)^2 = q$ that has the same solutions. Derive the quadratic formula from this form.			
	b. Solve quadratic equations by inspection (e.g., for $x^2 = 49$), taking square roots, completing the			
	square, the quadratic formula and factoring, as appropriate to the initial form of the equation.			
Solve systems of equations.				
HSA.REI.C.7	Solve a system consisting of a linear equation and a quadratic equation in two variables algebraically and			
	graphically.			
Represent a	nd solve equations and inequalities graphically.			
HSA.REI.D.11	Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and			
	y = g(x) intersect are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g.,			
	using technology to graph the functions, make tables of values, or find successive approximations. Include			
	cases where $f(x)$ and/or $g(x)$ are linear, polynomial (quadratic), rational, absolute value, exponential, and			
	logarithmic functions.			
Interpret th	e structure of expressions.			
HSA.SSE.A.2	Use the structure of an expression to identify ways to rewrite it.			
HSA.SSE.B.3	Choose and produce an equivalent form of an expression to reveal and explain properties of the quantity			
	represented by the expression.			
	a. Factor a quadratic expression to reveal the zeros of the function it defines.			
	b. Complete the square in a quadratic expression to reveal the maximum or minimum value of a function.			
Analyze functions using different representations.				
HSF.IF.C.8	Write a function defined by an expression in different but equivalent forms to reveal and explain different			
	properties of the function.			
	a. Use the process of factoring and completing the square in a quadratic function to show zeros, extreme			
	values, and symmetry of the graph, and interpret these in terms of a context.			

2024-2025

GT Education Overview Mathematics - Course Guides

The Secondary Math Course Guides provide the standards aligned to topics and resources available in the currently adopted text. It is the teacher's professional responsibility to ensure that their students are prepared for the next course in the Pathway. This can only be accomplished when all grade level/course standards are taught with student engagement and an expectation of rigor in mathematics.

Excellence in Education, Every Student, Every Day, to Graduation

Washoe County School District Every Child, By Name And Face, To Graduation

Grades 6-9, WCSD Pathways for Gifted & Talented Program

Mathematics in Washoe County School District consists of instruction and assessment aligned to the Common Core State Standards.



* High School credit is not awarded for high school level courses taken prior to 9th grade.
** Offered periodically and not at every site.



Grades 9-12, WCSD Pathways for Gifted & Talented Program



2022-2023

GT Math Course Descriptions

Accelerated Math 6

This course is designed to meet the needs of mathematically accelerated students enrolled in the Middle School Magnet program model by preparing students for Accelerated High School Integrated Math I, which covers Pre-algebra and begins high school Algebra 1 and Formal Geometry. Mathematical Practice Standards apply throughout each course and with the content standards, prescribe that students experience mathematics as a coherent, useful, and logical subject that makes use of their ability to make sense of problem situations. Content is organized into units, covering the following topics: Integer number sense; integer computation; number theory; fractions; decimals; algebraic expressions and equations; 2-dimensional and 3dimensional geometry; ratios and proportions; percent concepts and computation; and statistics. Successful completion of this course will prepare students for Accelerated High School Integrated Math I.

Accelerated Math 7/8

Prerequisite: Accelerated Math 6 or Math 6. This course is designed to meet the needs of mathematically accelerated students enrolled in the GATE Middle School Magnet program model. Coherently blending 7th and 8th grade content standards, this course prepares students for Accelerated Algebra 1 while attending to the specific learning needs of gifted students. Mathematical Practice Standards apply throughout each course and, together with the content standards, prescribe that students experience mathematics as a coherent, useful, and logical subject that makes use of their ability to make sense of problem situations. Content is organized into units, covering the following topics: Rational numbers; algebraic expressions and equations; proportional relationships and graphs; statistical sampling, measures, and predictions; probability; area, surface area, and volume; similarity, geometric drawings, and geometric relationships; irrational numbers, number theory, square and cube roots, and Pythagorean theorem application and proof; geometric transformations; and powers, exponents, and scientific notation. Successful completion of this course will prepare students for Accelerated Algebra 1.

Accelerated Algebra 1

Prerequisite: Accelerated High School Integrated Math I or Accelerated Math 7-8 This is an accelerated inquiry-based Algebra 1 course for students in the GATE Magnet Program, and covers the Nevada Academic Standards for 8th grade and Algebra 1 in-depth to prepare students for honors level high school math courses. Moving at an accelerated pace with a focus on application of mathematical concepts, this course will focus on number and quantity, algebra, functions, modeling, geometry, and statistics and probability through the Mathematical Practice Standards. Students who successfully complete Accelerated Algebra I may be recommended for Formal Geometry in high school. Students do NOT receive high school credit for this course.

MS Course #771

MS Course #755

MS Course #776

GT Math Course Descriptions

Accelerated HS Integrated Math I

This course is designed to offer an integrated approach to mathematics learning, with an emphasis on solving real-world problems connected to multiple content areas. The course begins with a foundation in Pre-algebra and follows a logical path through High School Algebra 1 and Formal Geometry. Algebra and geometry topics are integrated to fully establish mathematical connections. Students who successfully complete Accelerated High School Integrated Math I may be recommended for Accelerated High School Integrated Math II. Students do NOT receive high school credit for this course.

Accelerated HS Integrated Math II

Prerequisite: Accelerated High School Integrated Math I. This course is the continuation of Accelerated High School Integrated Math I, offering an integrated approach to high school Algebra 1 and Formal Geometry. The course emphasizes connections between algebraic and geometric topics and includes the solution of real-world problems connected to multiple content areas. Upon completion of this course, students will take the Nevada State End of Course Exam for Math 1 (Algebra) and Math II (Geometry) required for graduation. Successful completion of this course is the equivalent of WCSD High School Algebra 1 and Formal Geometry courses. Students who successfully complete Accelerated High School Integrated Math II may be recommended for Accelerated High School Integrated Math III or Algebra 2 Honors. Students do NOT receive high school credit for this course.

Accelerated HS Integrated Math III

This is a one-year accelerated integrated course that will cover topics from Algebra 2 & trigonometry preparing scholars for Calculus the following year. The following Algebra 2 Honors topics will be covered: Parent functions; complex numbers; quadratic functions; polynomial functions; rational functions; function operations, inverses & radical equations; exponents & logarithms; systems; statistical data; and trig functions. In addition to the Algebra 2 concepts, this course will cover angles and radian measure; trig functions; vectors; laws and graphs of trig functions; polar coordinates and their graphs; and trig identities and equations. This course will strengthen the student's problem solving and algebraic skills in preparation for advanced mathematics courses. Throughout the year, students will be expected to continue to develop the ability to reason and communicate mathematically, applying learned concepts to new problems.

HS Course #2417/2418

MS Course #772

MS Course #773